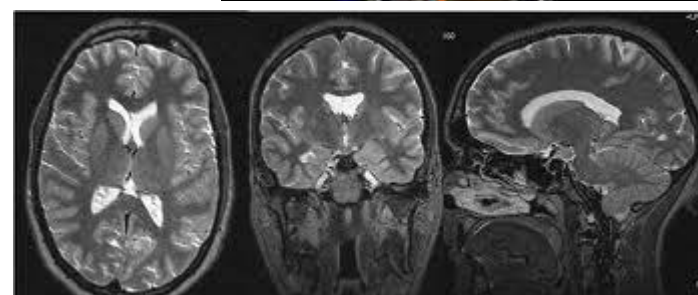
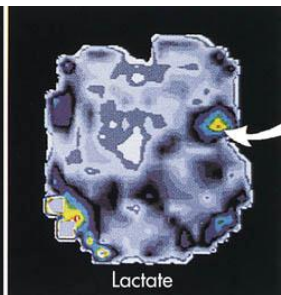
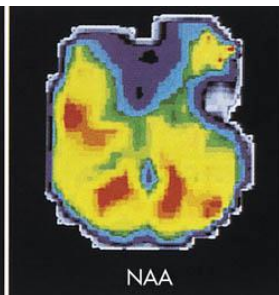
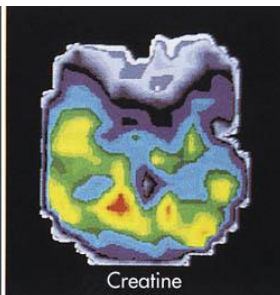
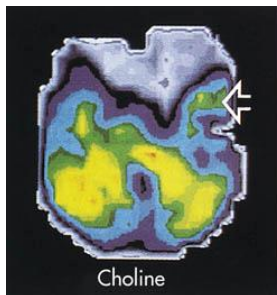
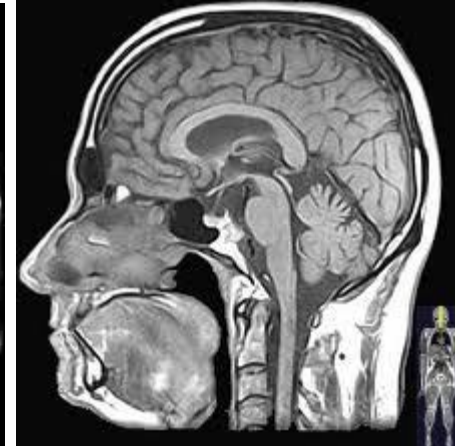


MAGNETIC RESONANCE IMAGING

Prof. Yasser Mostafa Kadah

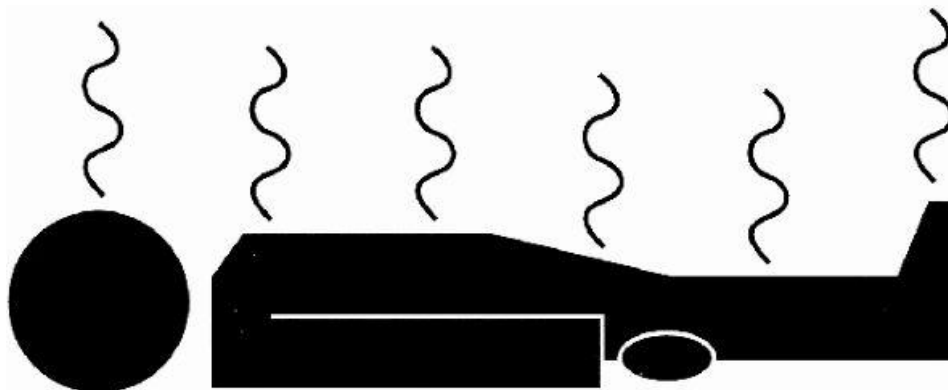
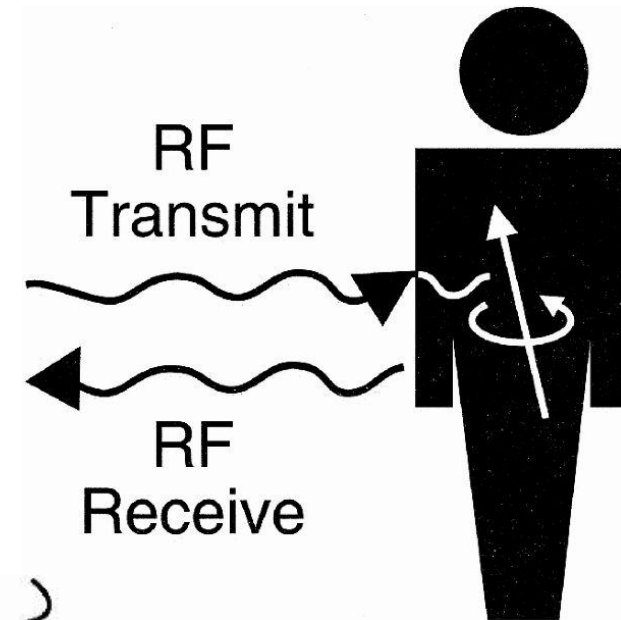
Magnetic Resonance Imaging

- Anatomy
- Physiology (function)
- Angiography
- Diffusion
- Perfusion
- Spectroscopy

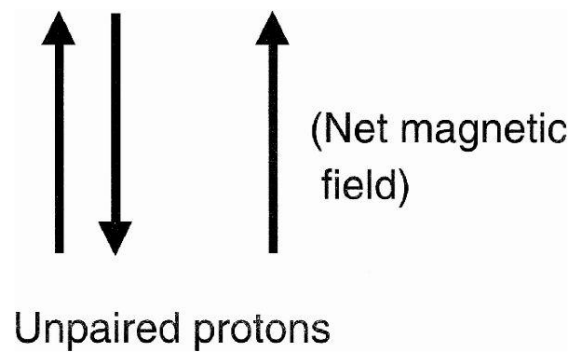
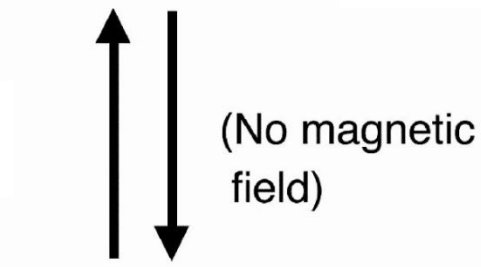
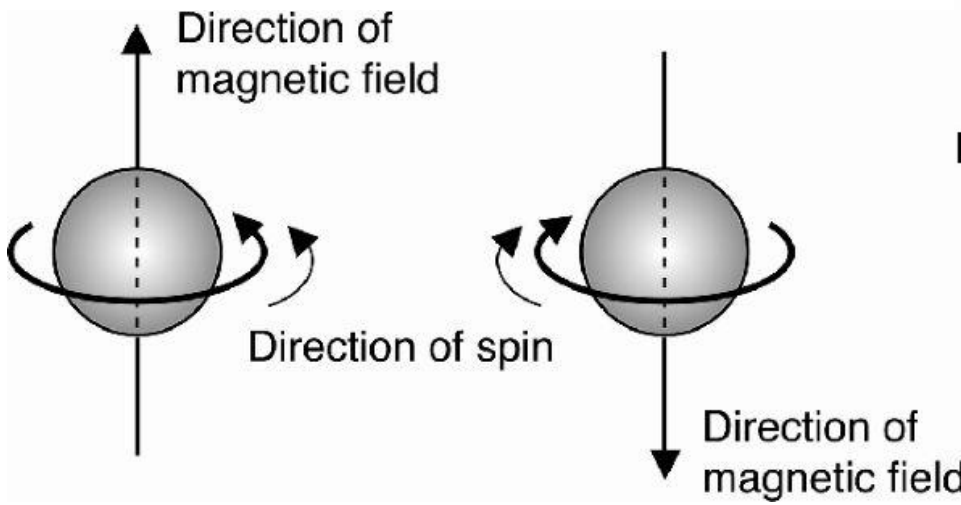
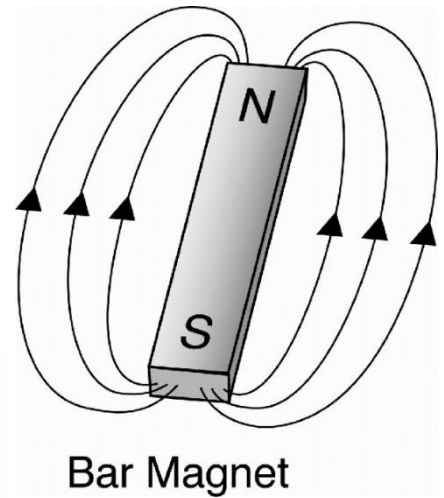
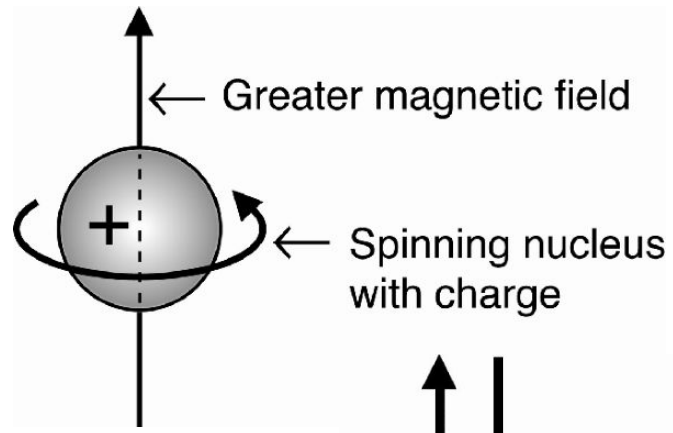
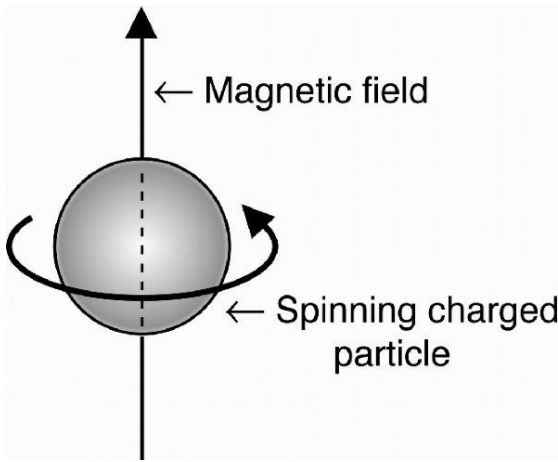


Steps to Perform MR Imaging

- **M**: Magnetic Field
 - ▣ Patient is placed inside magnet
- **R**: Radio-Frequency (RF) Pulse
 - ▣ RF pulse is applied
- **R**: Relaxation
 - ▣ After RF application, signal is collected from relaxation

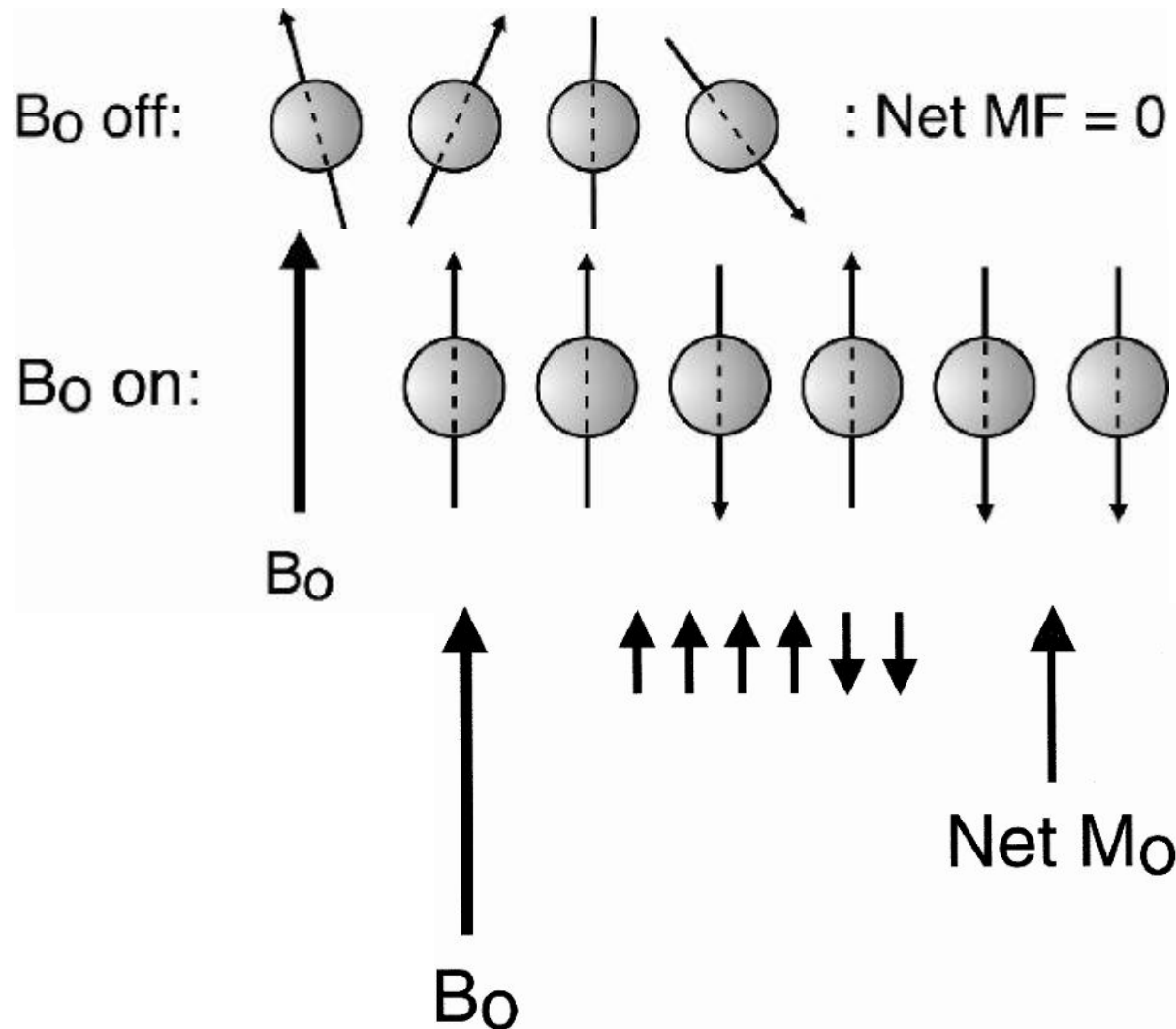


Basic Physics



B0 Field

- The external magnetic field is denoted B_0 (read as “B-zero”)
- In MRI, B_0 is on the order of 1 Tesla (1T)
 - ▣ One Tesla is equal to 10,000 Gauss.



Net Magnetization Magnitude

- Follow Boltzmann distribution $e^{-(U/k_B T)} = e^{\gamma m \hbar B / k_B T}$

$$\langle \mu_z \rangle = \frac{\gamma \hbar \sum_{m=-I}^I m e^{\gamma m \hbar B / k_B T}}{\sum_{m=-I}^I e^{\gamma m \hbar B / k_B T}}.$$

- At room temperature, $\gamma I \hbar B / k_B T \ll 1$

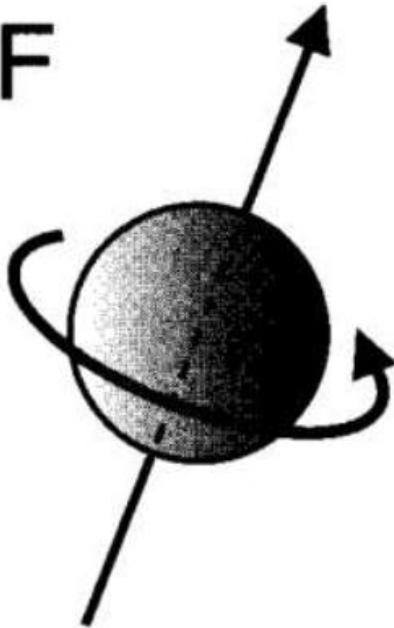
$$M_z = N \langle \mu_z \rangle = \frac{N \gamma^2 \hbar^2 I(I+1)}{3k_B T} B.$$

➔ M_z is proportional to the applied field B_0

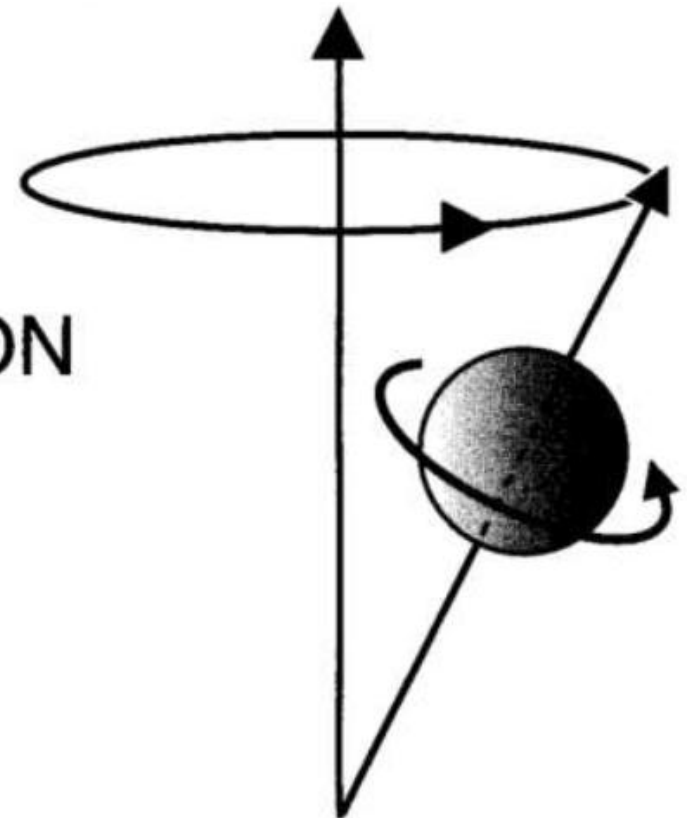
Precession

- When a proton is placed in a large magnetic field, it begins to “wobble” or “precess”

B_0 OFF



B_0 ON



Larmor Equation

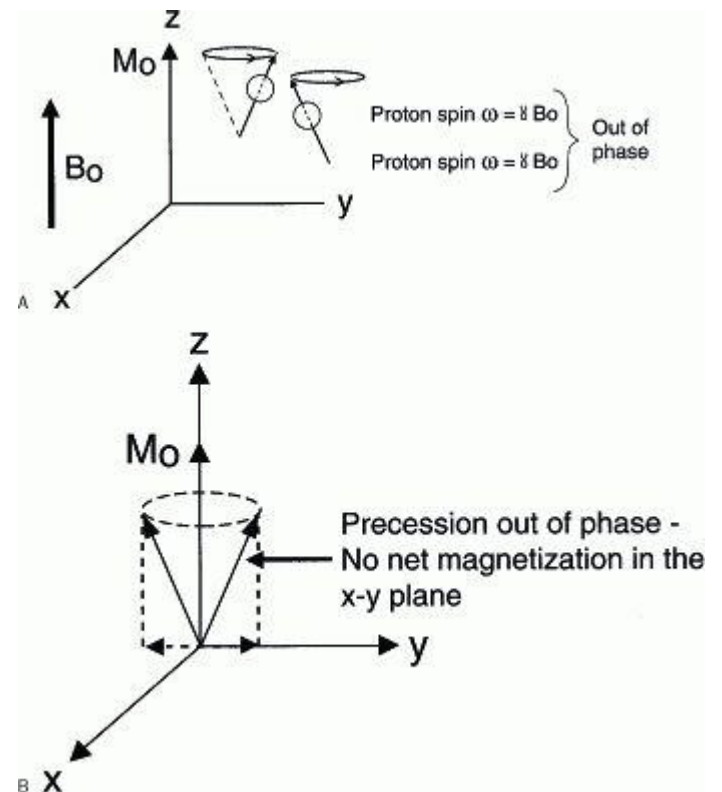
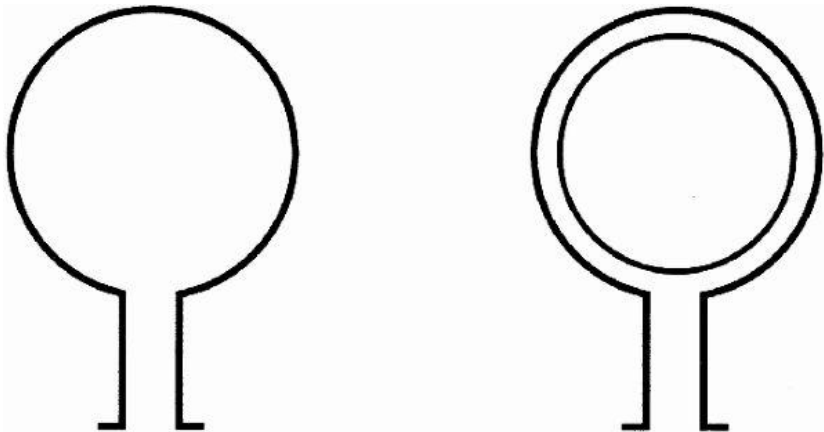
- The rate at which proton precesses around external magnetic field is given by:

$$\omega = \gamma B_0$$

Nucleus	Spin Quantum Number (S)	Gyromagnetic Ratio* (MHz/T)
¹ H	1/2	42.6
¹⁹ F	1/2	40.0
²³ Na	3/2	11.3
¹³ C	1/2	10.7
¹⁷ O	5/2	5.8

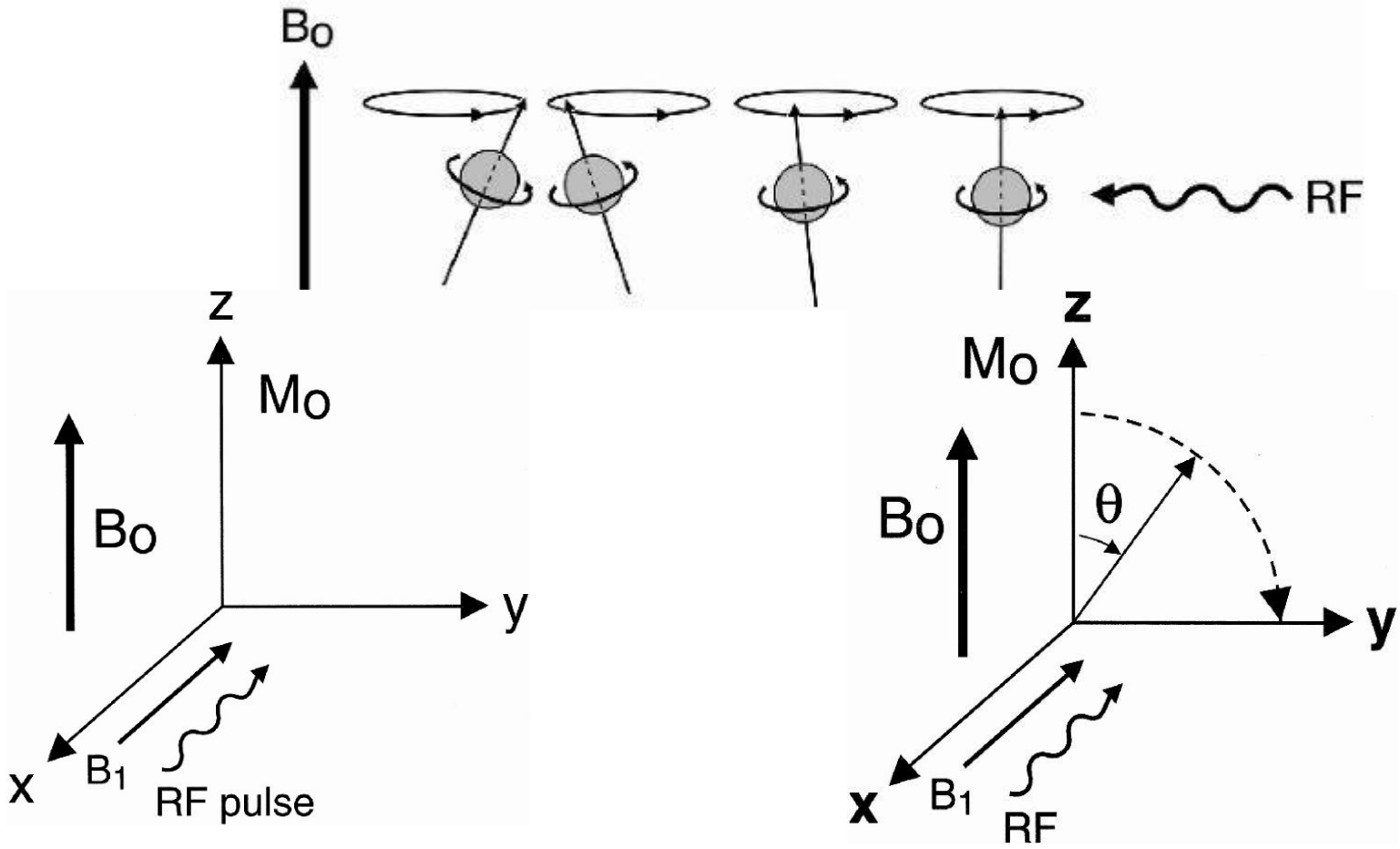
Problem in MRI Signal Acquisition

- B_0 field is much larger than tissue net magnetization
 - ▣ Impossible to measure net magnetization in the z-direction
 - ▣ Need to look at component on x-y plane
 - ▣ Problem: x-y components cancel out
- Measured using pick-up coils

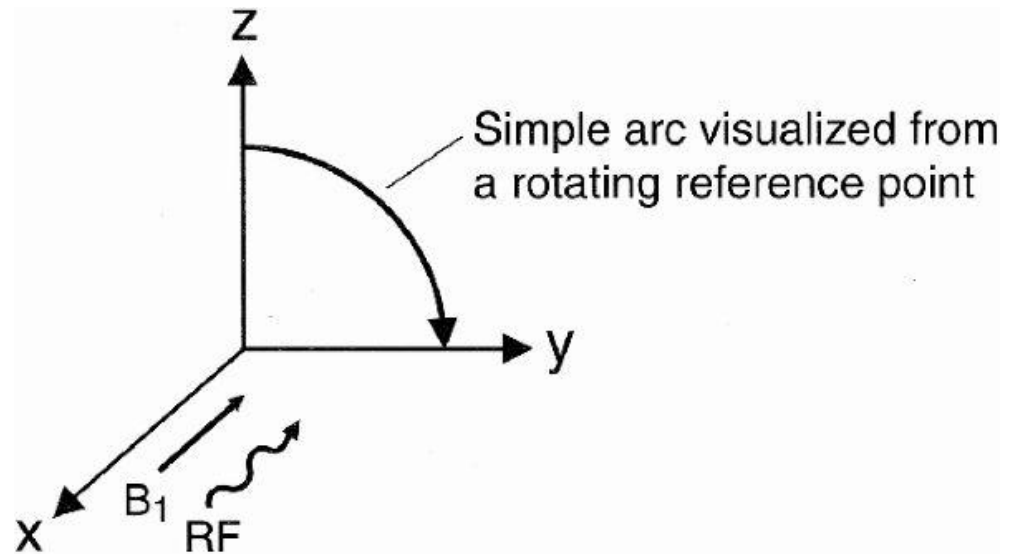
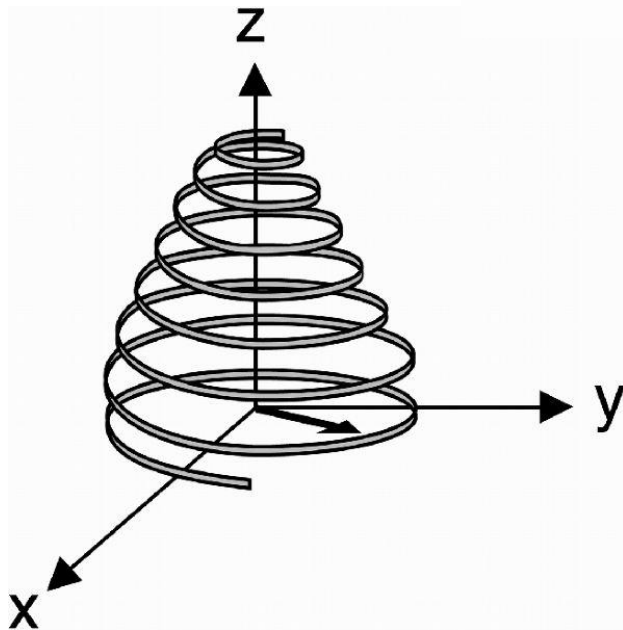
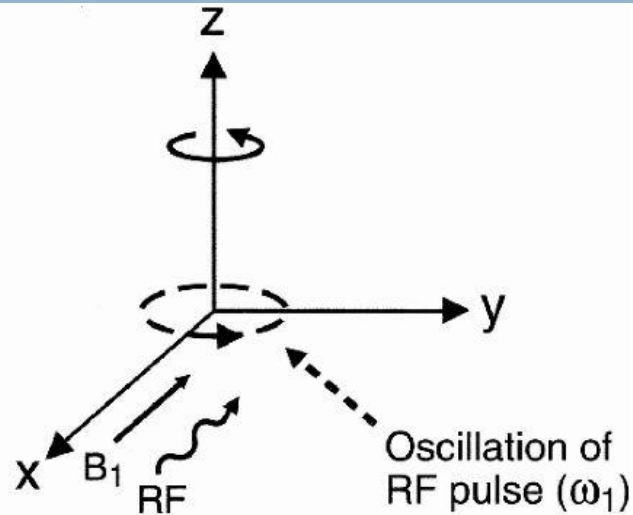


RF Pulse

- Idea: Sending RF radiation at Larmor frequency to flip net magnetization to x-y plane



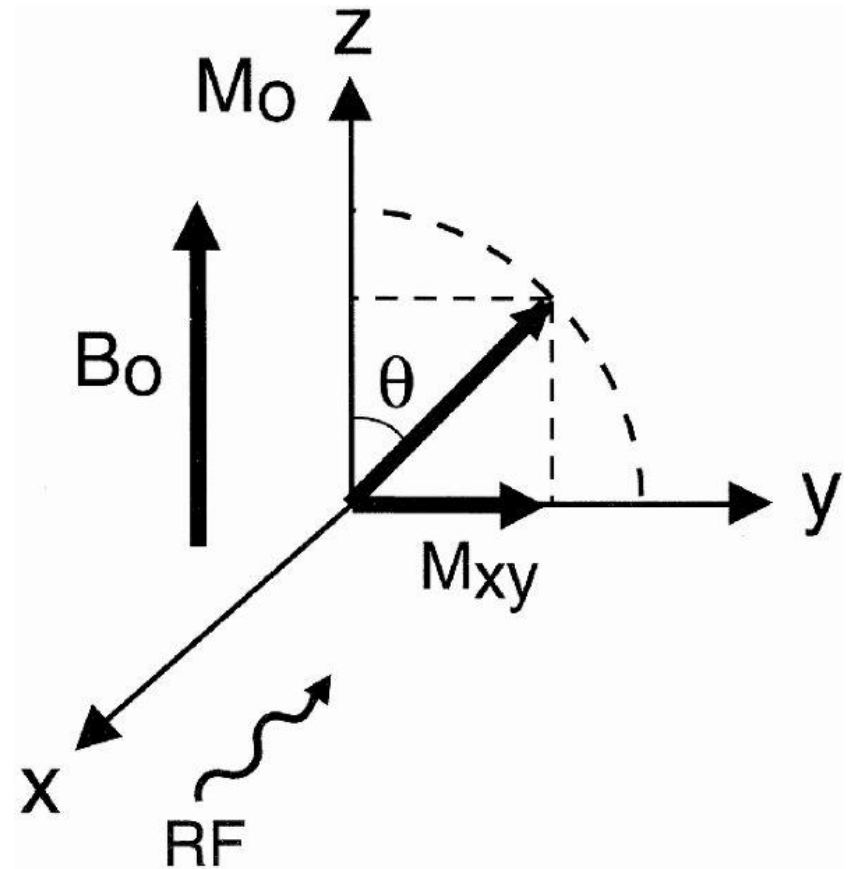
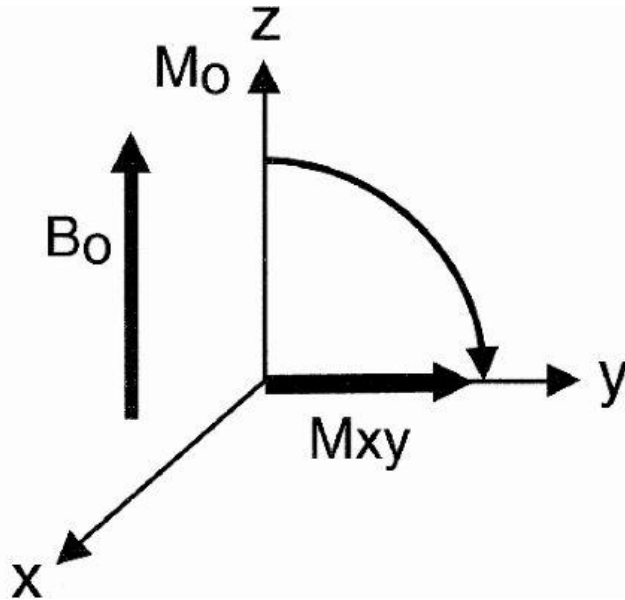
Rotating Frame of Reference



Selection of RF Pulse Flip Angle

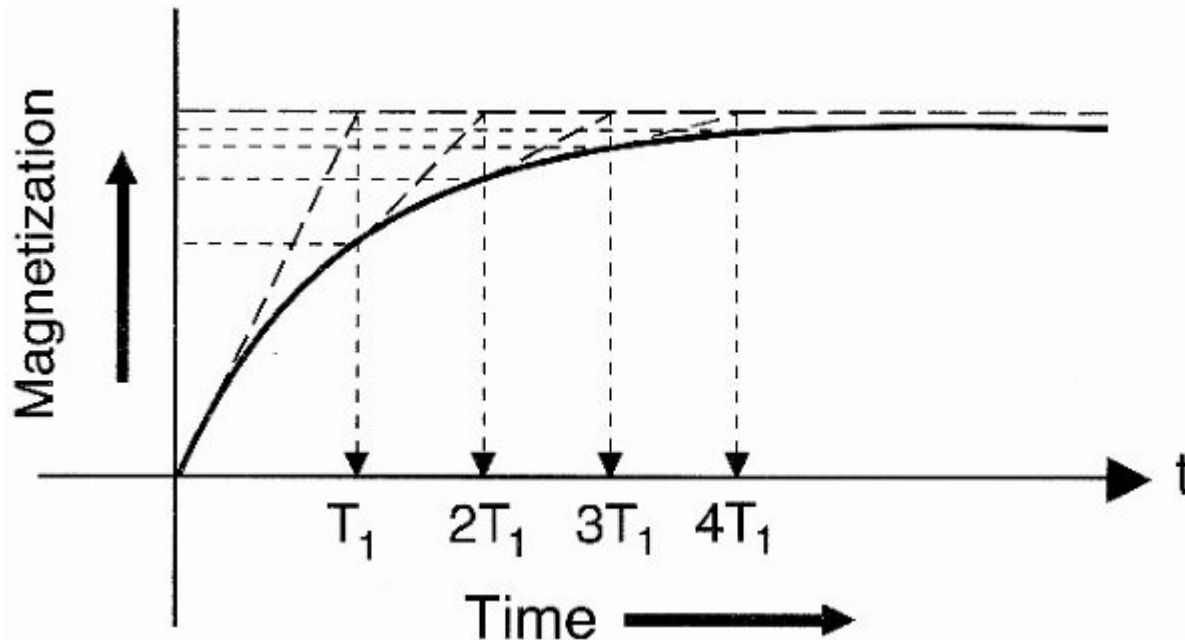
- 90° or 180° or partial flip

90° Flip:



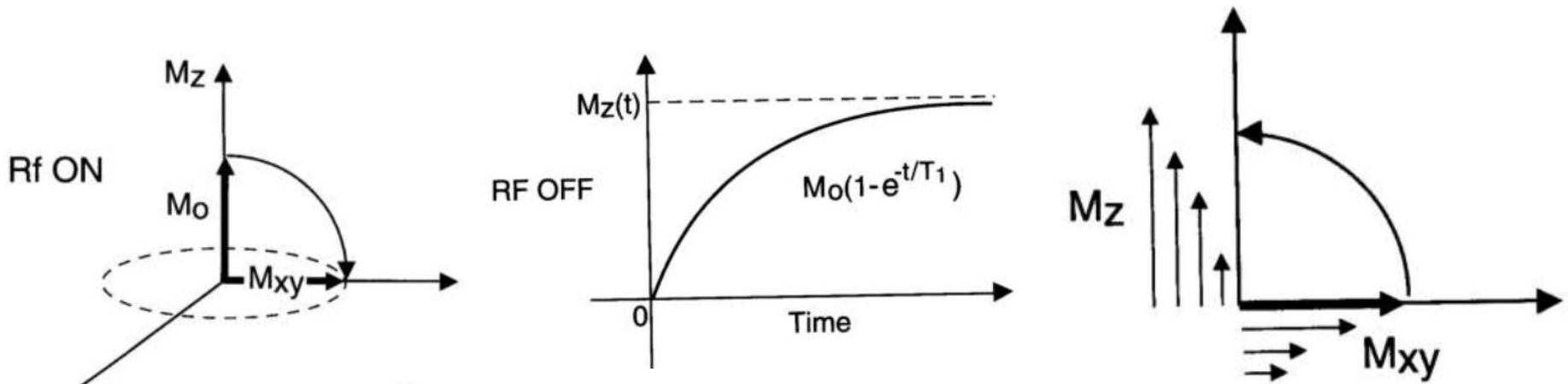
Relaxation

- Relaxation means that the spins are relaxing back into their lowest energy state or back to the equilibrium state
 - ▣ Equilibrium by definition is the lowest energy state possible
 - ▣ Once the RF pulse is turned off, the protons will have to realign with the axis of the B_0 magnetic field and give up all their excess energy



T1 Relaxation

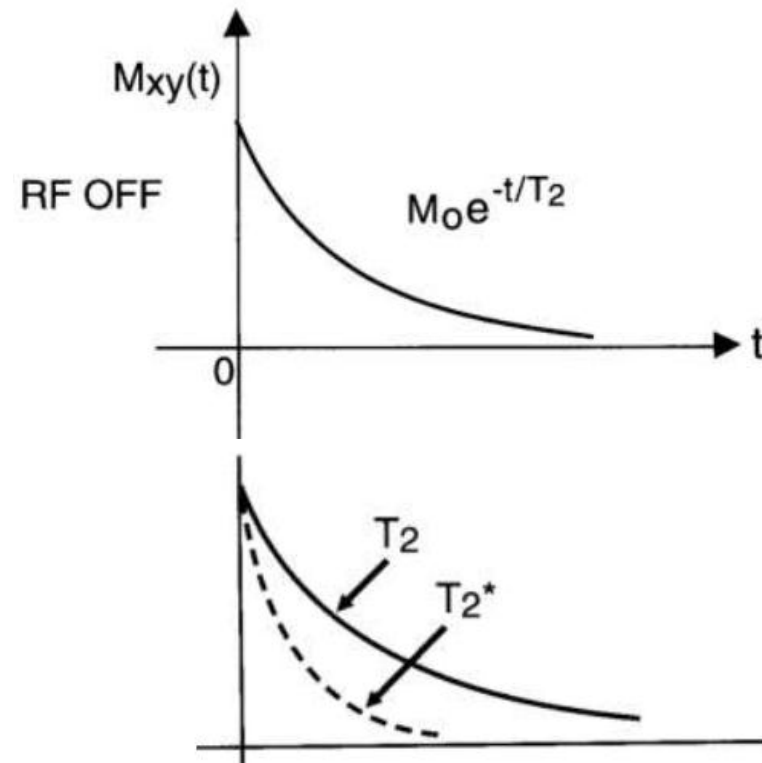
- T1 is called the longitudinal relaxation time because it refers to the time it takes for the spins to realign along the longitudinal (z) axis
- T1 is also called the spin-lattice relaxation time because it refers to the time it takes for the spins to give the energy they obtained from the RF pulse back to the surrounding lattice in order to go back to their equilibrium state.



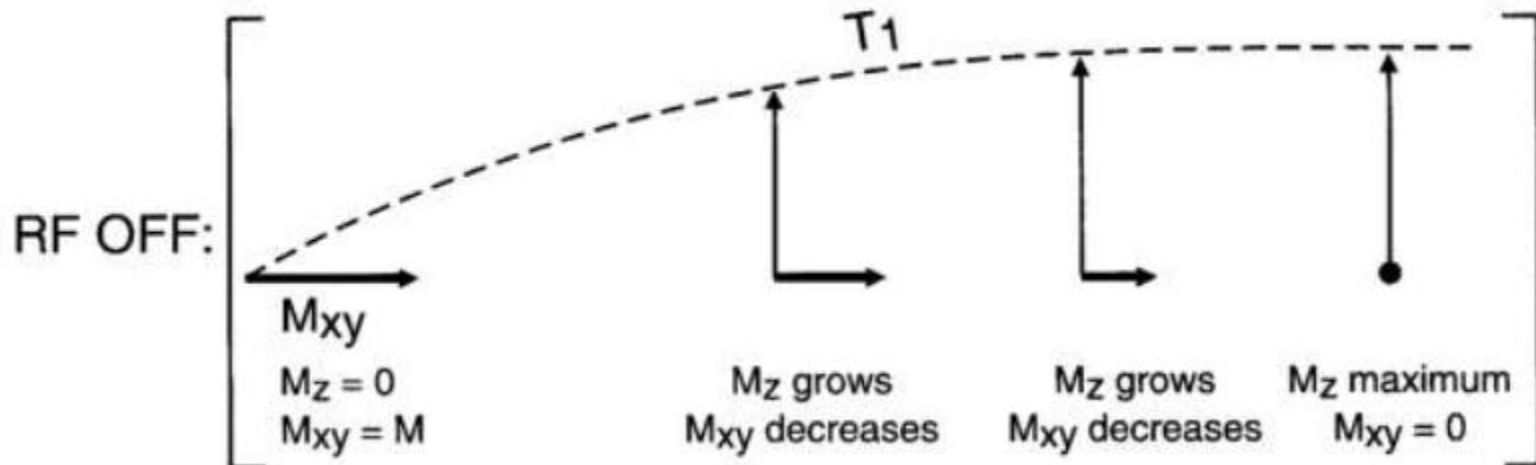
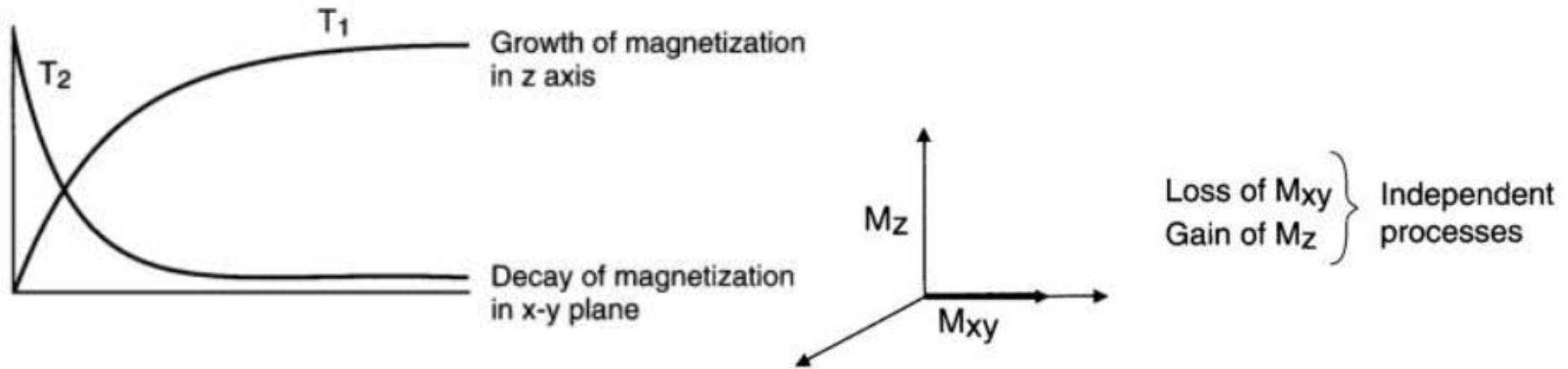
T2 Relaxation

- Dephasing: after the 90° RF pulse is turned off, all spins are in phase; they are all lined up in the same direction and spinning at the same frequency ω_0 . There are two phenomena that will make the spins get out of phase: interactions between spins and external field inhomogeneities
- T2 Relaxation
 - ▣ Only spin-spin interactions
- T2* Relaxation
 - ▣ Both effects

$$1/T2^* = 1/T2 + \gamma\Delta B$$



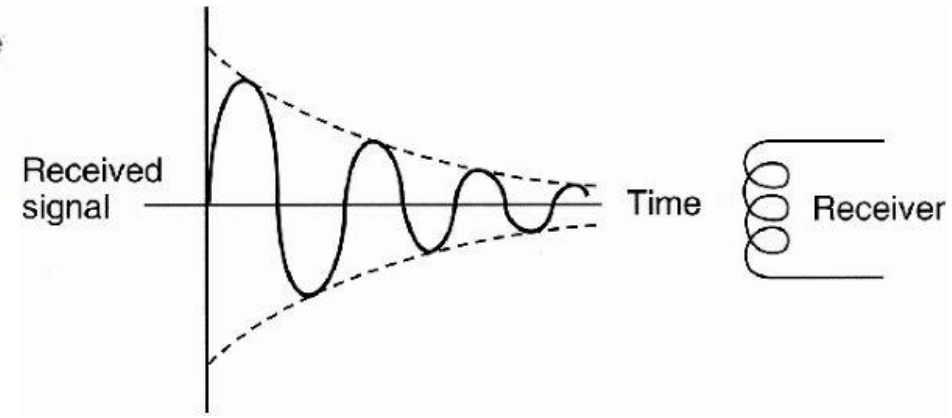
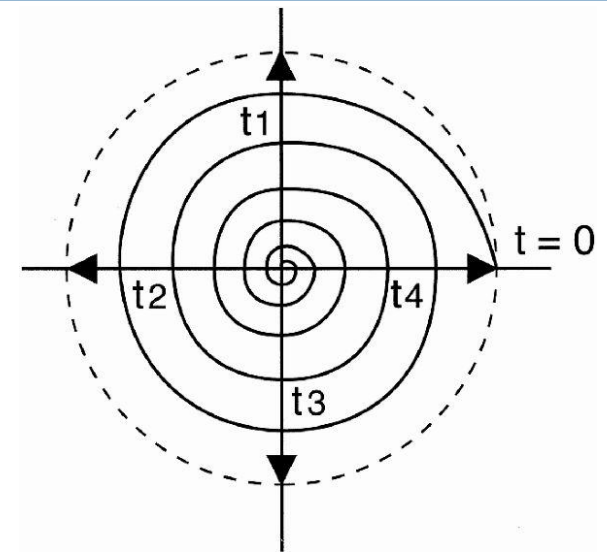
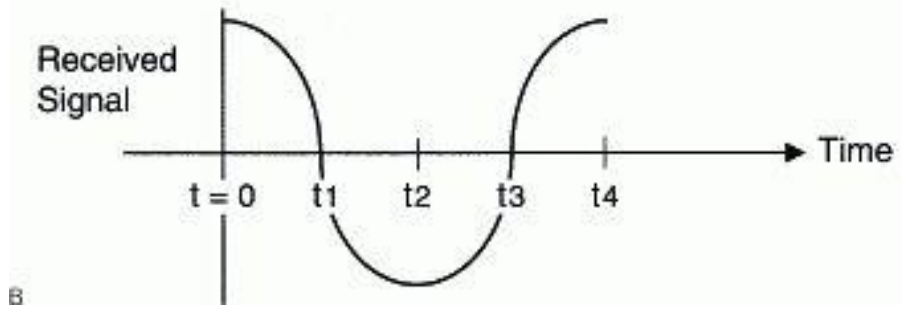
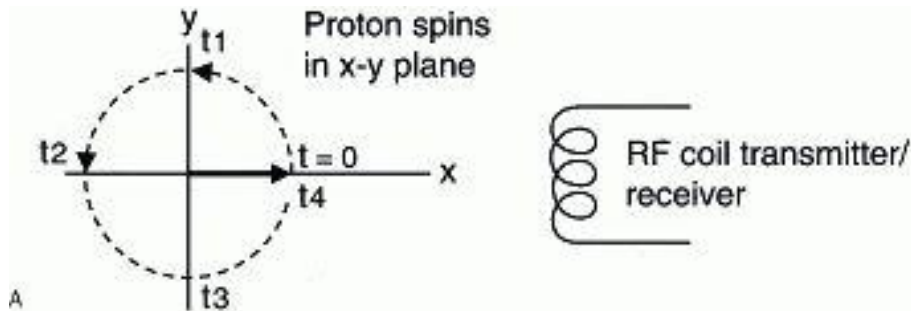
Effect of Both T1 and T2 Relaxations



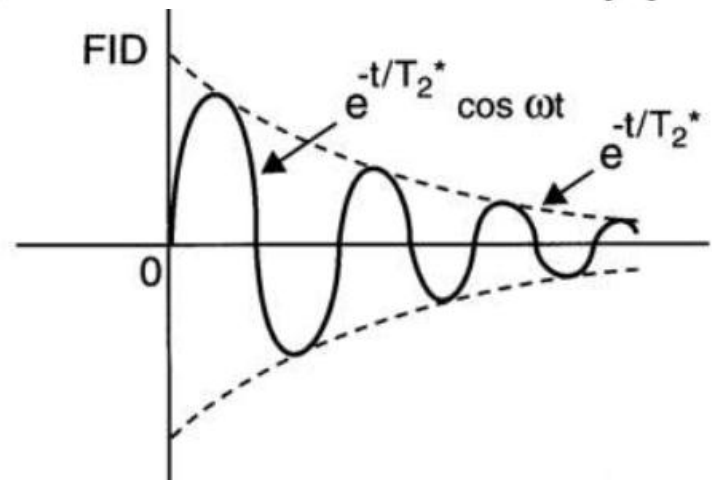
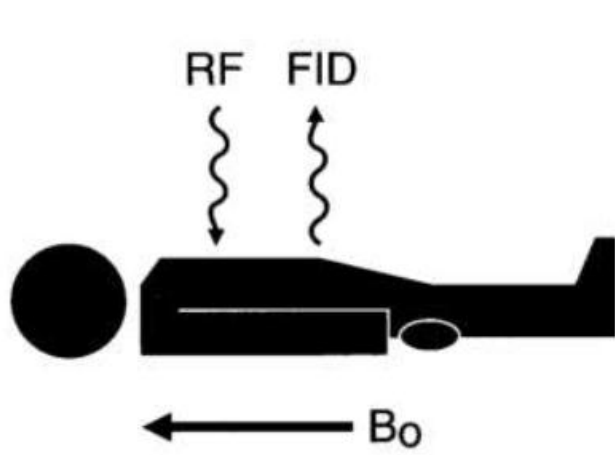
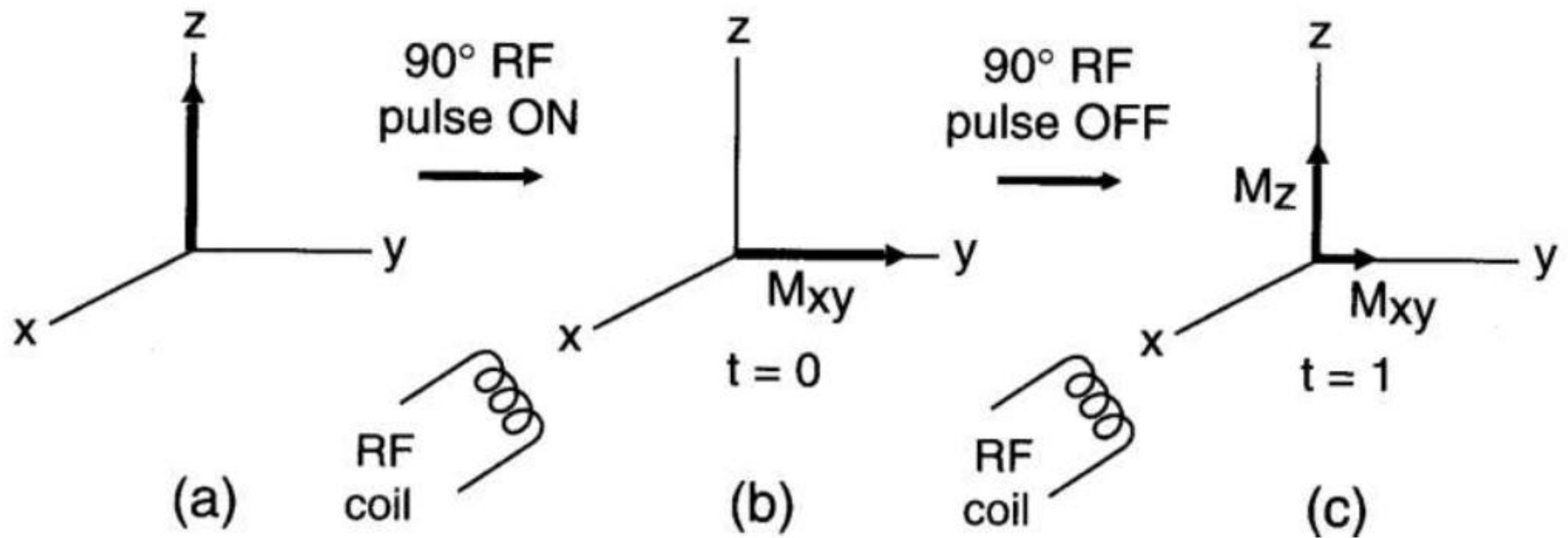
Example Tissue Relaxation Times

Tissue	T_1 (ms)	T_2 (ms)
H ₂ O	2500	2500
fat	200	100
CSF	2000	300
gray matter	500	100

Received Signal: Free Induction Decay (FID)

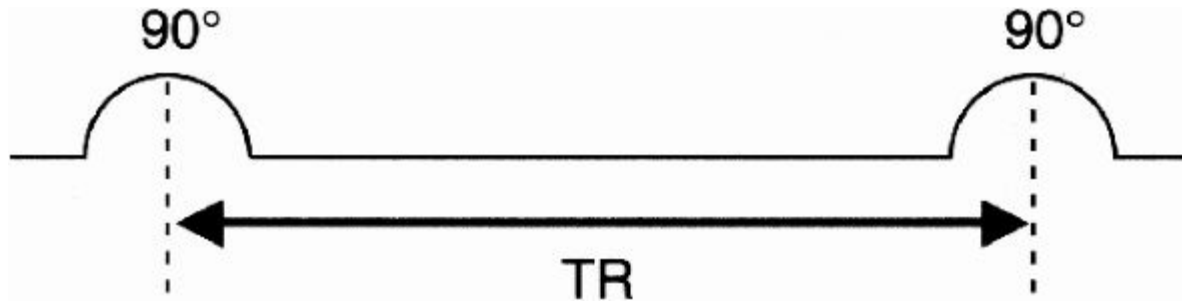


Sequence of Events in MRI



Pulse Repetition Time (TR)

- Distance between successive RF pulses



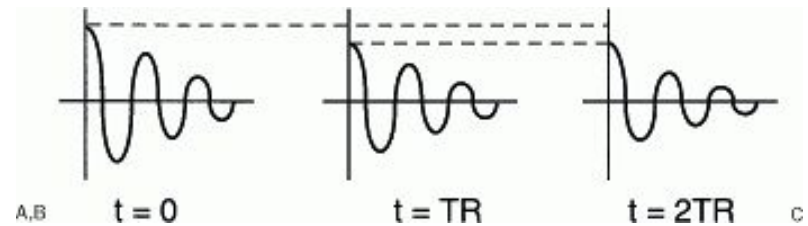
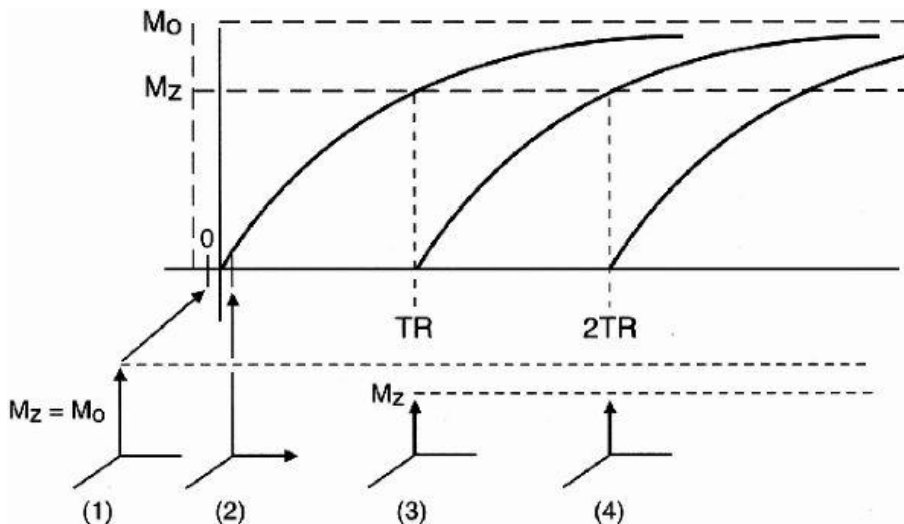
$$M_z(t) = M_0 (1 - e^{-t/T_1})$$



$$M_z(TR) = M_0 (1 - e^{-TR/T_1})$$

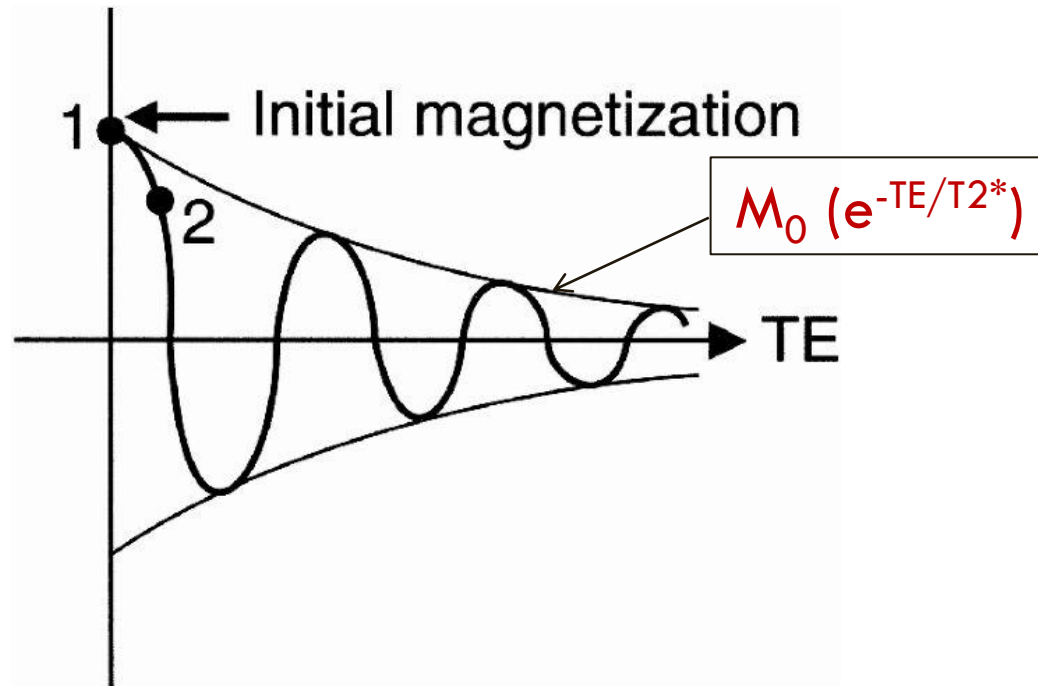


$$S \propto N(H) (1 - e^{-TR/T_1})$$



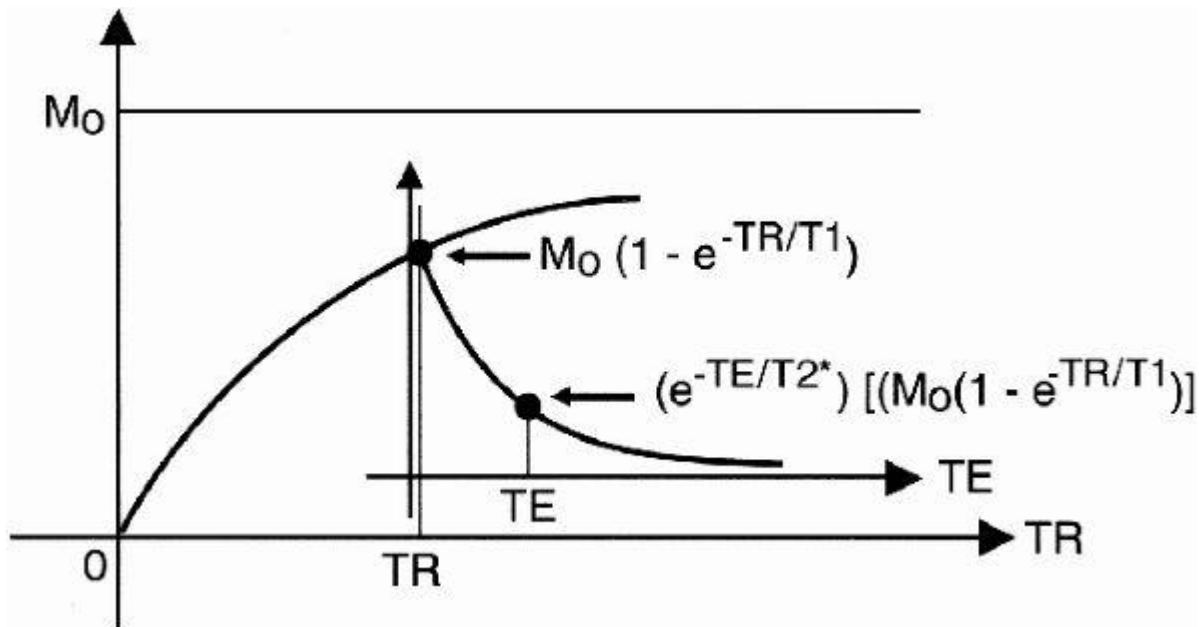
Echo Time or Time to Echo (TE)

- Instead of making the measurement immediately after the RF pulse, we wait a short period of time TE and then make the measurement
 - ▣ Time sampling of FID starts



Tissue Contrast

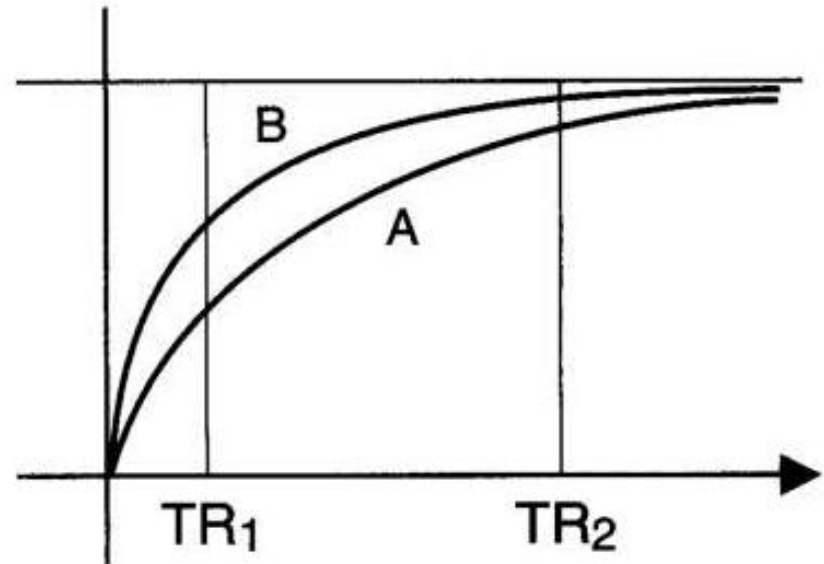
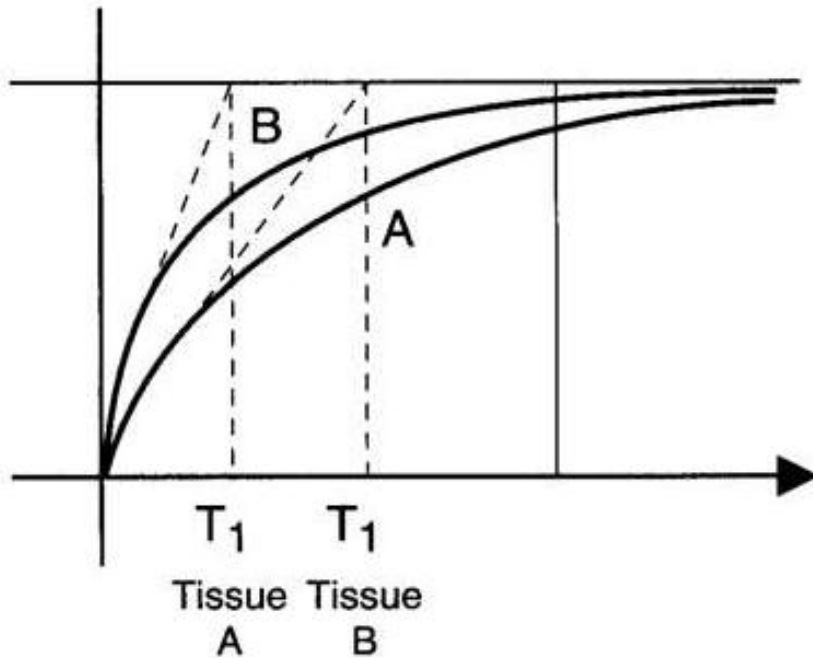
- Now we have to put the two curves together because both T1 recovery and T2 decay processes are occurring simultaneously



$$\text{Signal Intensity} = SI \propto N(H)(e^{-TE/T2^*}) (1 - e^{-TR/T1})$$

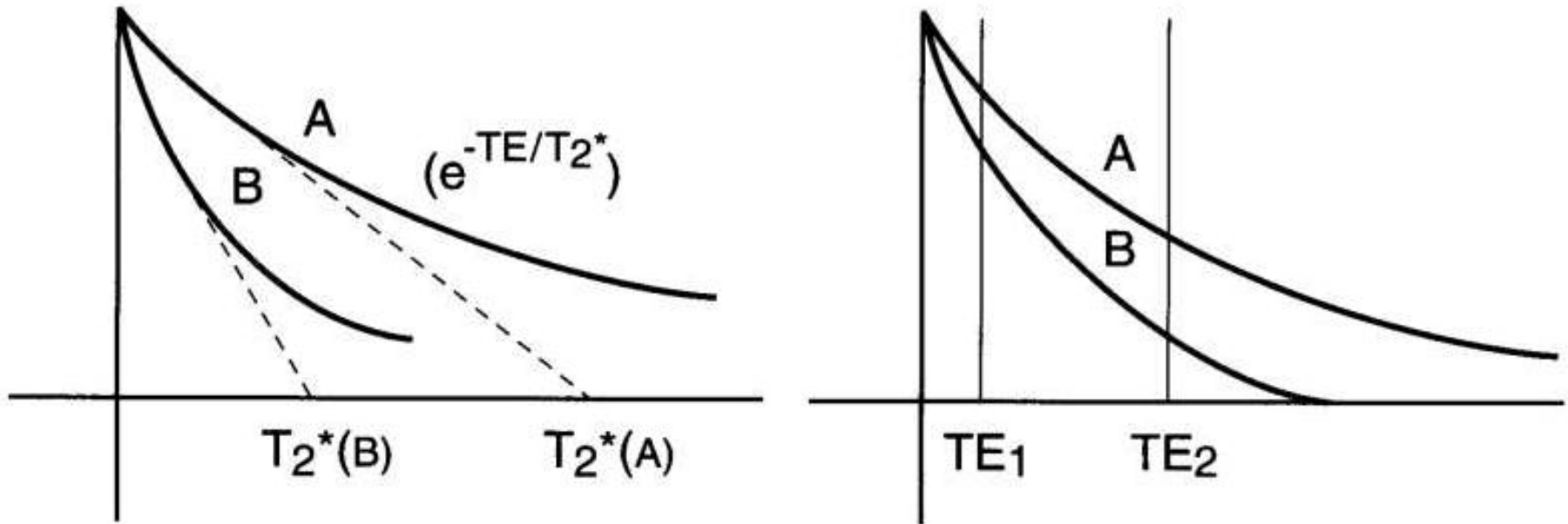
T1-Weighting

- Long TR reduces the T1 effect
- Short TR enhances the T1 contrast



T2-Weighting

- Short TE reduces the T2* (T2) effect
- Long TE enhances the T2* (T2) effect



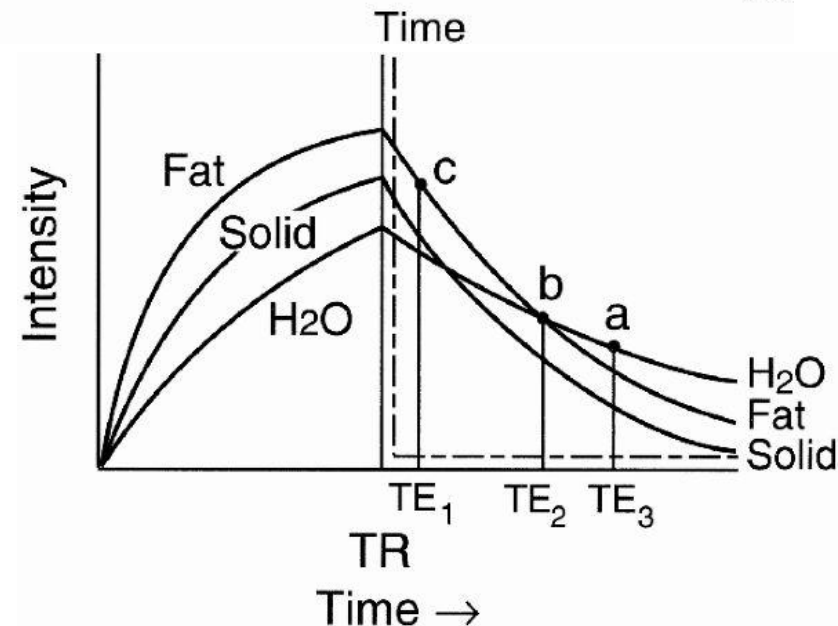
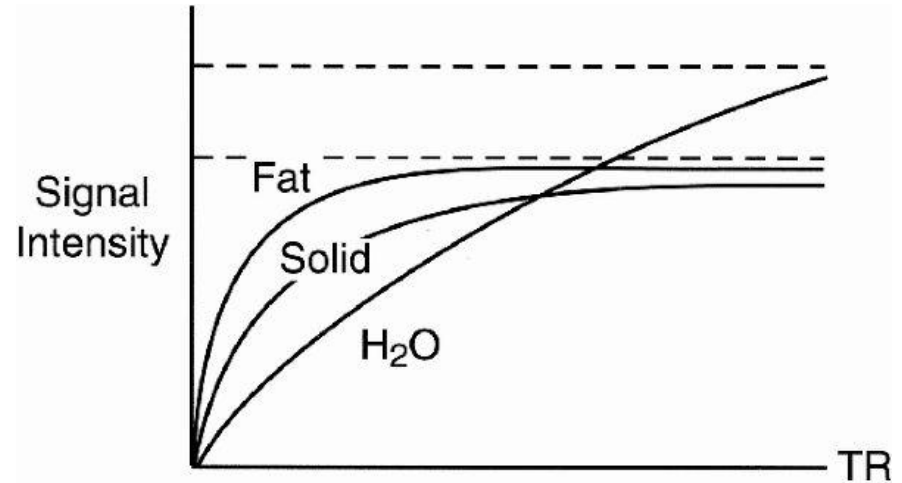
Tissue Contrast: Clinical Applications

□ T1 Recovery Curve

- ▣ Fat has the shortest T1
- ▣ Proteinaceous fluid also has a short T1
- ▣ H₂O has the longest T1
- ▣ Solid tissue has intermediate T1

□ T2 decay Curve

- ▣ H₂O has a very long T2
- ▣ Solid tissue has short T2
- ▣ Fat has an intermediate T2
- ▣ Proteinaceous fluid may have a short or intermediate T2 depending on the protein content



Summary of T1 /T2 Values for Tissues

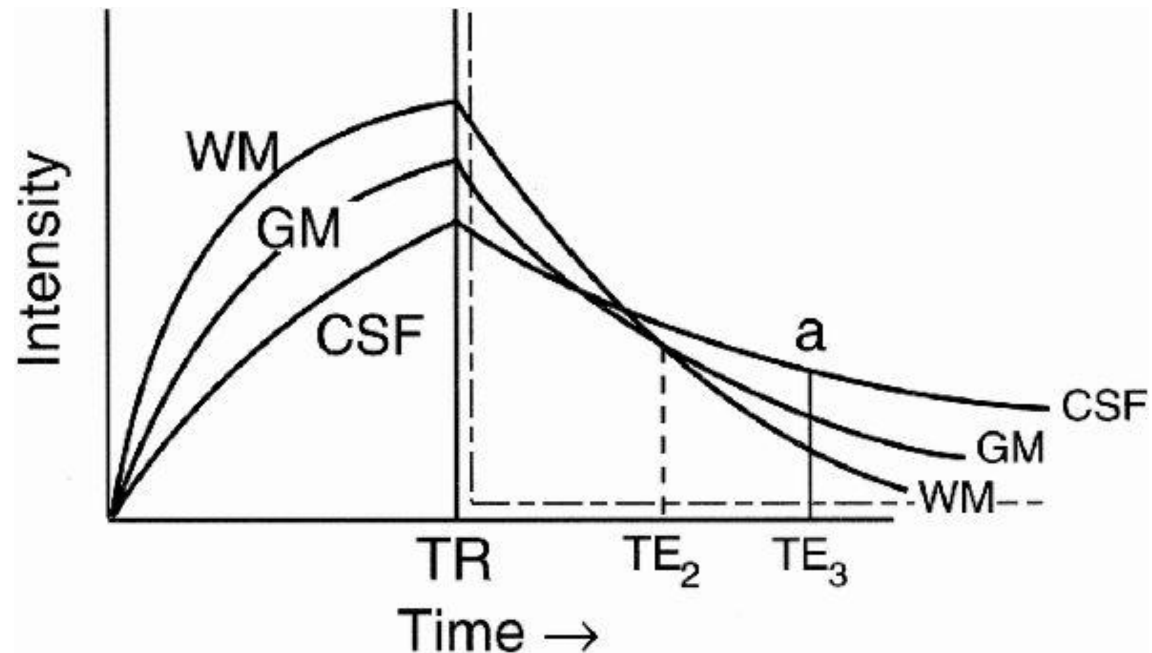
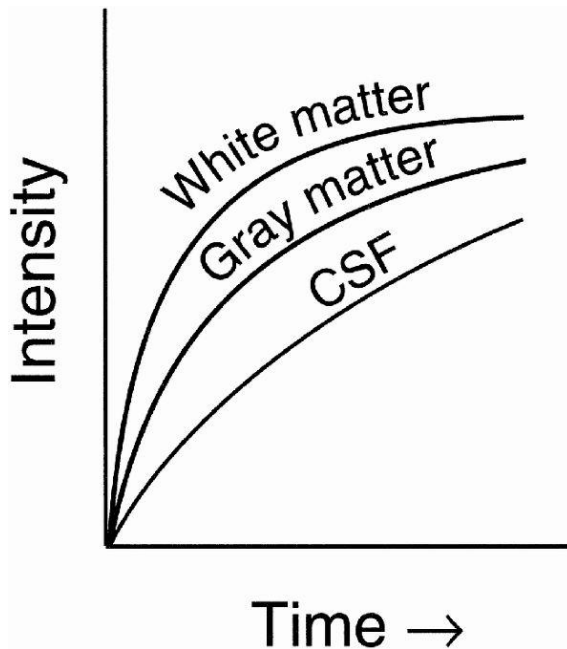
	Long T1 (low SI)	Intermediate	Short T1 (high SI)
Long T2 (high SI)	Water/CSF Pathology Edema		d (EC metHgb)
Intermediate		Muscle GM a (oxyHgb) WM	
Short T2 (low SI)	Air Cortical bone Heavy Ca ⁺⁺ b (deoxyHgb) e (hemosiderin) Fibrosis Tendons		Fat Proteinaceous solutions c (IC met Hgb) Paramagnetic materials (Gd, etc.)

a-d represent breakdown products of hemoglobin (a, oxyhemoglobin; b, deoxyhemoglobin; c, intracellular methemoglobin; d, extracellular methemoglobin; e, hemosiderin). GM, gray matter; WM, white matter; SI, signal intensity; Hgb, hemoglobin; IC, intracellular; EC, extracellular.

Example: Brain Imaging

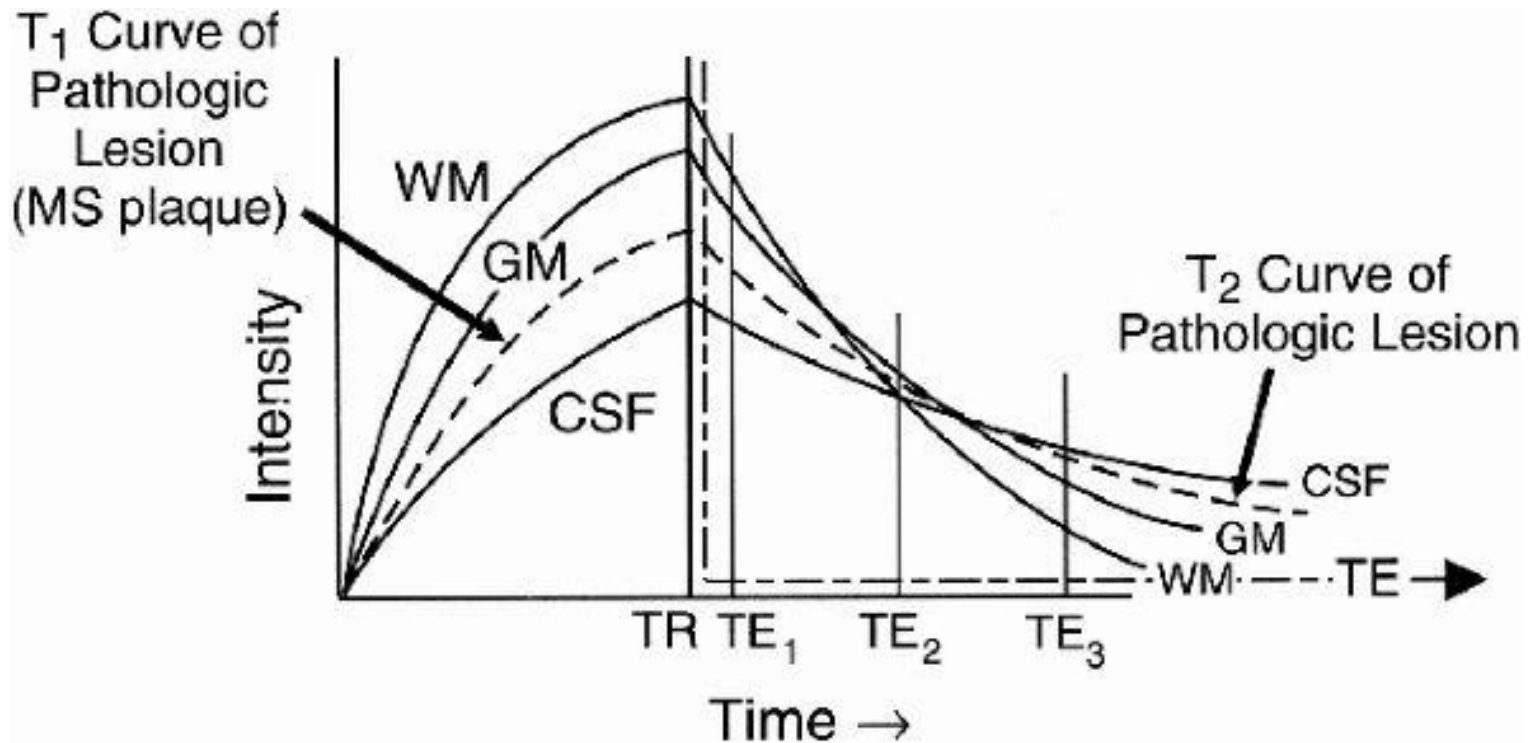
- WM: Fat
- GM: Solid Tissue
- CSF: H₂O

	T ₁ (msec)	T ₂ (msec)	N(H)
White matter	510	67	0.61
Gray matter	760	77	0.69
Edema	900	126	0.86
CSF	2650	180	1.00



Example: Brain Imaging

- Detecting a lesion
 - ▣ Compare contrasts at different TE values
 - ▣ TE1 appears to provide best contrast

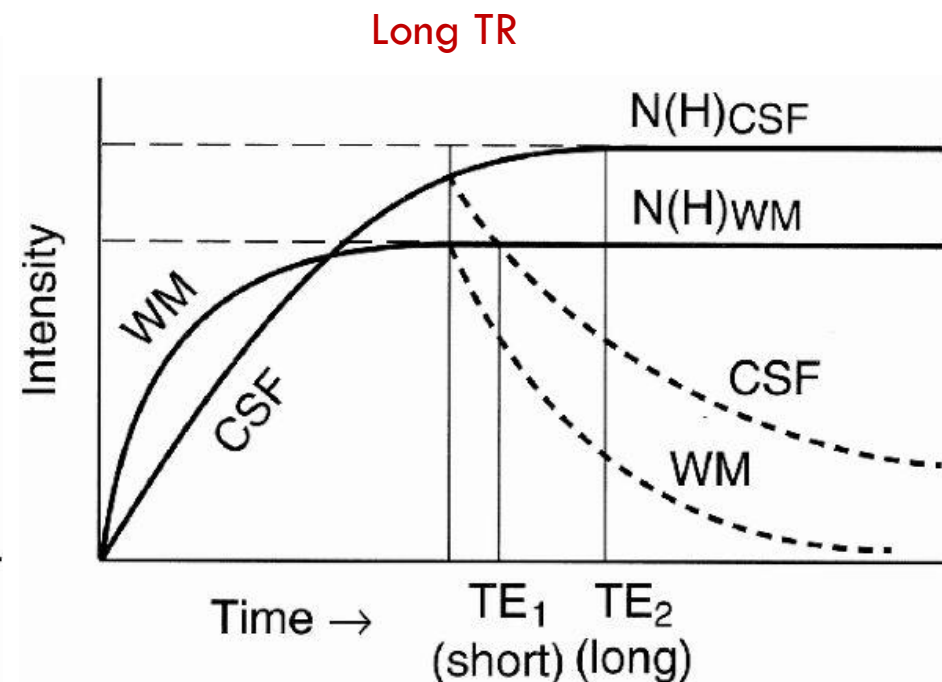
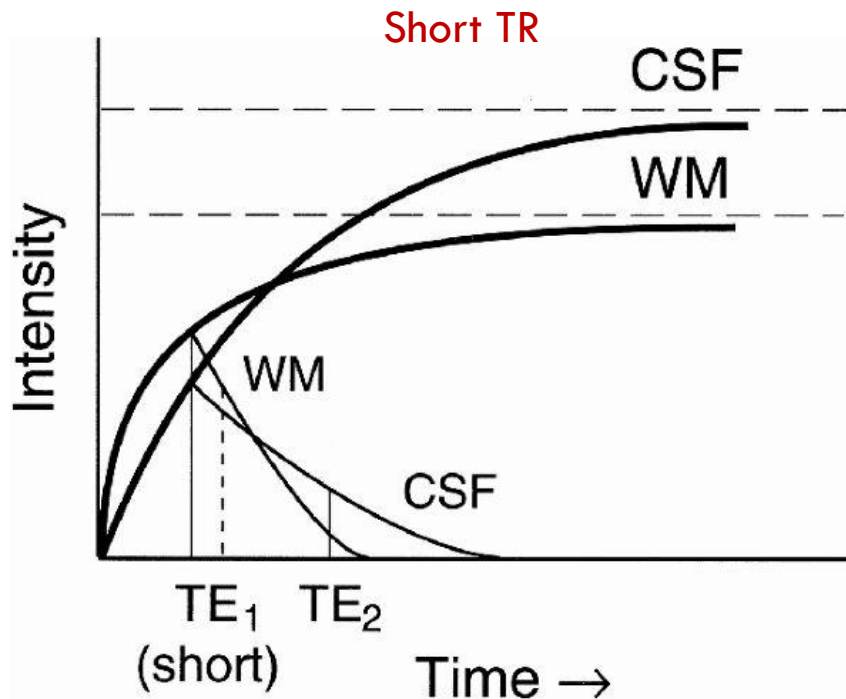


Tissue Contrast: T1W, T2W and PDW

□ Consider Cases of:

- Short/Long TR
- Short/Long TE

	T_1 (msec)	T_2 (msec)	N(H)
White matter	510	67	0.61
Gray matter	760	77	0.69
Edema	900	126	0.86
CSF	2650	180	1.00



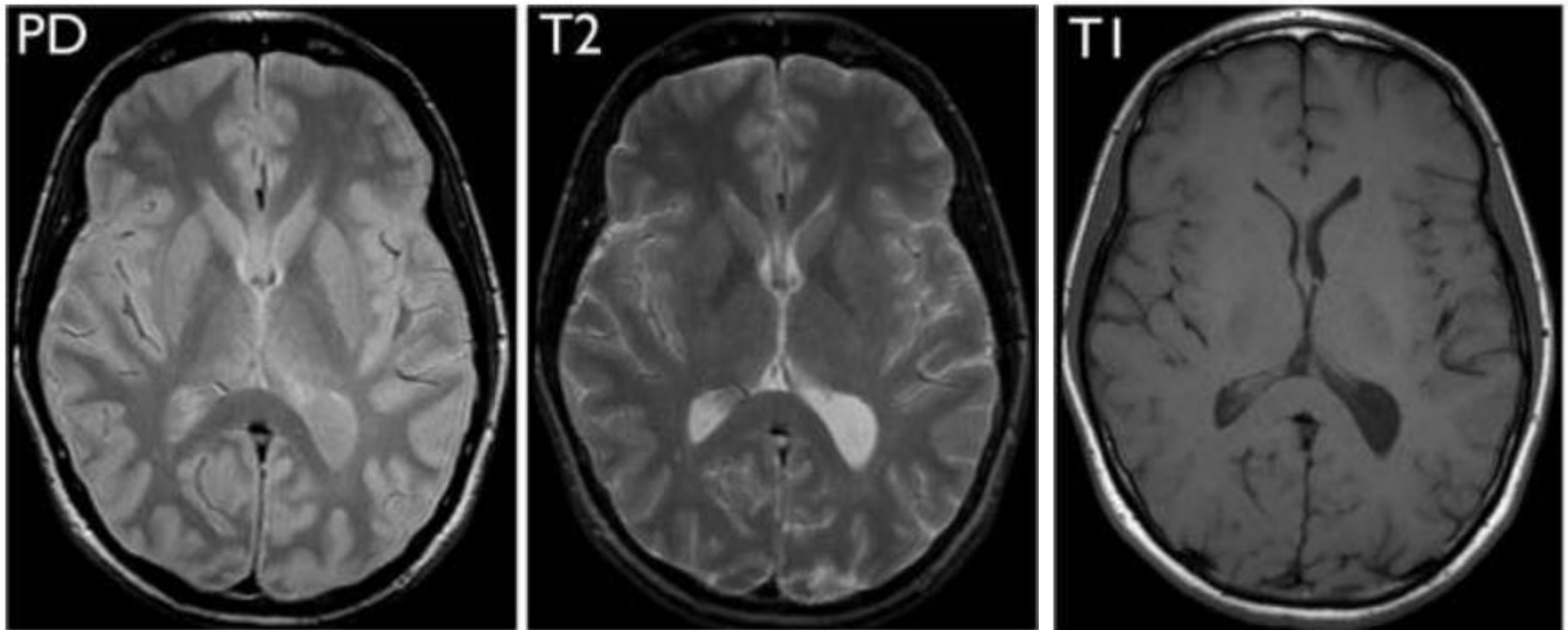
Tissue Contrast Summary

	TR	TE	Signal (Theoretical)
T1W	short	short	$N(H)(1 - e^{-TR/T1})$
T2W	long	long	$N(H)(e^{-TE/T2})$
PDW	long	short	$N(H)$

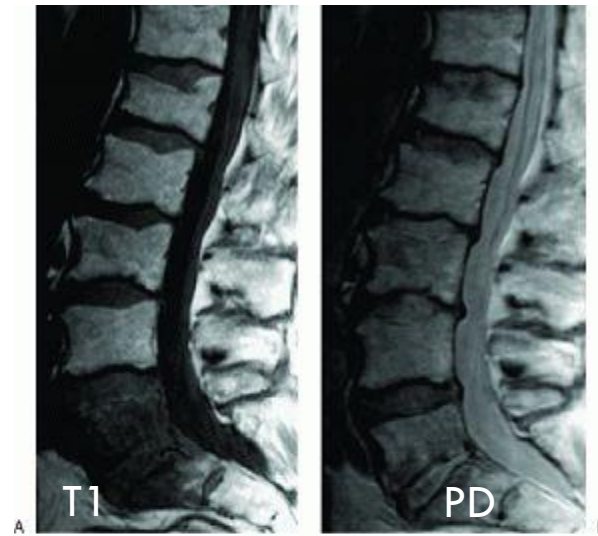
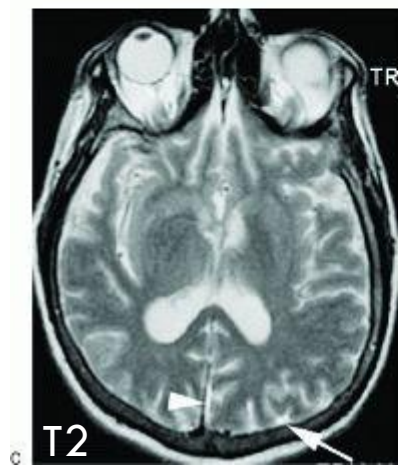
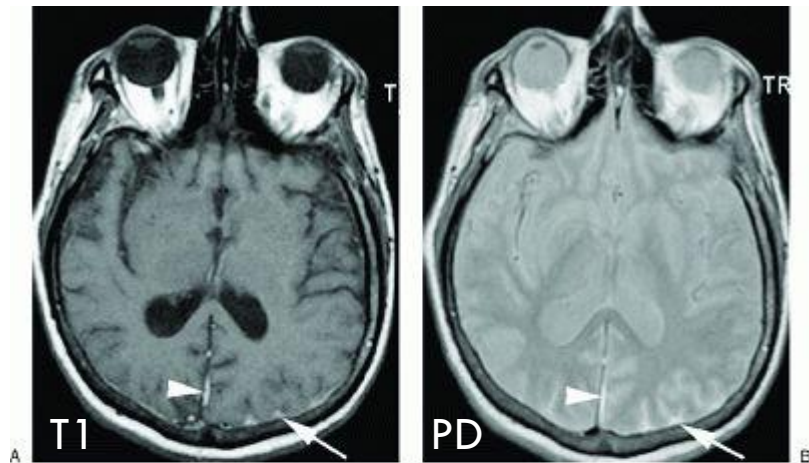
	Short TE	Long TE
short TR	T1W	mixed
long TR	PDW	T2W

Tissue Contrast Examples

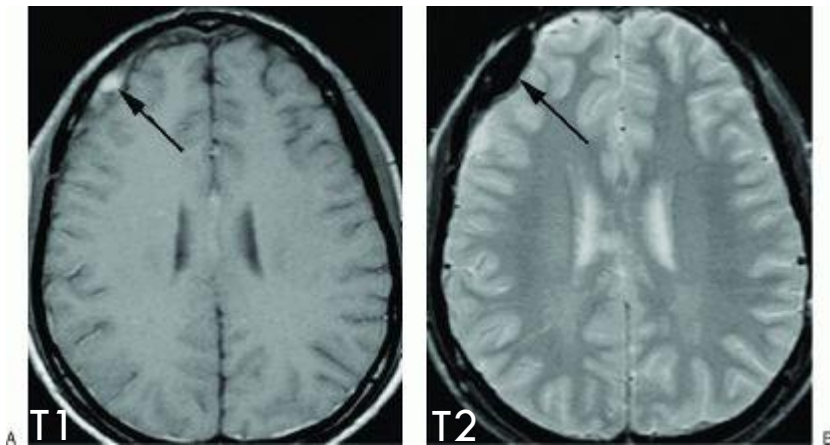
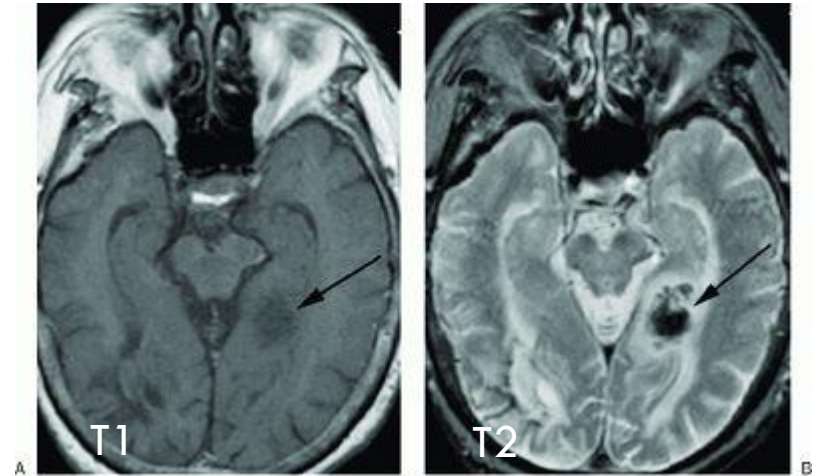
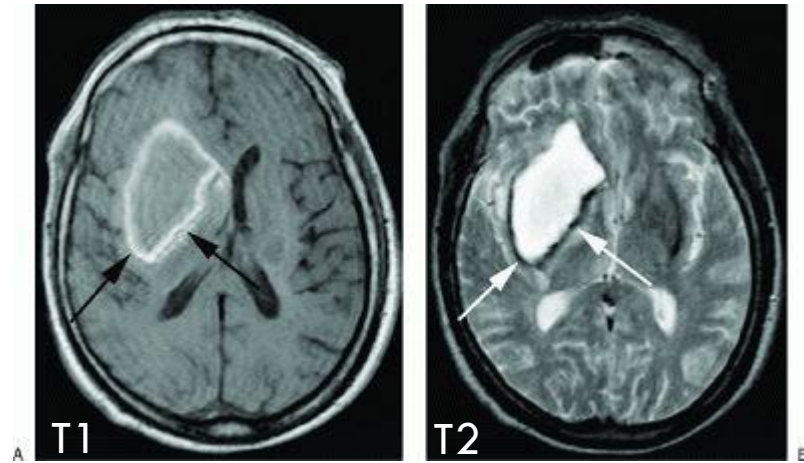
- Normal brain imaging
 - ▣ Very different contrast using different weighting selection



Tissue Contrast Examples



Tissue Contrast Examples



Pulse Sequences: Saturation, Saturation Recovery and Inversion Recovery

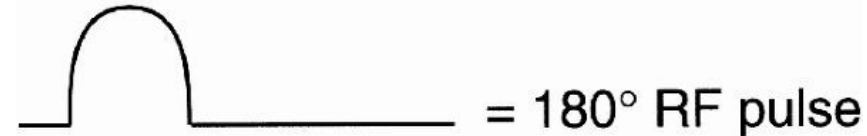
- A pulse sequence is a sequence of radio frequency (RF) pulses applied repeatedly during an MR study
 - ▣ Embedded in it are the TR and TE time parameters

□ It is related to a timing diagram or a pulse sequence diagram

□ 90° pulse: **Saturation**

□ 180° pulse: **Inversion**

□ $<90^\circ$ pulse: **Partial Saturation**

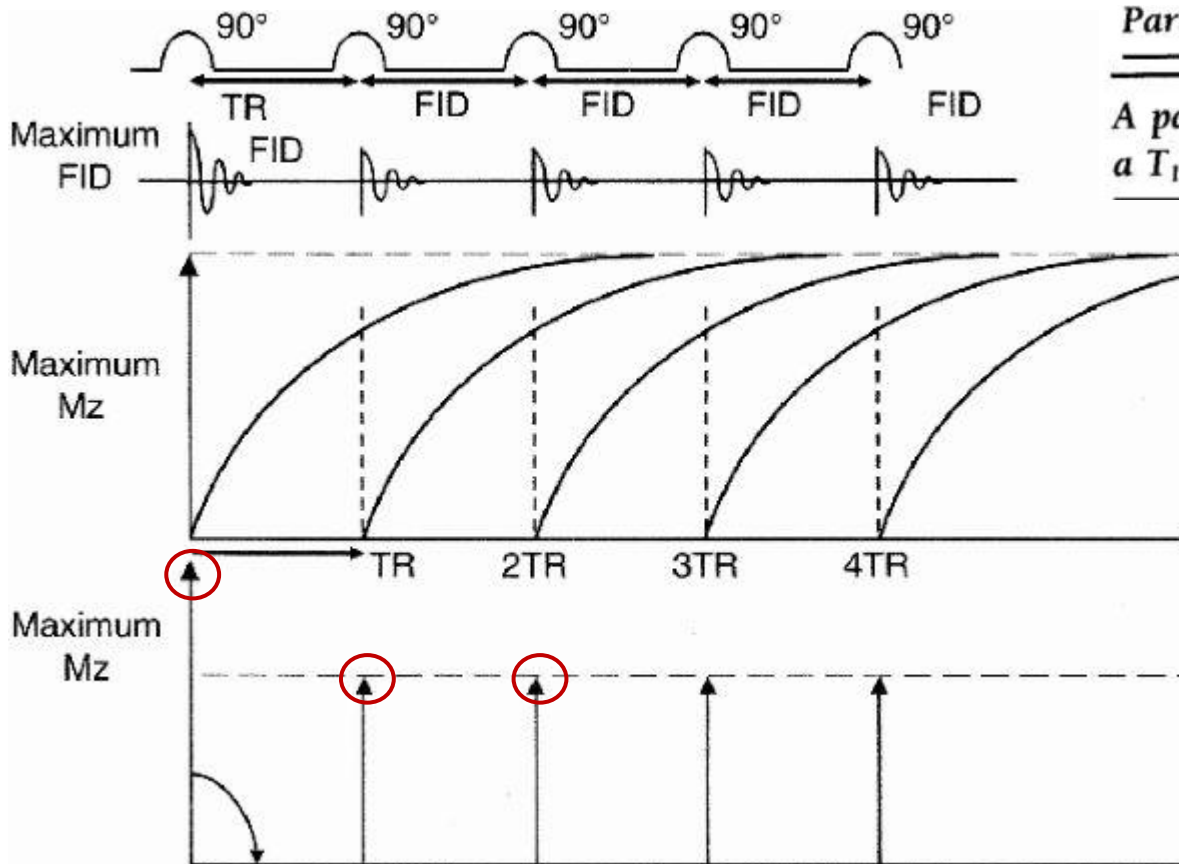


Saturation

- Immediately after the longitudinal magnetization has been flipped into the x-y plane by a 90° pulse, the system is said to be saturated
 - ▣ Application of a second 90° pulse at this moment will elicit no signal (like beating a dead horse).
- A few moments later, after some T1 recovery, the system is **partially saturated**
- With complete T1 recovery to the plateau value, the system is **unsaturated** or **fully magnetized**
- If longitudinal magnetization only partially flipped into the x-y plane (i.e., flip angles less than 90°), then there is still a component of magnetization along the z axis
 - ▣ Spins in this state are also **partially saturated**

Partial Saturation Pulse Sequence

- Start with a 90° pulse, wait for a short period TR, and then apply another 90° pulse. Keep repeating this sequence.



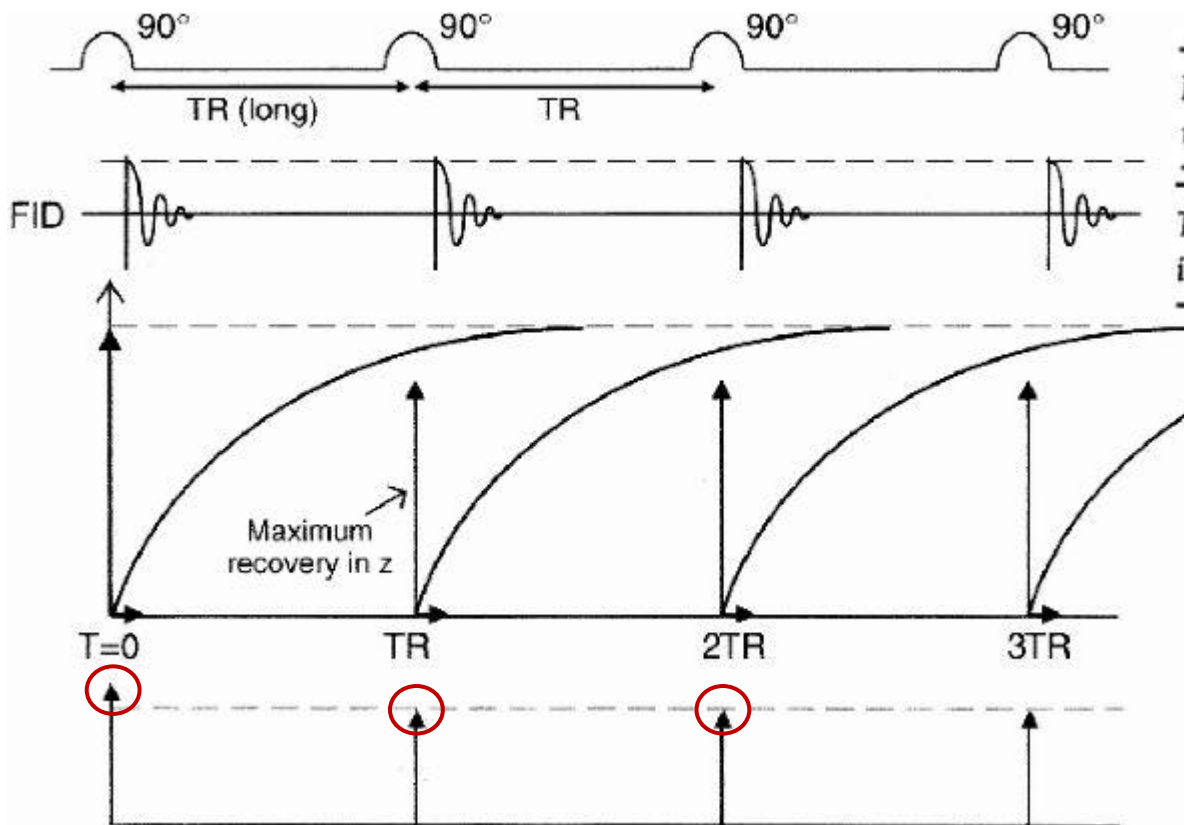
Partial saturation: TR is short, TE is minimal.

A partial saturation pulse sequence generates a T_1 weighted image.

Longitudinal Magnetization only partially recovered

Saturation Recovery Pulse Sequence

- We try to recover all the longitudinal magnetization before we apply another 90° RF pulse
 - ▣ Wait a long time before we apply a second RF pulse (Long TR)



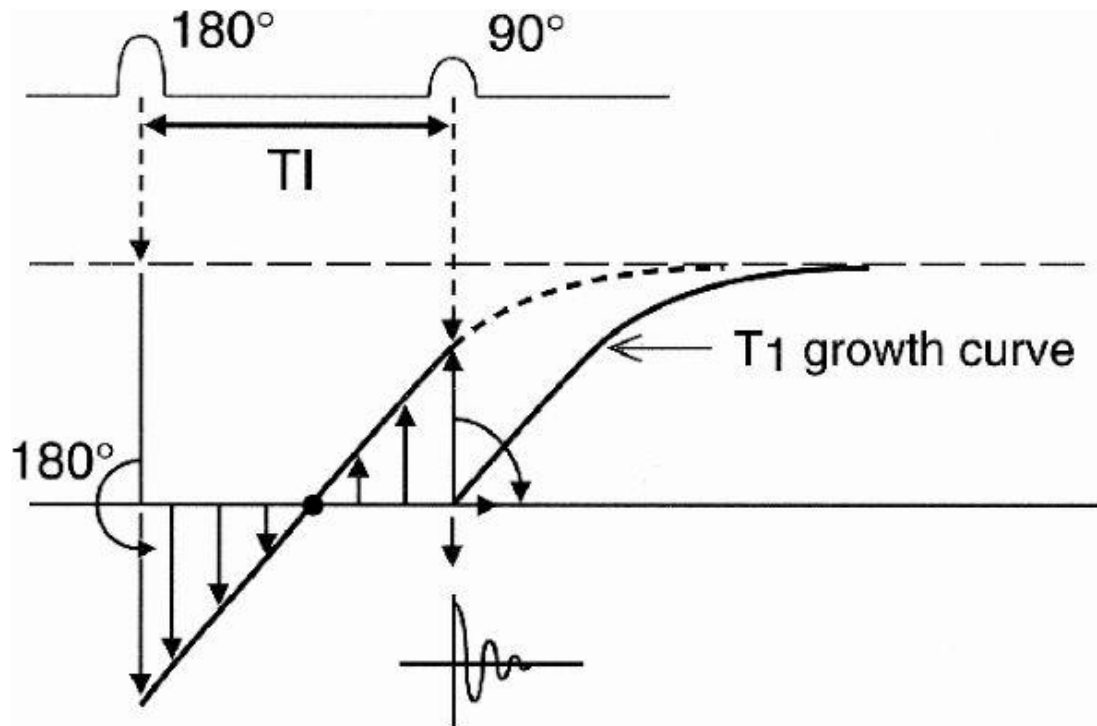
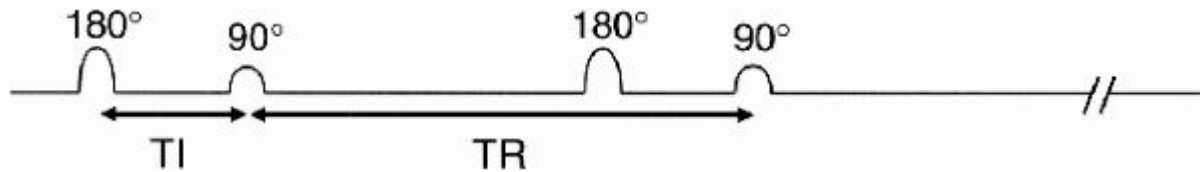
In saturation recovery, TR is long and TE is minimal.

The saturation recovery pulse sequence results in a proton density weighted image.

Longitudinal Magnetization almost completely recovered

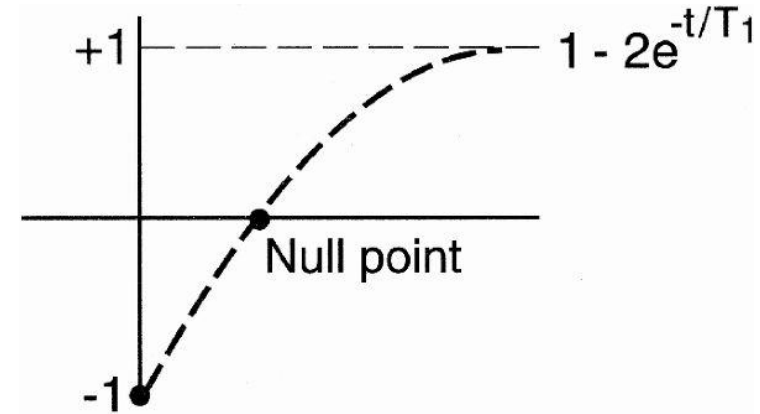
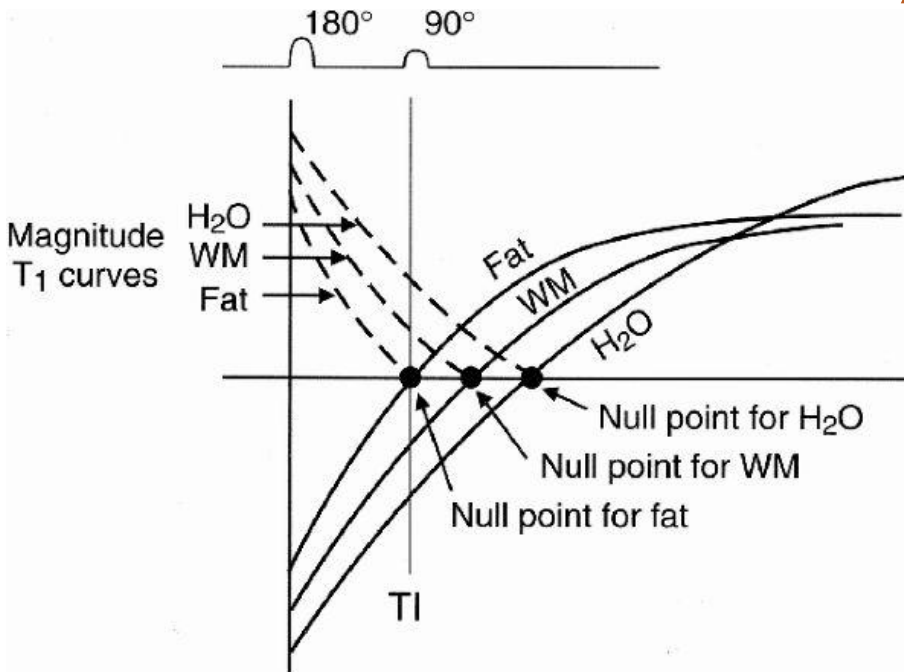
Inversion Recovery Pulse Sequence

- first apply a 180° RF pulse. Next, we wait a period of time (the inversion time TI) and apply a 90° RF pulse



Inversion Recovery: Null Point

- The point at which the signal crosses the zero line is called the null point
 - ▣ Clinical application: Suppress a tissue
- Example: Fat Suppression using STIR
 - ▣ STIR: Short TI Inversion Recovery



$$\text{Signal intensity} = 0 = 1 - 2e^{-\text{TI}/T_1}$$

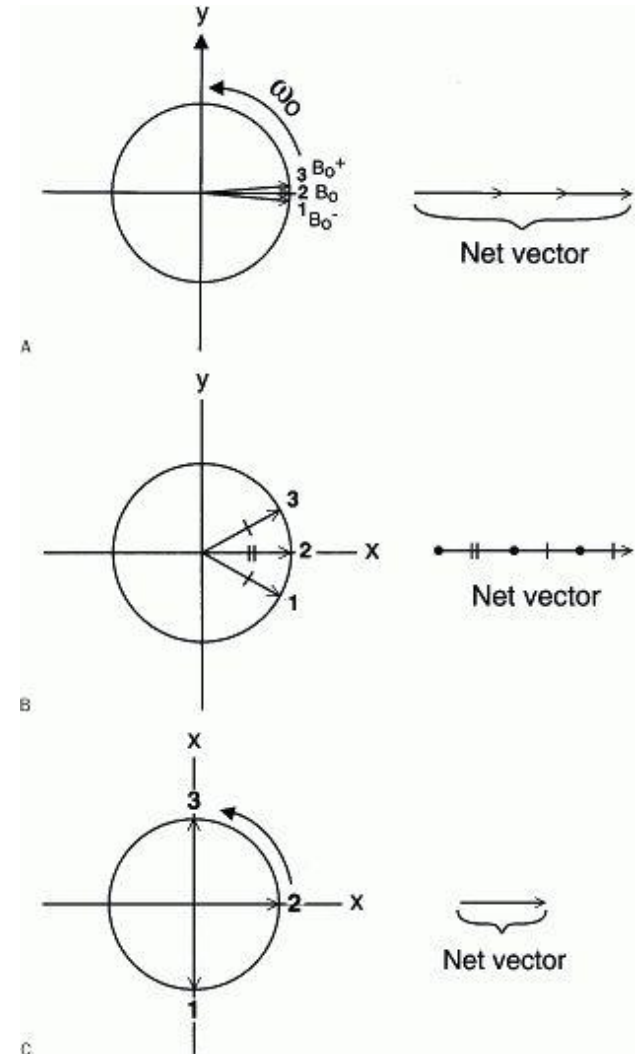
$$\text{TI (null)} = 0.693 \times T_1$$

Pulse Sequences: Spin Echo

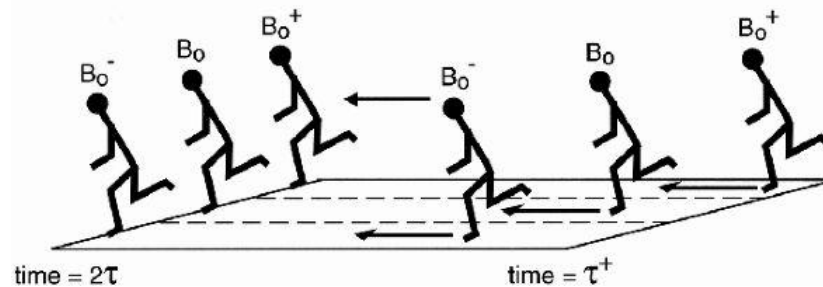
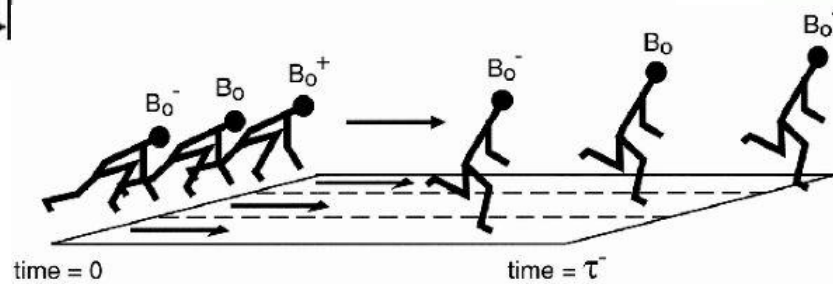
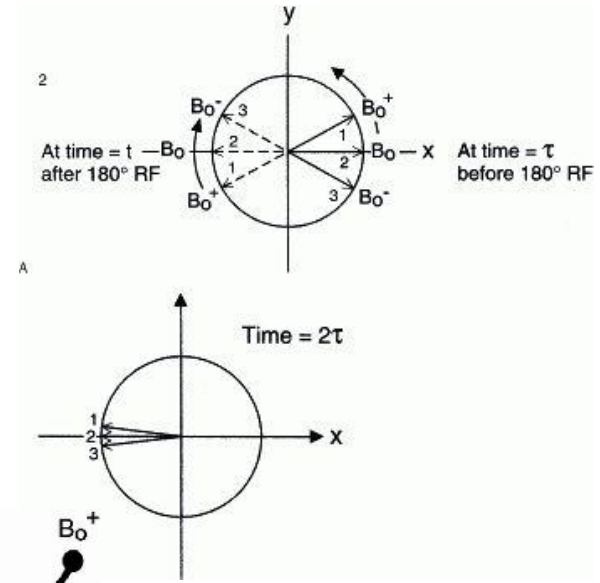
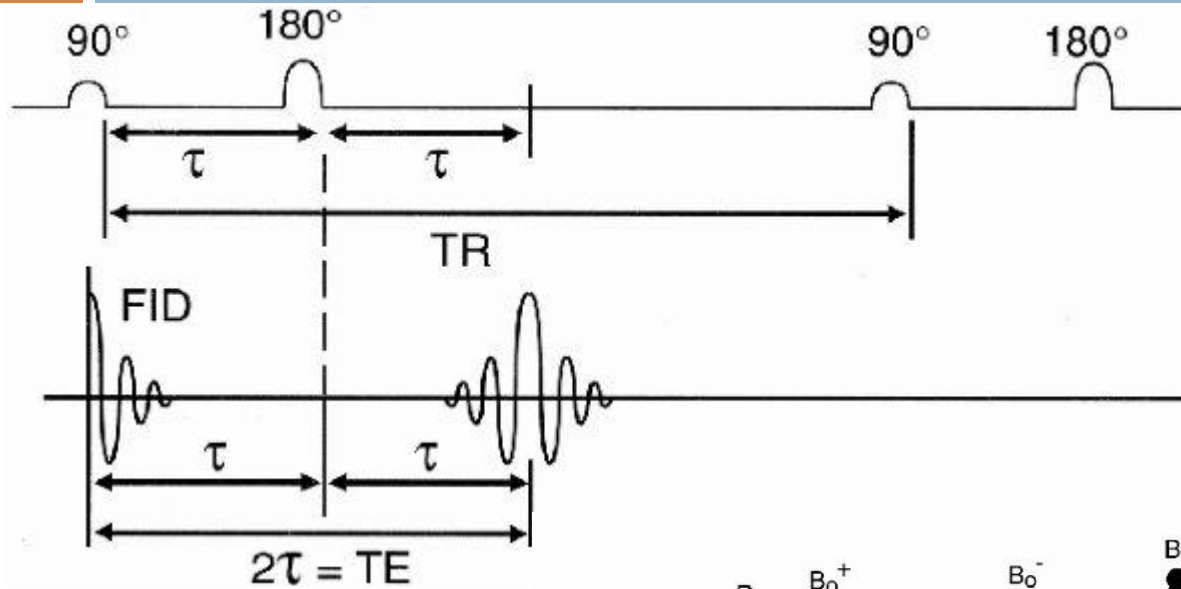
- Dephasing problem causes
 - ▣ Spin-spin interactions (inherent)
 - ▣ External magnetic field inhomogeneity

$$1/T2^* = 1/T2 + \gamma\Delta B$$

- Spin echo sequence: only T2

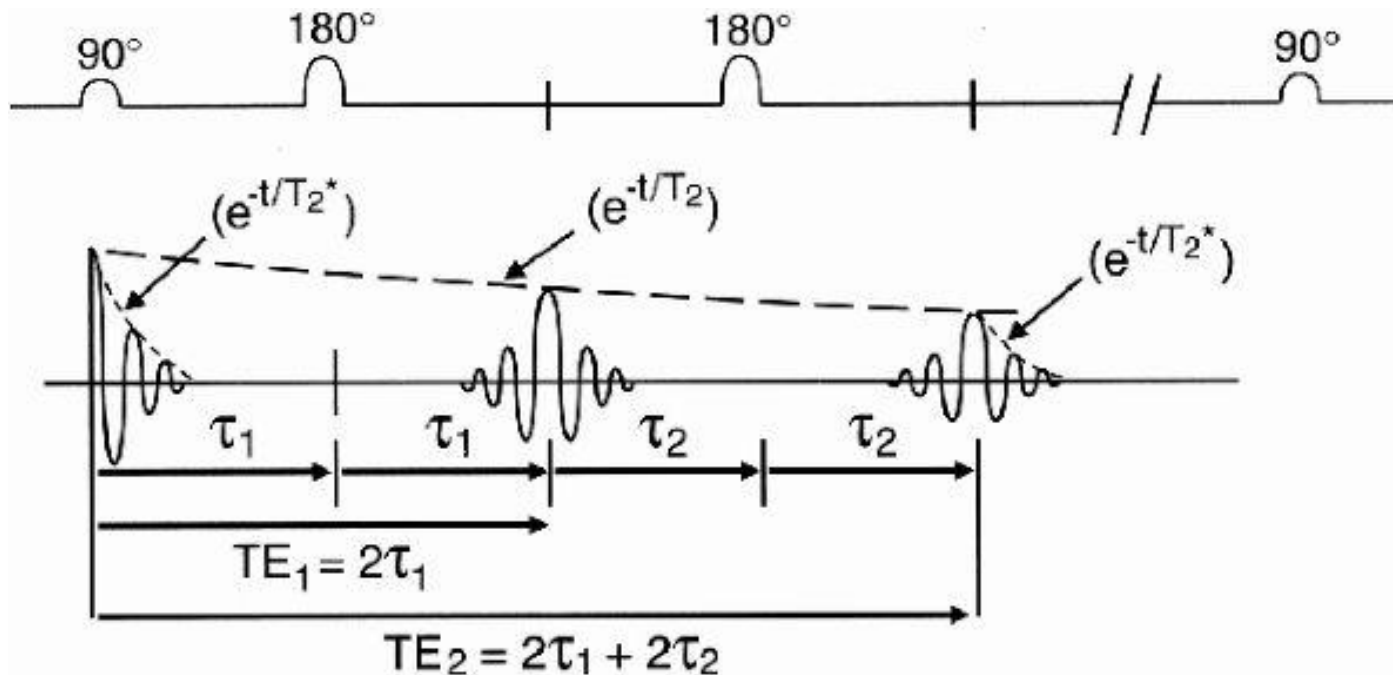


Spin Echo Pulse Sequence



Multi-Echo Spin Echo Pulse Sequence

- Add another 180° rephasing pulse
 - ▣ Symmetric echoes: $\tau_1 = \tau_2$
 - ▣ Asymmetric echoes: $\tau_1 \neq \tau_2$



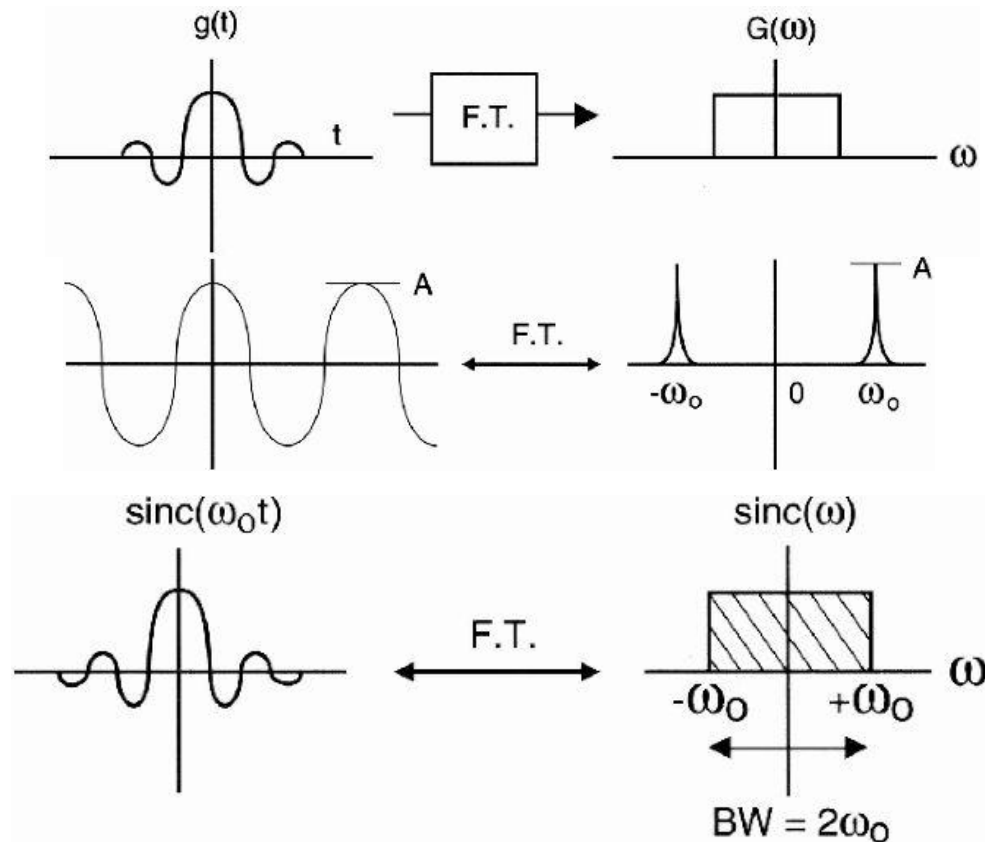
Tissue Contrast with Spin Echo

Contrast	TR	TE	Signal (Theoretical)
T1W	Short	Short	$N(H)(1 - e^{-TR/T1})$
T2W	Long	Long	$N(H)(e^{-TE/T2})$
PDW	Long	Short	$N(H)$

	Short TE	Long TE
Short TR	T1W	Mixed
Long TR	PDW	T2W

Fourier Transform

- The Fourier Transform (FT) provides a frequency spectrum of a signal.
 - ▣ It is sometimes easier to work in the frequency domain



Fourier Transform

- Forward transform (*Analysis*)

$$\mathcal{F}\{g\} = \iint_{-\infty}^{\infty} g(x, y) \exp[-j2\pi(f_X x + f_Y y)] dx dy.$$

- Inverse transform (*Synthesis*)

$$\mathcal{F}^{-1}\{G\} = \iint_{-\infty}^{\infty} G(f_X, f_Y) \exp[j2\pi(f_X x + f_Y y)] df_X df_Y.$$

Fourier Transform

- Effect of high frequencies
 - ▣ Details of signal
 - ▣ The more you acquire, the higher the resolution the image will be
 - ▣ The bandwidth (BW) is simply a measure of the range of frequencies present in the signal

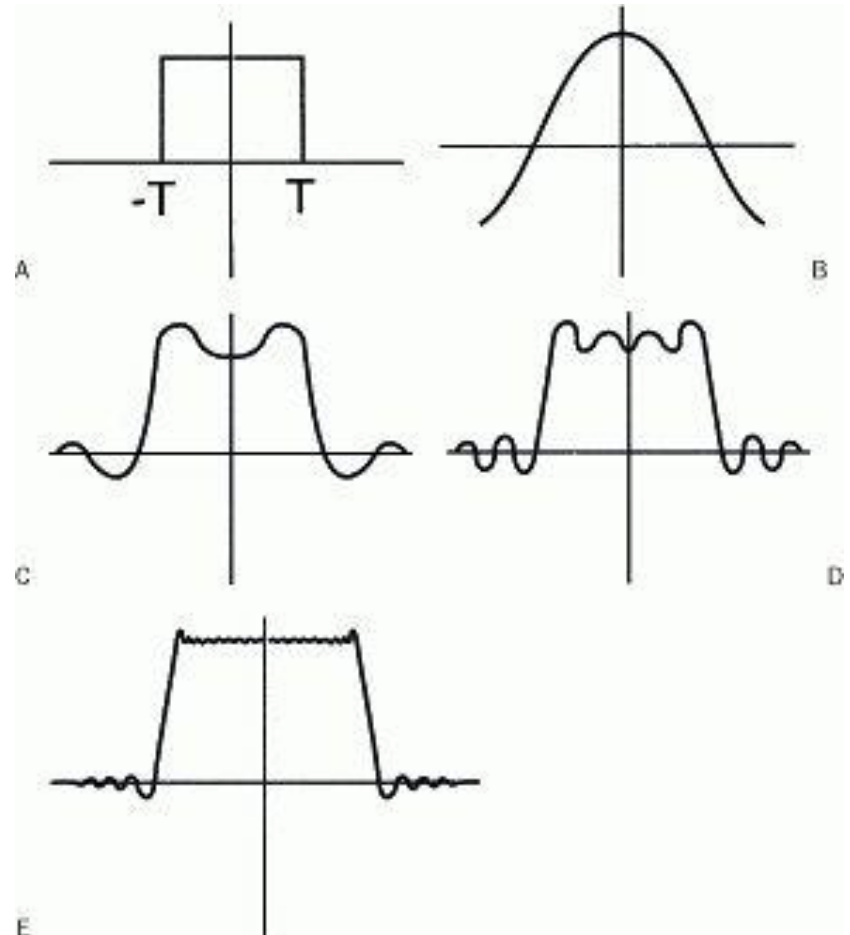
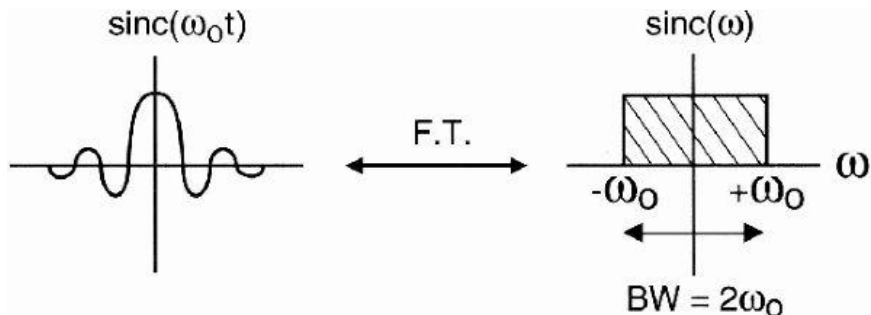
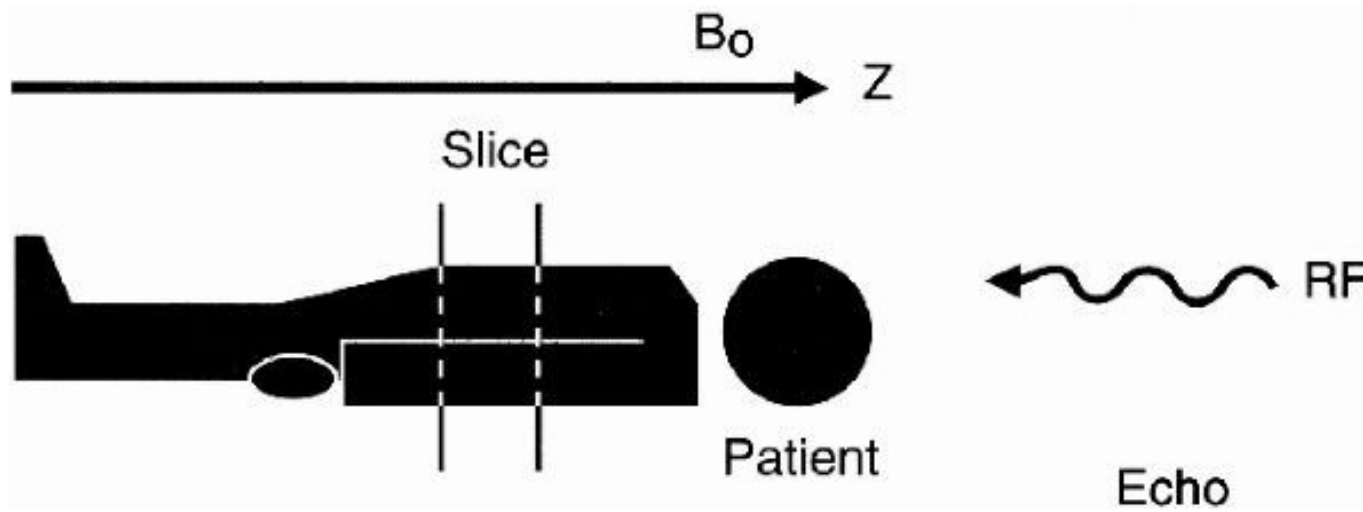


Image Reconstruction

- The signals received from a patient contain information about the entire part of the patient being imaged.
 - They do not have any particular spatial information. That is, we cannot determine the specific origin point of each component of the signal.
- This is the function of the gradients where one gradient is required in each of the x , y , and z directions to obtain spatial information in that direction.
 - Slice-select gradient
 - Readout or frequency-encoding gradient
 - Phase-encoding gradient
- Depending on their orientation axis they are called G_x , G_y , and G_z .
- Depending on the slice orientation (axial, sagittal, or coronal), G_x , G_y , and G_z can be used for slice select, readout, or phase encode.

Slice Selection

- Signal is obtained only from a particular slice from the body.
 - ▣ Can be in any direction



Slice Selection

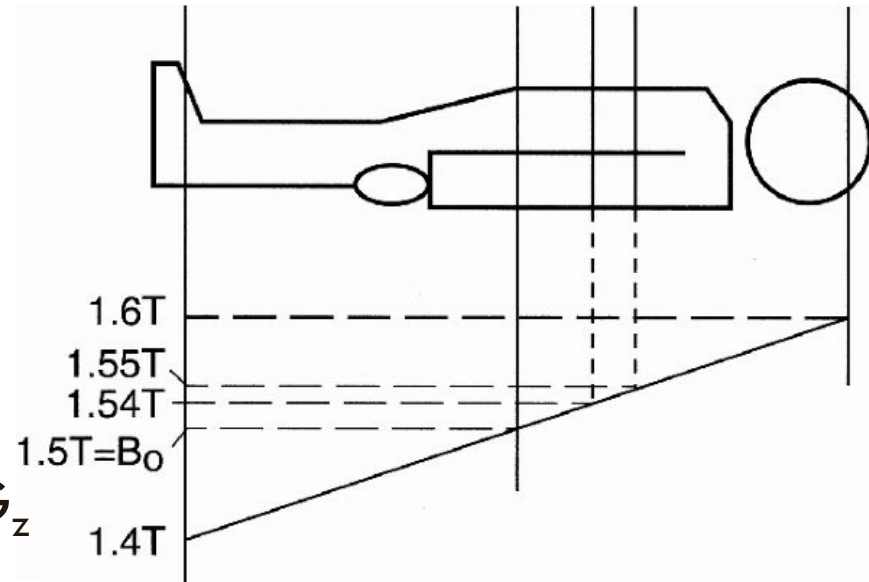
- Larmor equation:

$$\omega_o = \gamma B_0$$

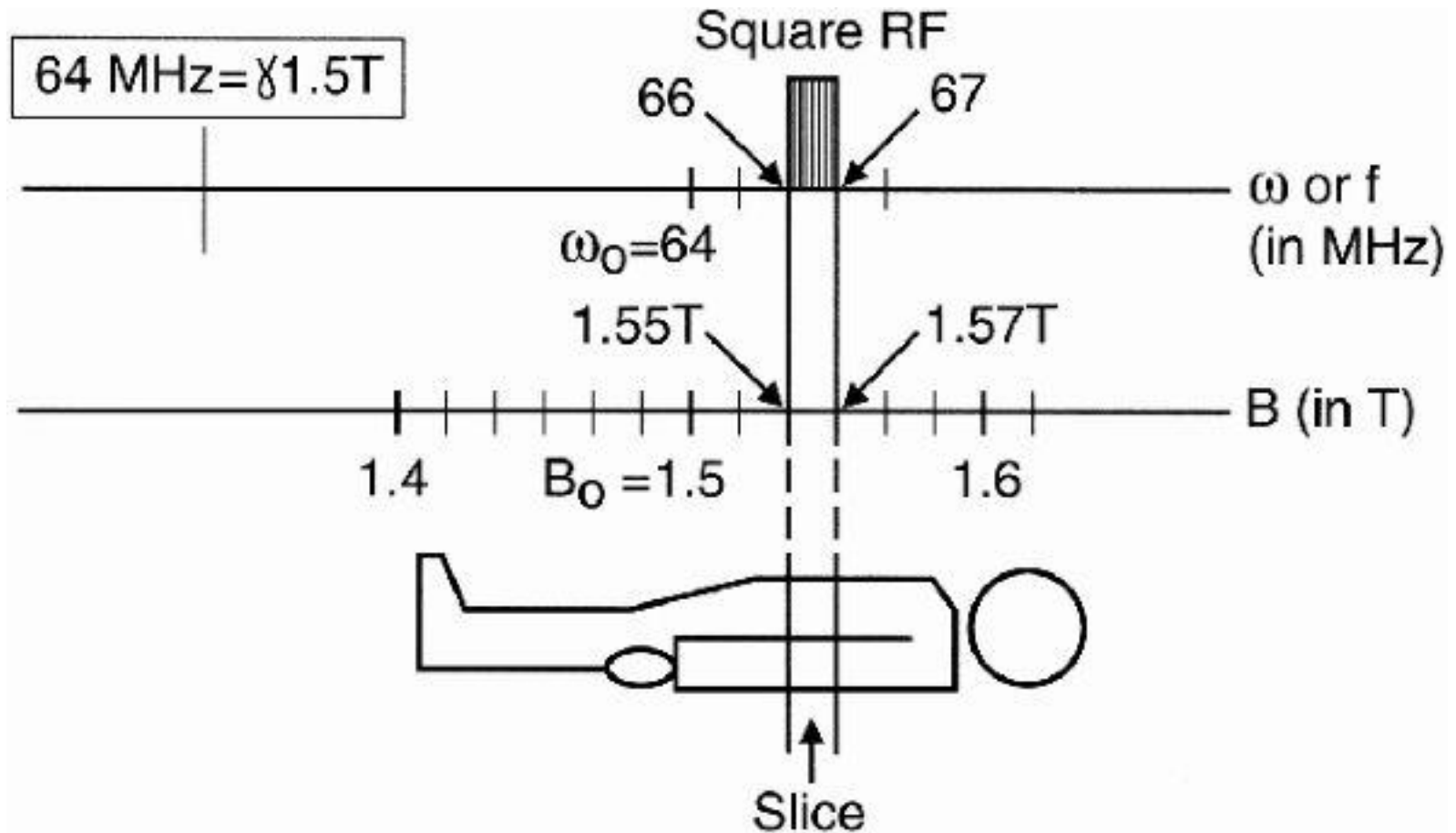
- Larmor equation with gradient G_z

$$\omega_o(z) = \gamma(B_0 + G_z \cdot z)$$

- ▣ Larmor frequency depends on location
- ▣ Send RF pulse with desired frequency range to excite a slice !



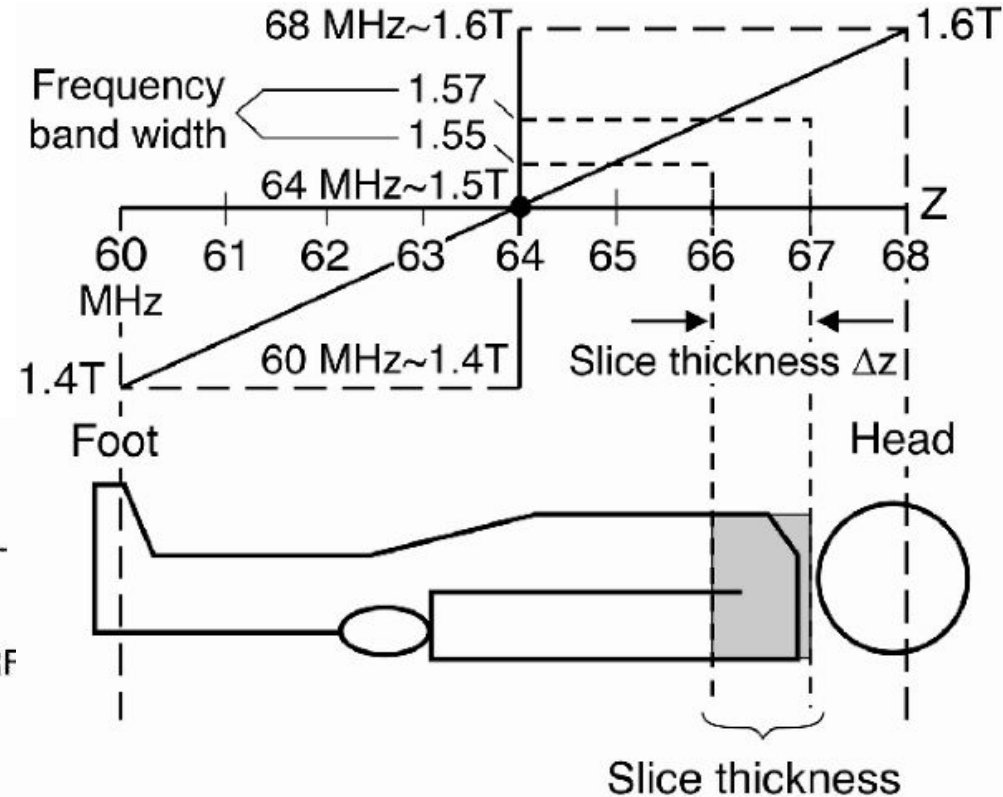
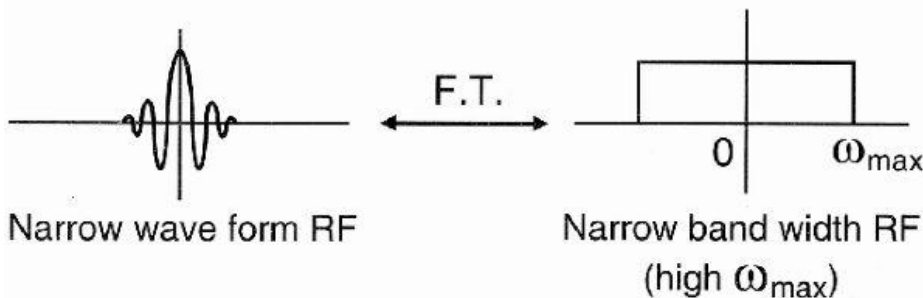
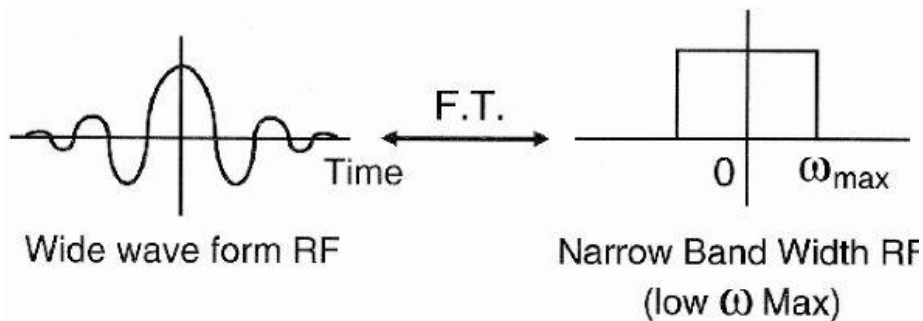
Slice Selection



Slice Selection

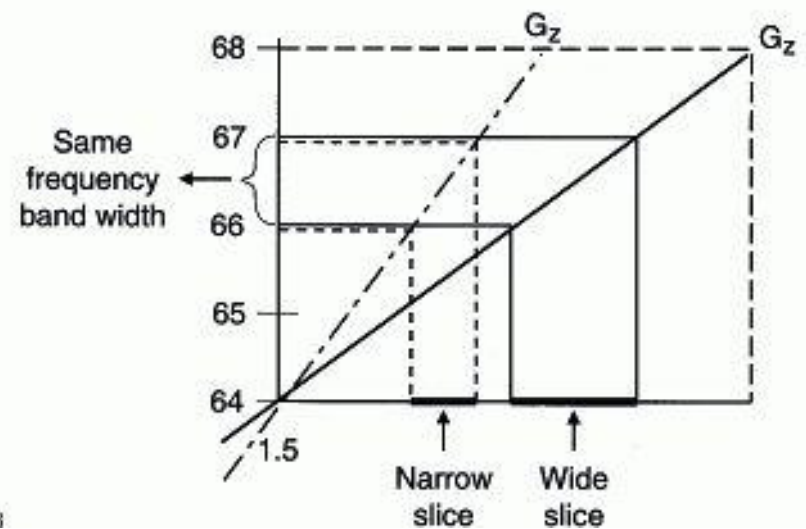
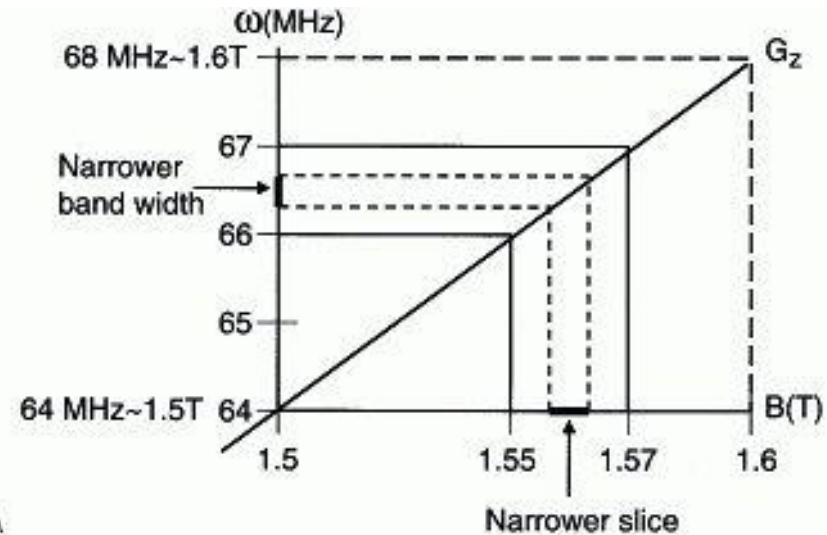
□ Slice definition

- ▣ Slice location
- ▣ Slice thickness
- ▣ Slice profile



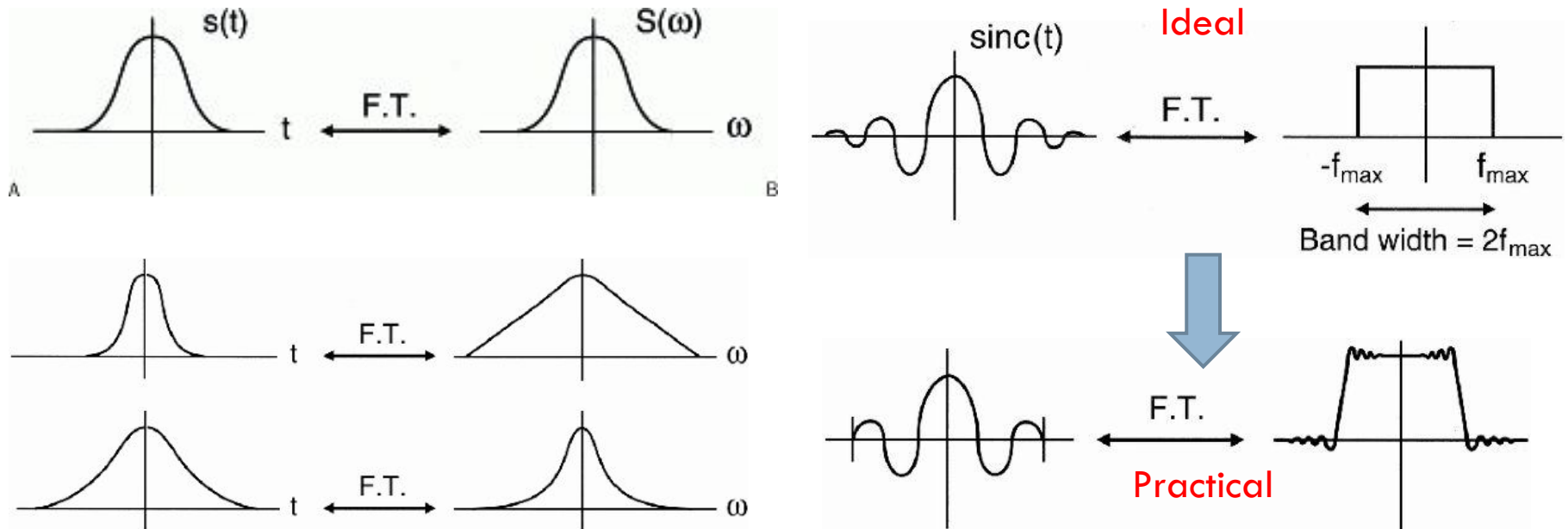
Slice Selection: Changing Thickness

- Different RF pulse bandwidth
- Different slice selection gradient
- To decrease the thickness is to use a narrower bandwidth.
 - ▣ Narrower frequency bandwidth will excite protons in a narrower band of magnetic field strengths
- Second way to decrease slice thickness is to increase the slope of the magnetic field gradient



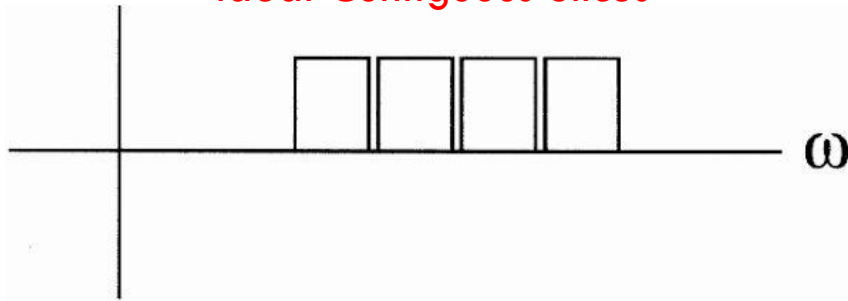
Slice Selection: RF Pulses

- There are two types of RF pulses:
 - ▣ Nonselective
 - ▣ Selective
- Slice profile = Fourier transform of pulse shape

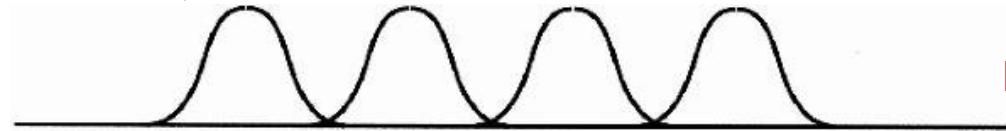
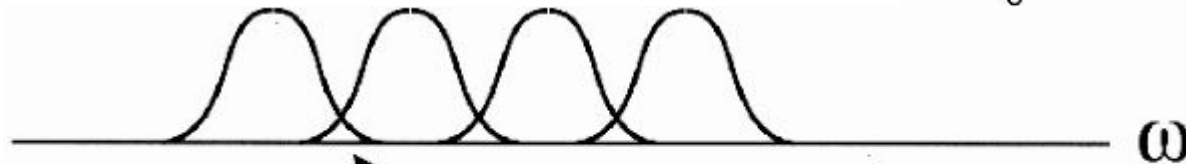


Slice Selection: Multi-Slice Scan

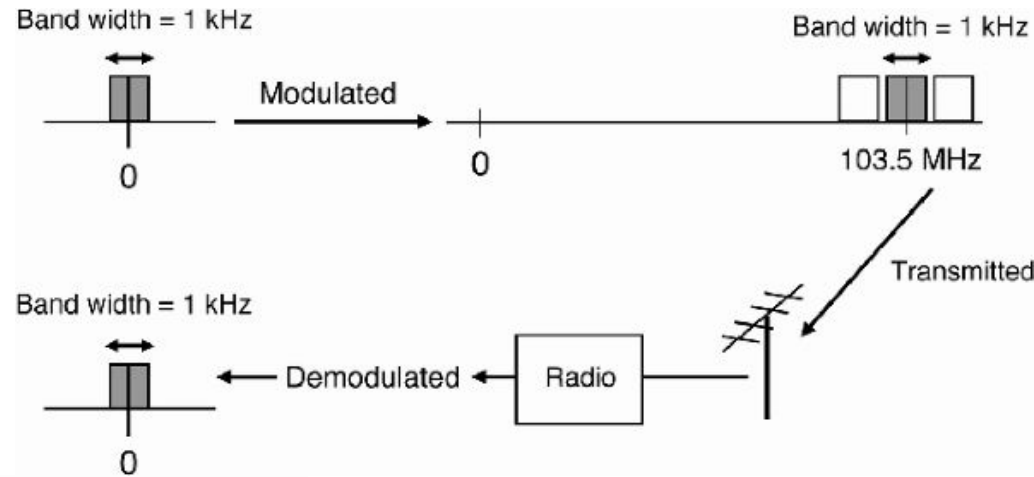
Ideal Contiguous Slices



Practical Slices



Less overlap = less cross-talk



Leave more spacing between slices

In-Plane Spatial Encoding: Fourier Imaging

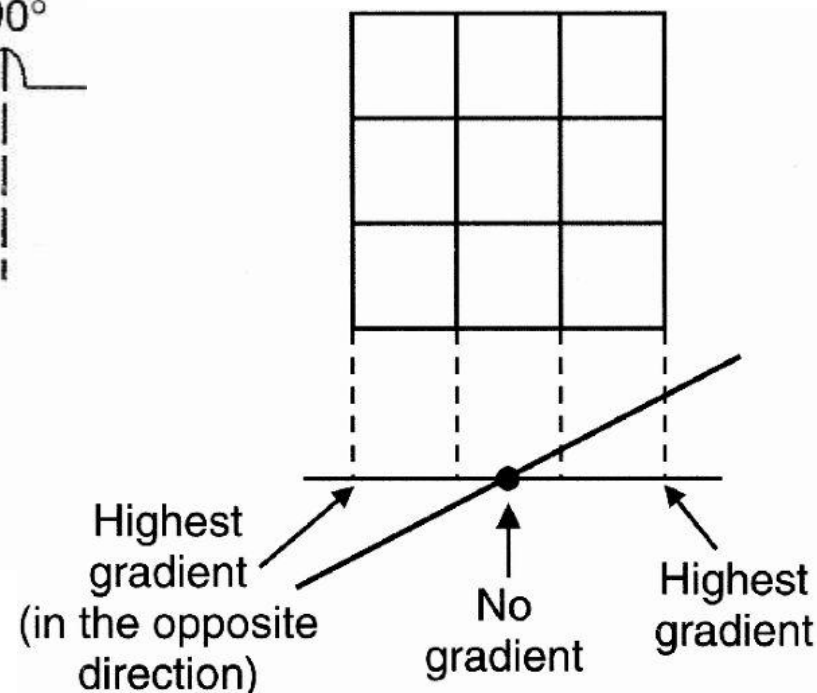
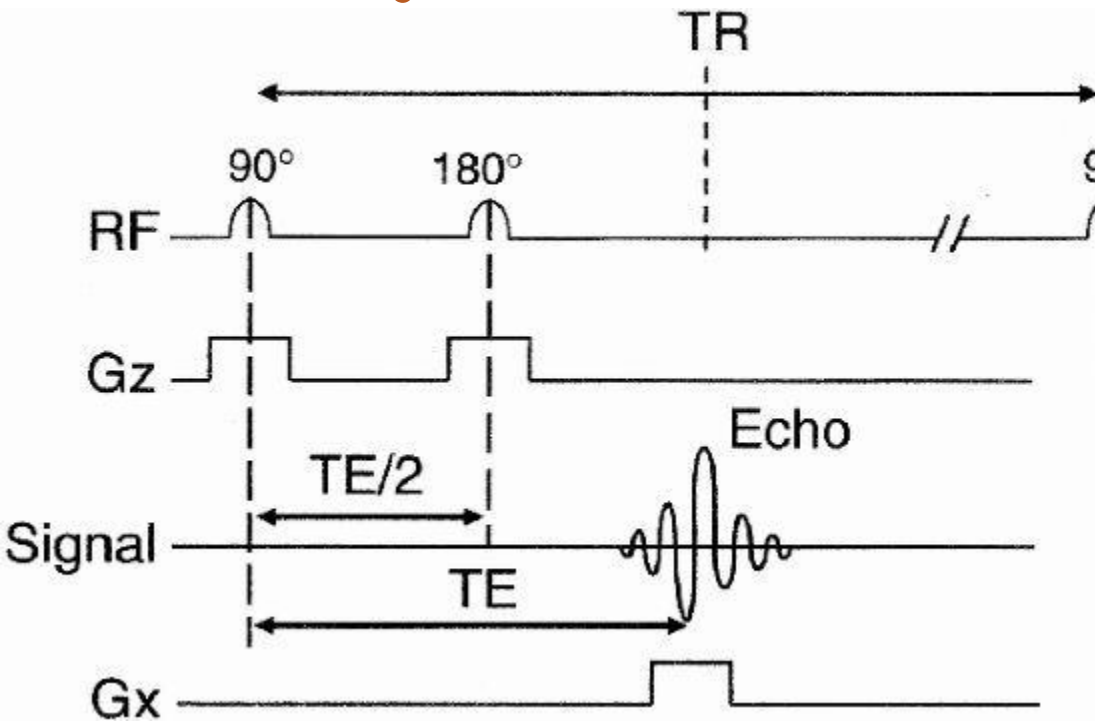
- Basic idea: encode location by frequency
 - ▣ Magnetic field gradient is used during reception
 - ▣ Larmor frequency depends on present magnetic field
 - ▣ Returned frequency from an area depends on its location
 - ▣ Easily decoded by Fourier transformation
- Applied by 2 different methods
 - ▣ Frequency encoding
 - ▣ Phase encoding

Frequency Encoding

- Read-out gradient

- The G_x gradient is applied during the time the echo is received, i.e., during readout

$$F(k_x) = \int f(x) \cdot e^{-j2\pi k_x \cdot x} dx$$



Frequency Encoding Example

0	1	1
1	2	0
-2	0	1

True Image



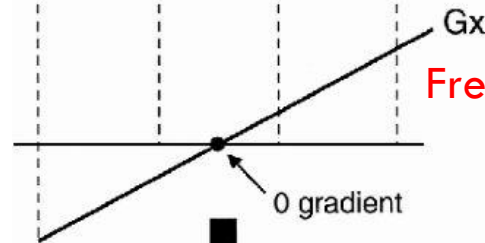
0	$\cos\omega_0 t$	$\cos\omega_0 t$
$\cos\omega_0 t$	$2\cos\omega_0 t$	0
$-2\cos\omega_0 t$	0	$\cos\omega_0 t$

Image sum

$4 \cos\omega_0 t$

No Frequency Encoding

0	$\cos\omega_0 t$	$\cos\omega_0 t$
$\cos\omega_0 t$	$2\cos\omega_0 t$	0
$-2\cos\omega_0 t$	0	$\cos\omega_0 t$



Frequency Encoding Applied

0	$\cos\omega_0 t$	$\cos\omega_0^+ t$
$\cos\omega_0^- t$	$2\cos\omega_0 t$	0
$-2\cos\omega_0^- t$	0	$\cos\omega_0^+ t$

Column sum

$-\cos\omega_0^- t$	$3\cos\omega_0 t$	$2\cos\omega_0^+ t$
---------------------	-------------------	---------------------

$(-\cos\omega_0^- t) + (3\cos\omega_0 t) + (2\cos\omega_0^+ t)$

Phase Encoding

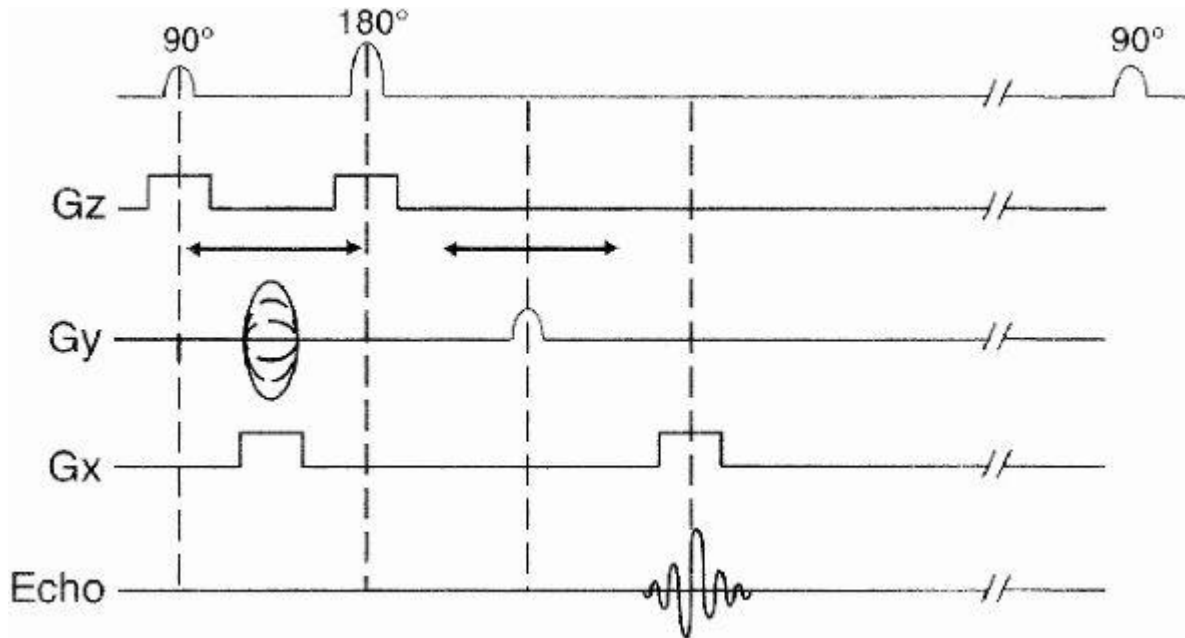
- Can we apply frequency encoding in 2 directions simultaneously?
 - ▣ Answer is NO
- 2D Fourier transform

$$F(k_x, k_y) = \iint f(x, y) \cdot e^{-j2\pi(k_x \cdot x + k_y \cdot y)} dx dy$$

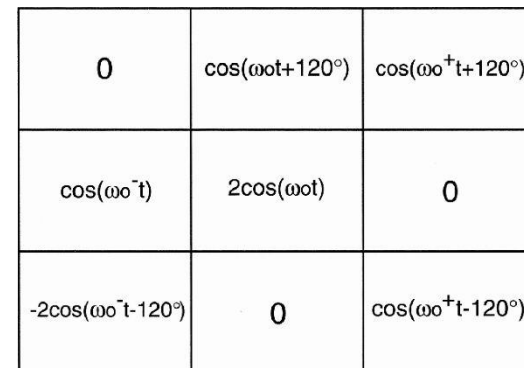
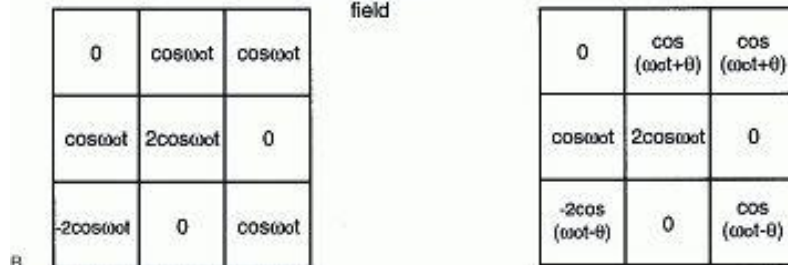
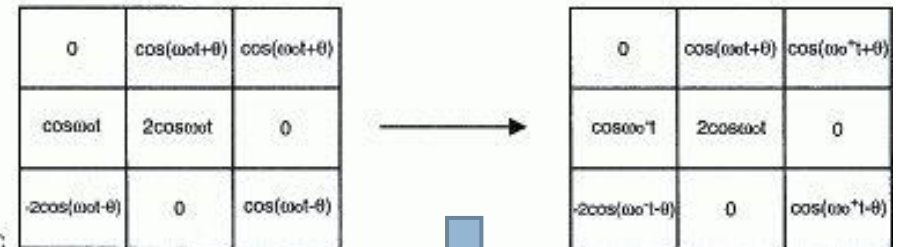
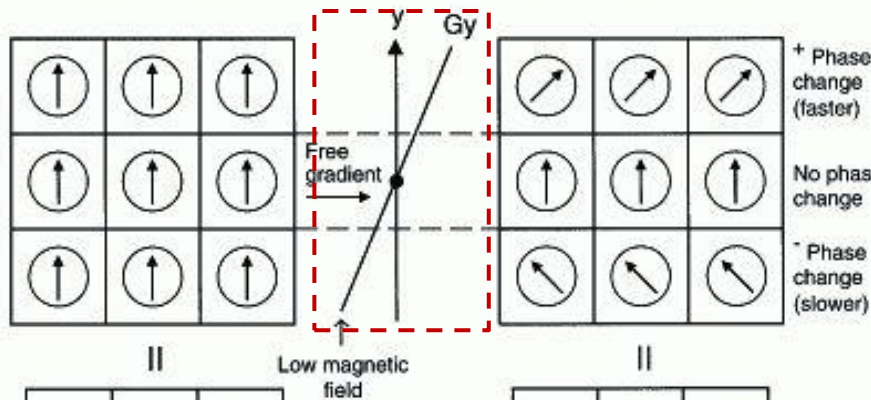
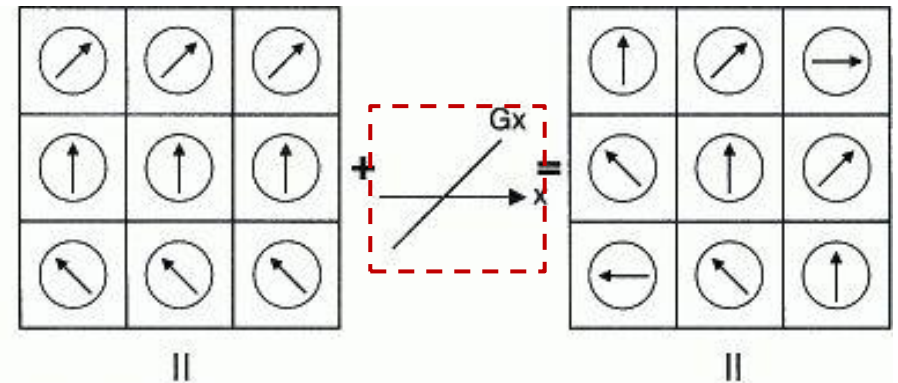
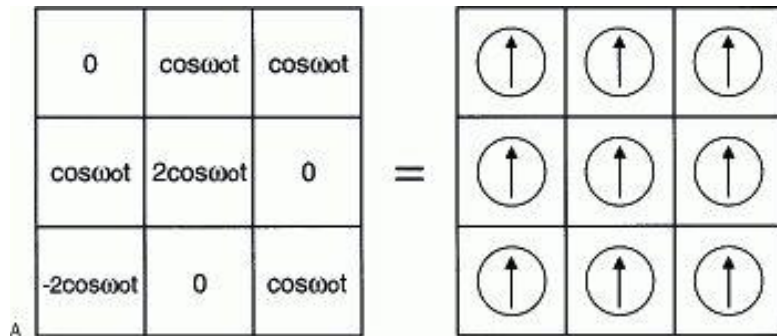
$$F(k_x, k_y) = \underbrace{\int e^{-j2\pi k_y y}}_{\text{Phase Encoding}} \left\{ \underbrace{\int f(x, y) \cdot e^{-j2\pi k_x x} dx}_{\text{Frequency Encoding}} \right\} dy$$

Phase Encoding

- G_y is usually applied between the 90° and the 180° RF pulses or between the 180° pulse and the echo.



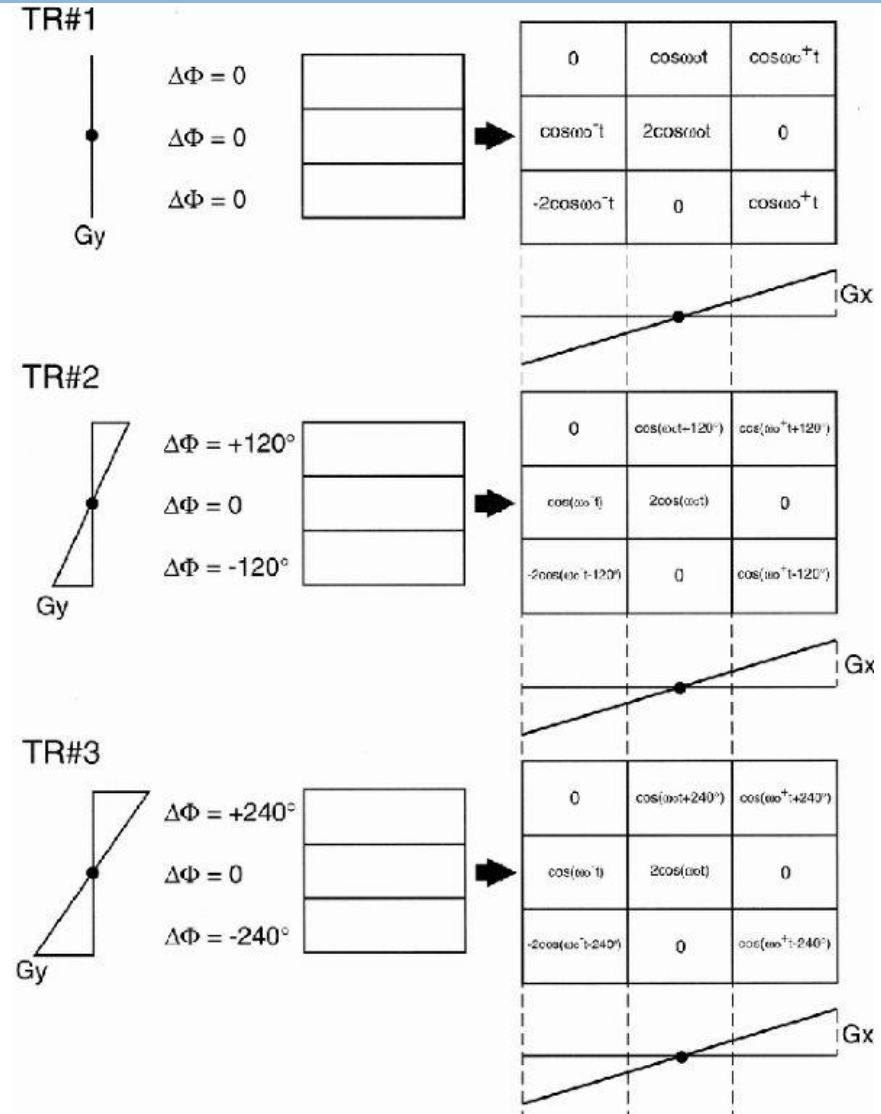
Phase Encoding



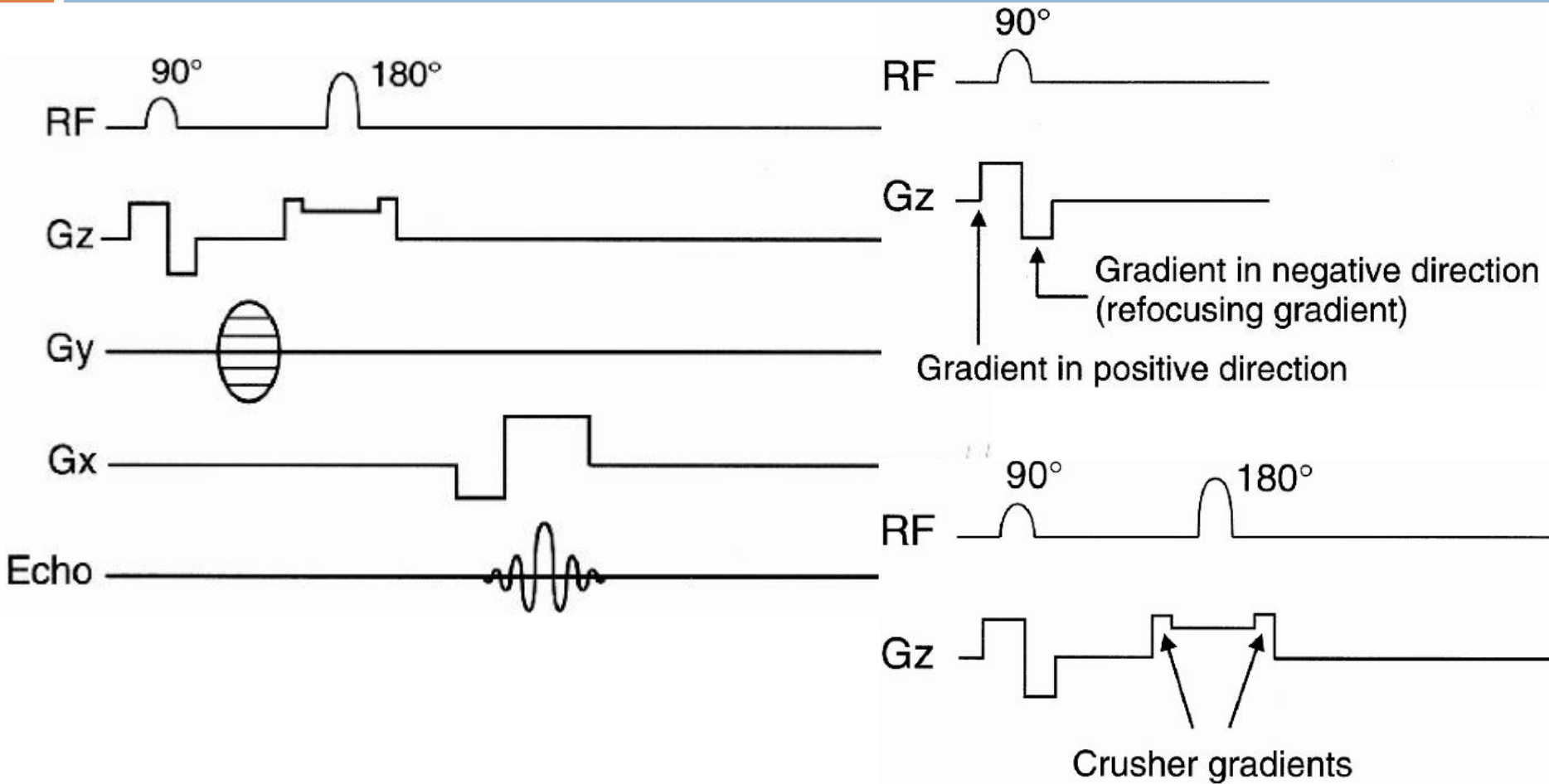
Phase Encoding

- Each phase encoding requires 1 RF pulse
 - ▣ Acquisition time = #phase encoding steps x TR

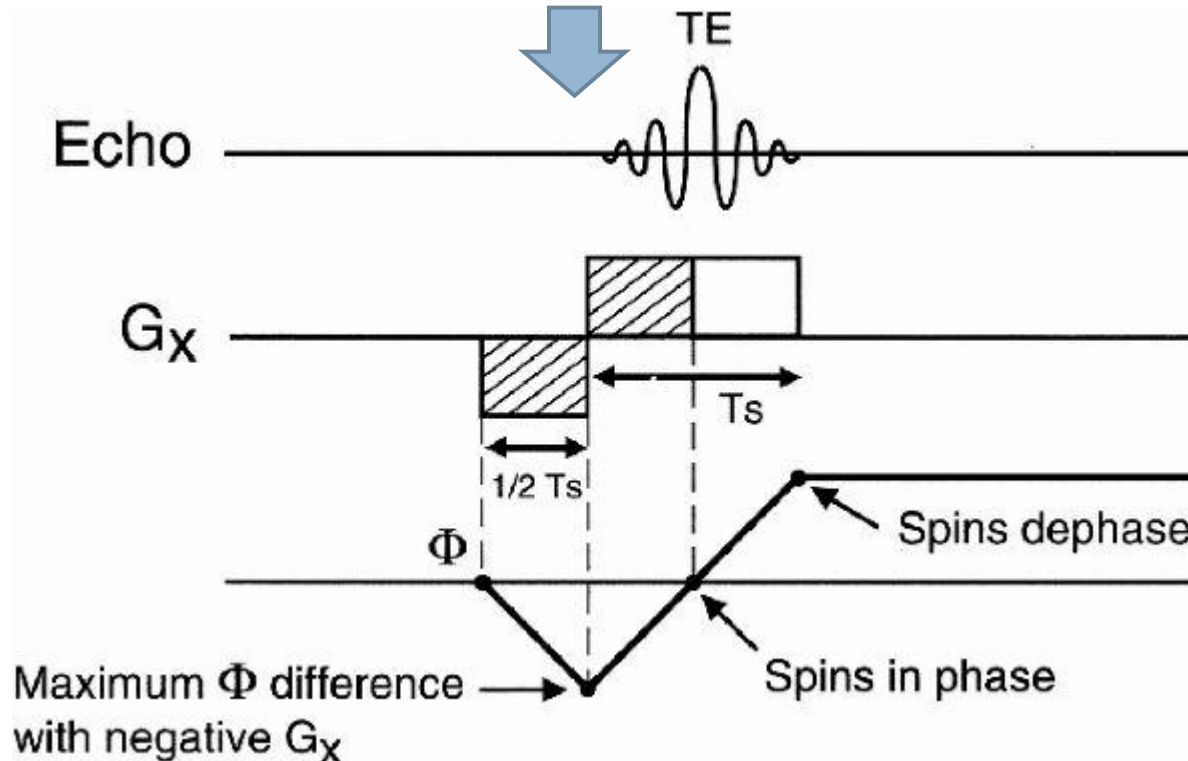
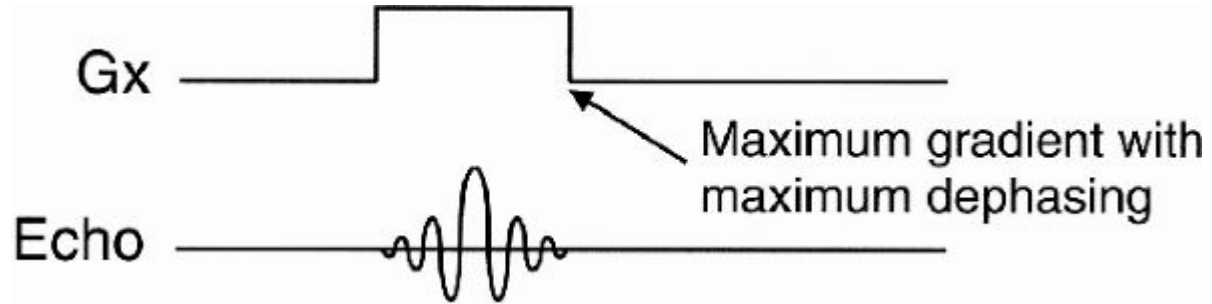
The protons in each pixel have a distinct frequency and a distinct phase, which are unique and encode for the x and y coordinates for that pixel.



Pulse Sequence Diagram



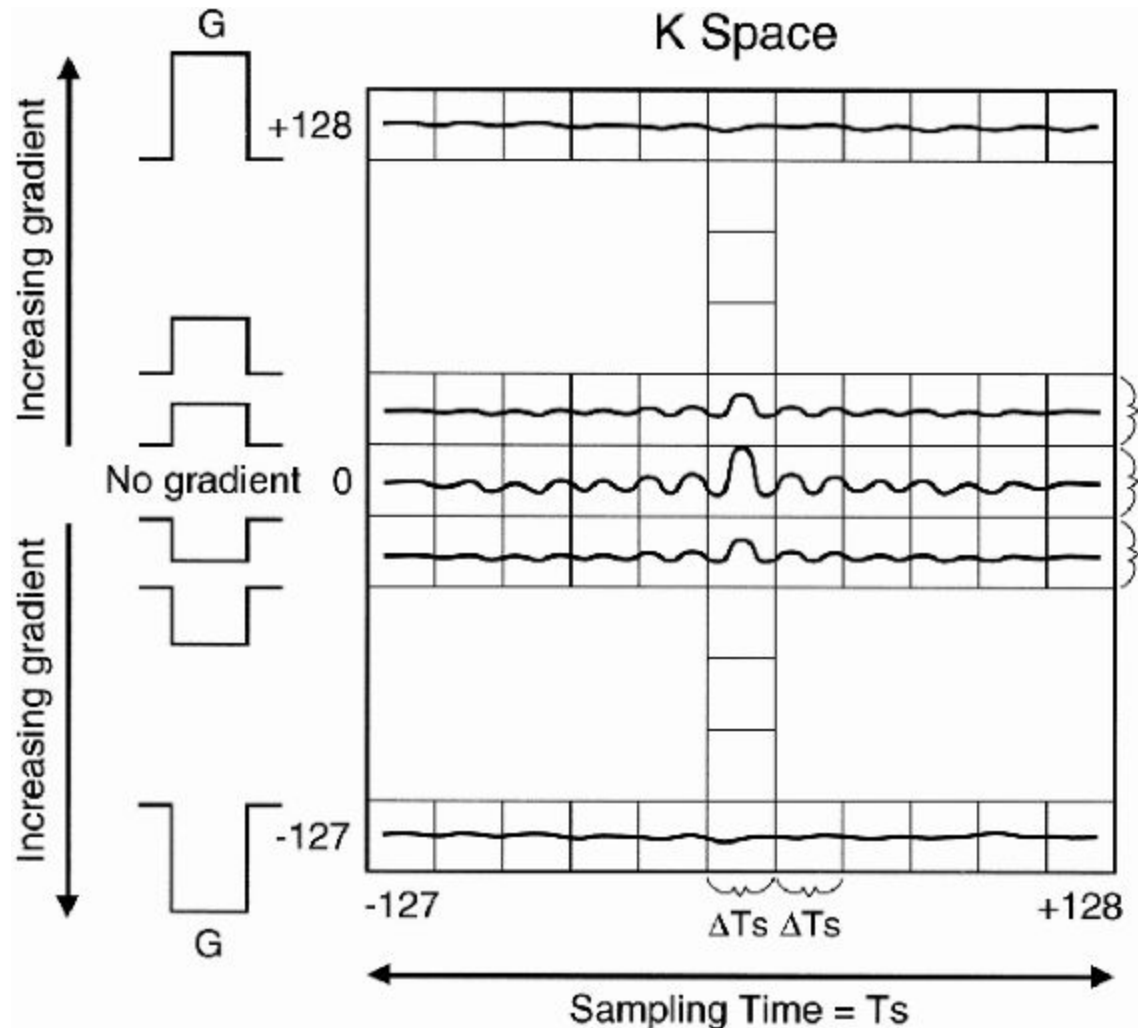
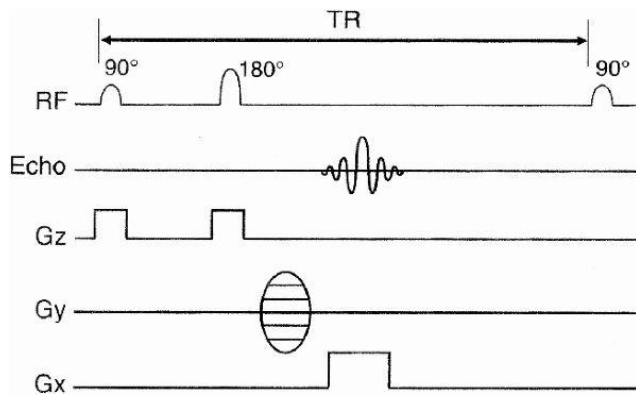
Pulse Sequence Diagram



K-Space and Image Space

- K-space = Fourier domain

Sample Spin-Echo Pulse Sequence



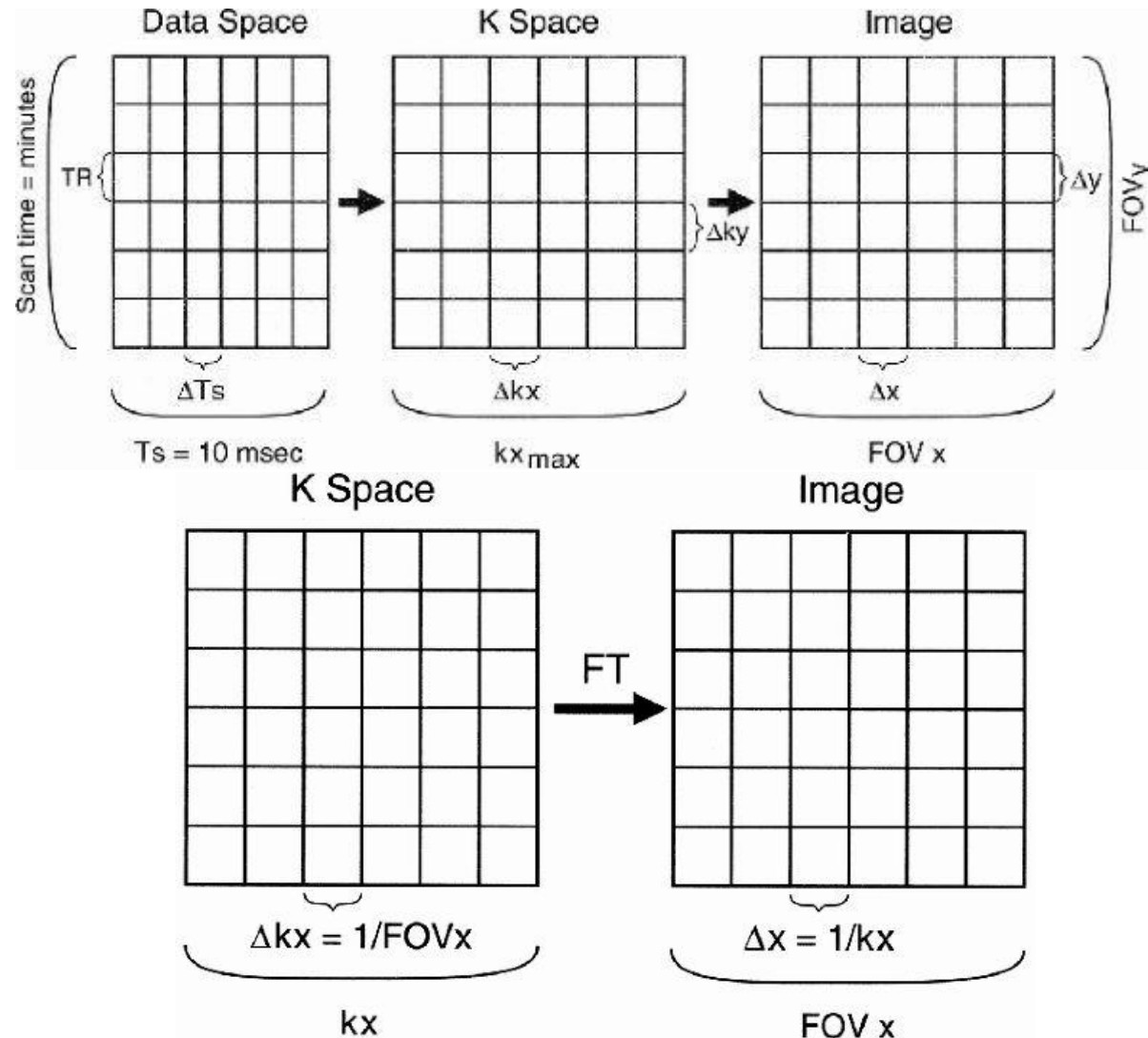
K-Space and Image Space

- Spatial frequencies k_x and k_y are expressed as:

- $k_x = \gamma \int_0^t G_x(\tau) d\tau$

- $k_y = \gamma \int_0^t G_y(\tau) d\tau$

with units in cycles/cm.



MRI Scan Parameters

Primary:

TR
TE
TI
FA (flip angle) } contribute to *image contrast*

$\Delta z = \text{slice thickness}$
Interslice gap } contribute to *coverage*

FOV_x }
FOV_y }
N_x : # of frequency-encoding steps
N_y : # of phase-encoding steps }
NEX
Bandwidth }
Contribute to *resolution*:
 Δx : spacing in x direction
 Δy : spacing in y direction }
Contribute to *S/N ratio*

Secondary:

- SNR
- Scan time
- Coverage
- Resolution
- Image contrast

Parameter Optimization

- **SNR** defines as ratio of signal magnitude to noise standard deviation
 - Voxel volume = $\Delta x \cdot \Delta y \cdot \Delta z$
 - Number of excitations (NEX)
 - Number of phase-encoding steps (N_y and N_z)
 - Bandwidth (BW)

$$3D \text{ SNR} \propto \Delta x \cdot \Delta y \cdot \Delta z \sqrt{(N_y)(N_z)(NEX)/BW}$$

- SNR can be increased by
 - Increasing TR
 - Decreasing TE
 - Using a lower BW
 - Using volume (i.e., 3D) imaging
 - Increasing NEX
 - Increasing N_y
 - Increasing the voxel size

Parameter Optimization

- **Spatial resolution** (or pixel size) is the minimum distance that we can distinguish between two points on an image.
- It is determined by Pixel size = FOV/# of pixels
 - For example, pixel size in y = $\Delta y = \text{FOV}_y / N_y$
 - N_x, N_y, N_z are called **Matrix Size**
- If we want higher resolution in a given time, we have to sacrifice SNR:

$$\text{SNR (3D)} = \frac{(\text{FOV}_x / N_x)(\text{FOV}_y)(\text{FOV}_z)}{\sqrt{(\text{NEX}) / (N_y)(N_z)(\text{BW})}}$$

Parameter Optimization

- **Acquisition Time** or **Scan Time**, as we have seen previously, is given by

$$\text{Scan time} = TR \cdot N_y \cdot N_z \cdot NEX$$

where N_y , N_z are the number of phase-encoding steps (in the y and z directions)

- If we have a multi-slice sequence (i.e., no phase encoding in z direction), then we may be able to squeeze in each TR multiple slice acquisition
 - **Maximum of TR/TE slices**

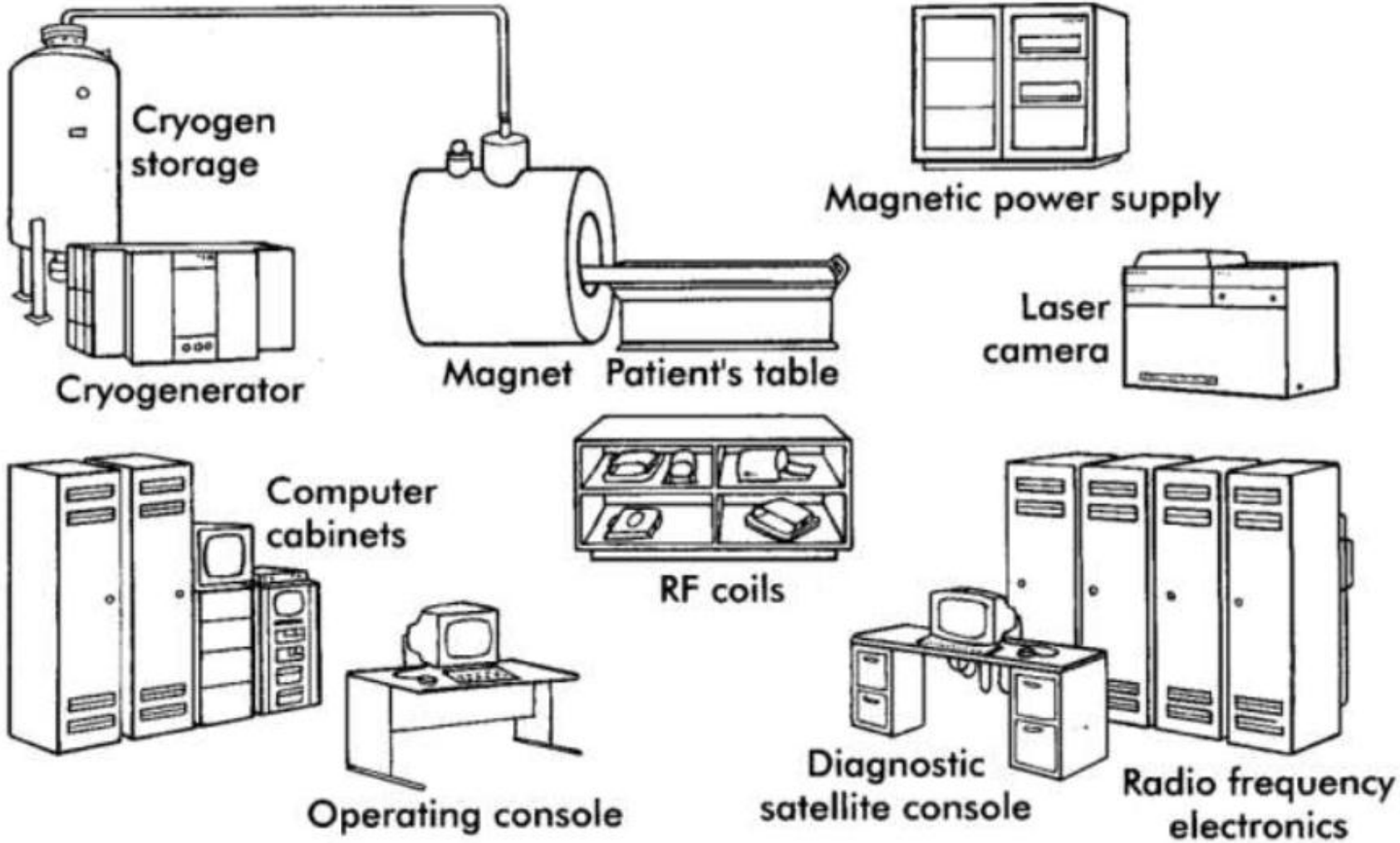
Parameter Optimization: Examples

- If we keep FOV constant and increase N_y , we will decrease SNR. $\uparrow N_y, \text{FOV constant} \rightarrow \downarrow \text{SNR}$
- If we increase N_y and increase FOV, thus keeping pixel size constant, then we will increase the SNR.
 - ▣ $\uparrow \text{FOV, pixels fixed} \rightarrow \uparrow \text{SNR, } \uparrow \text{ acquisition time}$
- If we increase the number of pixels with the FOV constant:
 - ▣ Increase resolution.
 - ▣ Decrease SNR Therefore, as we decrease the pixel size, we increase the resolution and decrease the SNR.
 - ▣ Increase scan time (number of pixels increases in phase-encode direction).

Parameter Optimization: Examples

- if we decrease the FOV and keep number of pixels constant:
 - ▣ Increase the resolution.
 - ▣ Decrease SNR.
 - ▣ Same acquisition time
- In the x direction, there are two ways of increasing resolution (for a given FOV):
 - ▣ Increase N_x by reducing the sampling time ΔT_s (i.e., by increasing the BW) and keeping the total sampling time T_s fixed (recall that $T_s = N_x \cdot \Delta T_s$). The advantage here is no increase in TE; the trade-off is a reduction in SNR (due to increased BW).
 - ▣ Increase N_x by lengthening T_s and keeping ΔT_s (and thus BW) fixed. Here, the SNR does not change, but the trade-off is an increased TE (due to a longer T_s) and less T1 weighting (this is only a concern in short echo delay time imaging).

Block Diagram of MRI System



Primary Magnetic Field (B_0)

- Permanent magnet
- Resistive magnet
- Superconductive magnet

Permanent Magnet

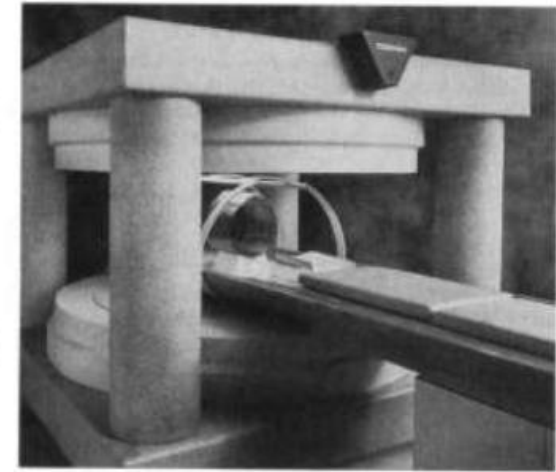
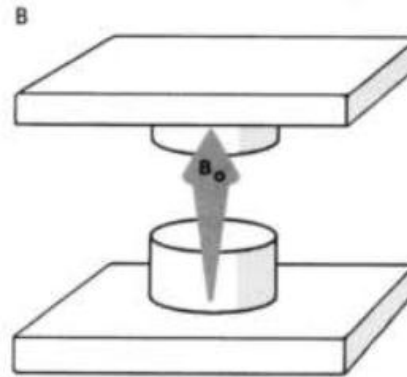
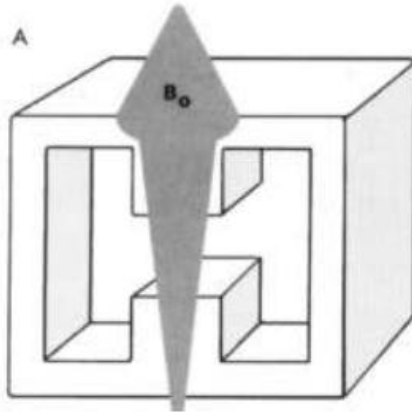
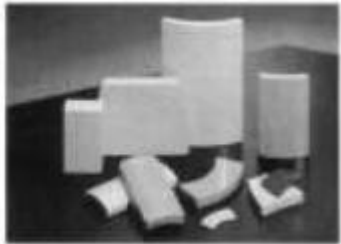


Table 11-1

Characteristics of a permanent magnet magnetic resonance imager

Feature	Value
Magnetic field (B_0)	Up to 0.3 T
Magnetic field homogeneity	50-100 ppm
Weight	90,000 kg
Cooling	None
Power consumption	20 kW
Distance to 0.5 mT fringe field	< 1 m

Resistive Magnet

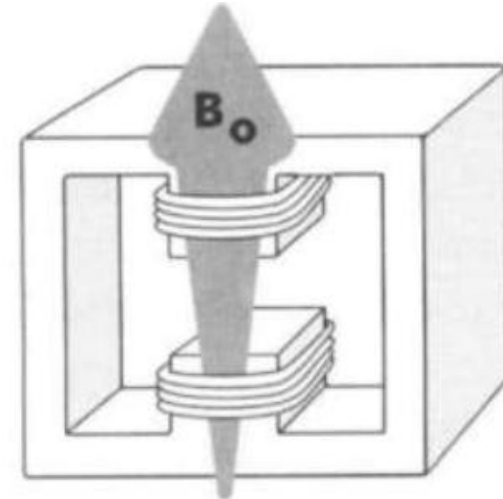
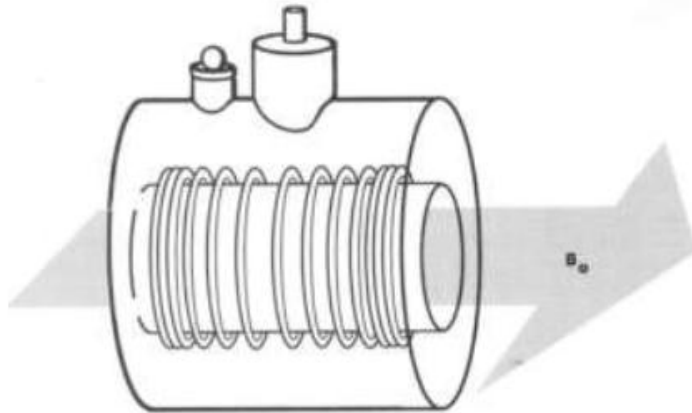


Table 11-2 Characteristics of a resistive electromagnet MR imager

Feature	Value
Magnetic field (B_0)	Up to 0.3 T
Magnetic field homogeneity	10-50 ppm
Weight	4000 kg
Cooling	Water, heat exchanger
Power consumption	80 kW
Distance to 0.5 mT fringe field	2 m

Superconductive Magnet

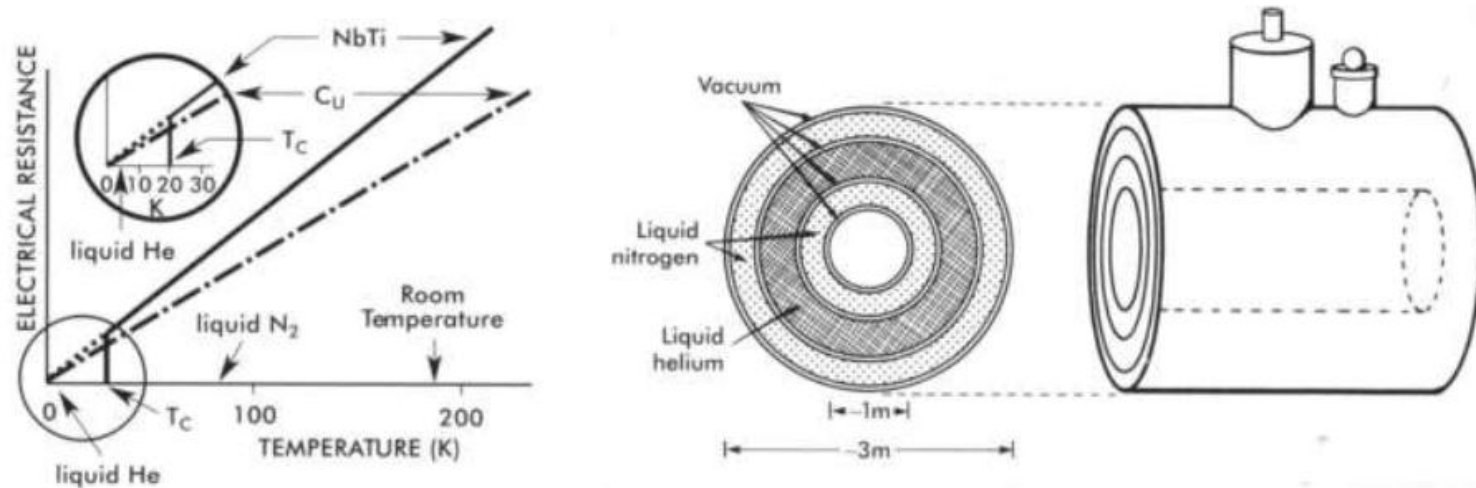


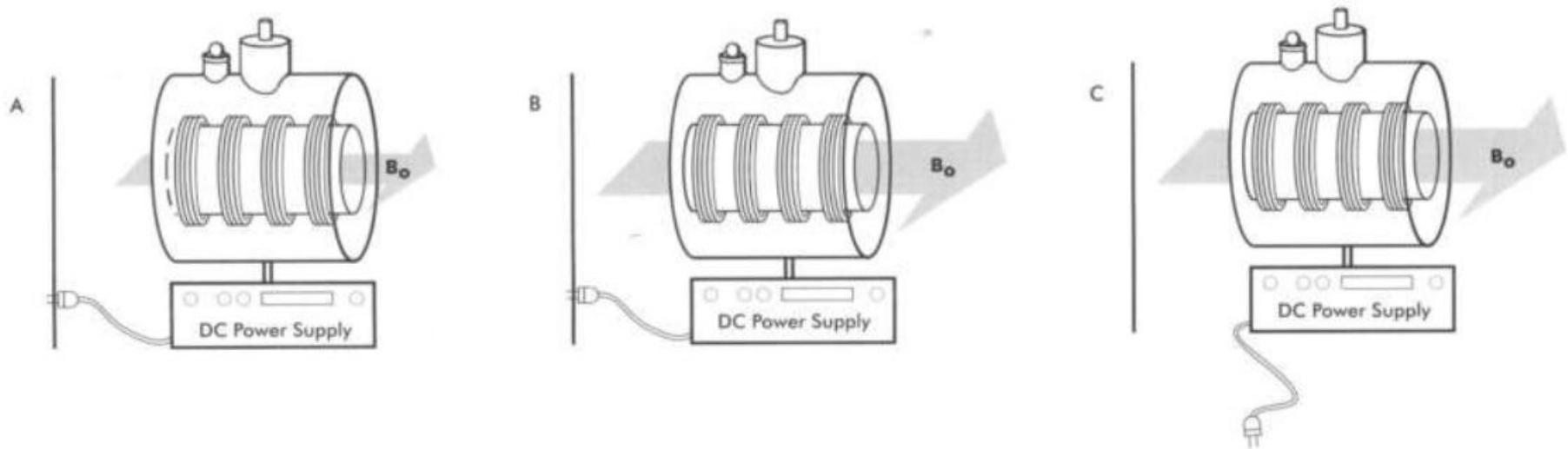
Table 11-3

Characteristics of a superconducting electromagnet magnetic resonance imager

Feature	Value
Magnetic field (B_0)	0.3 T to 4 T
Magnetic field homogeneity	1-10 ppm
Weight	10,000 kg
Cooling	Cryogenic
Power consumption	20 kW
Distance to 0.5 mT fringe field	10 m

Superconductive Magnet

- Magnetic field ramp-up

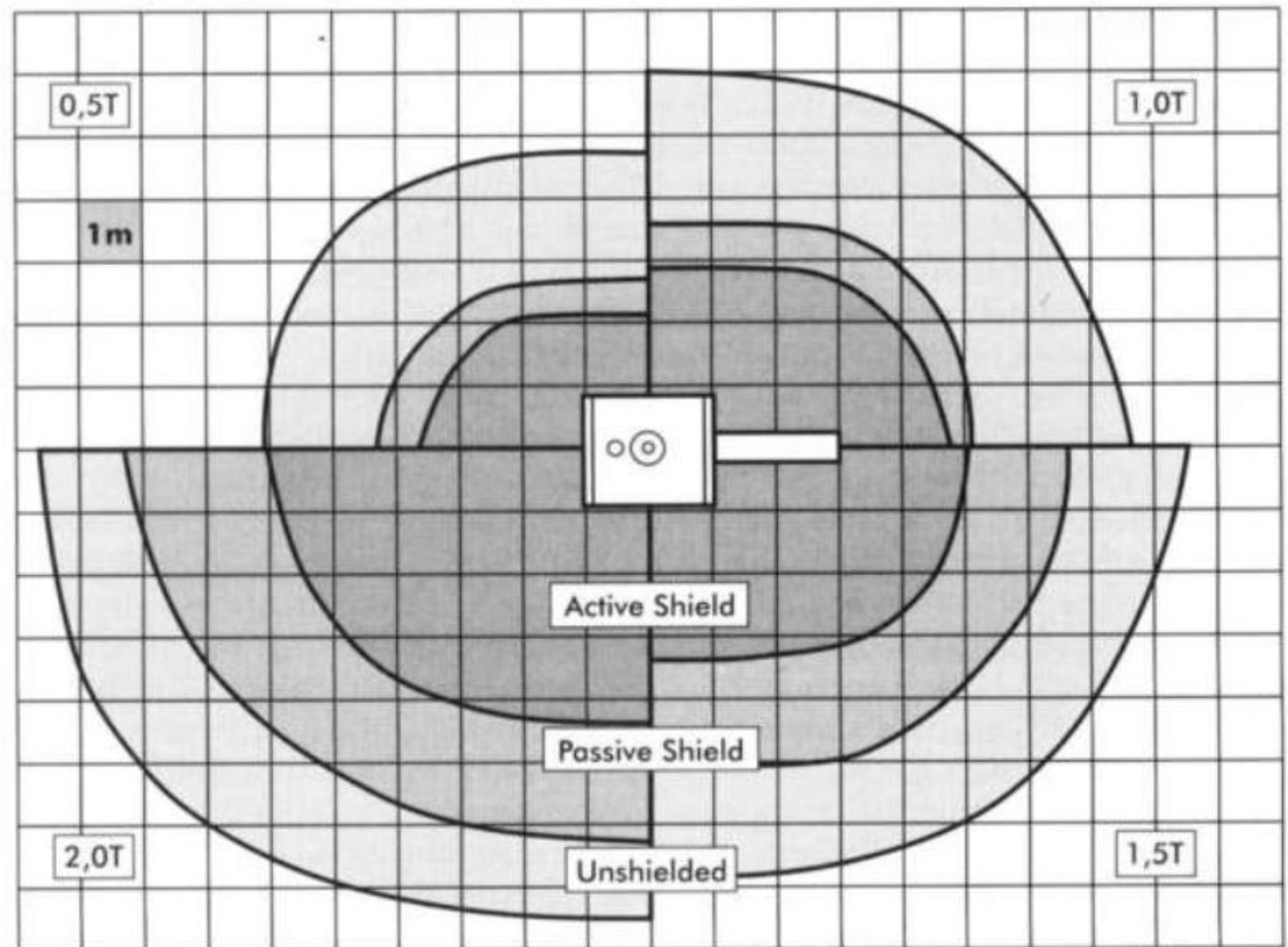


- Ramp-down must be very slow, otherwise catastrophic quenching will occur
 - ▣ Heating up increases resistance, which in turn increases heating, causing positive feedback loop that can result in rapid vaporization of helium

Magnet Shielding

- None
- Passive
- Active

Distance to Safe 5G
(0.5 mT) Line for
different fields

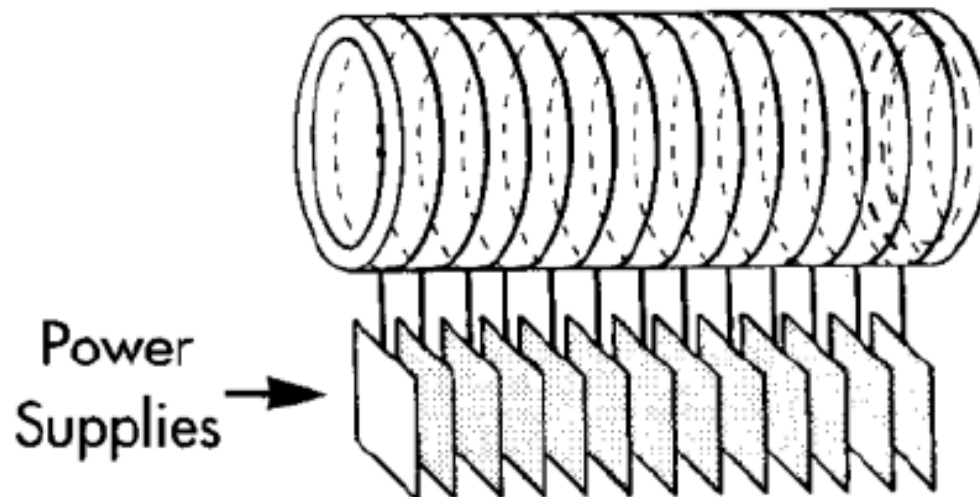


Secondary Magnets: Coils

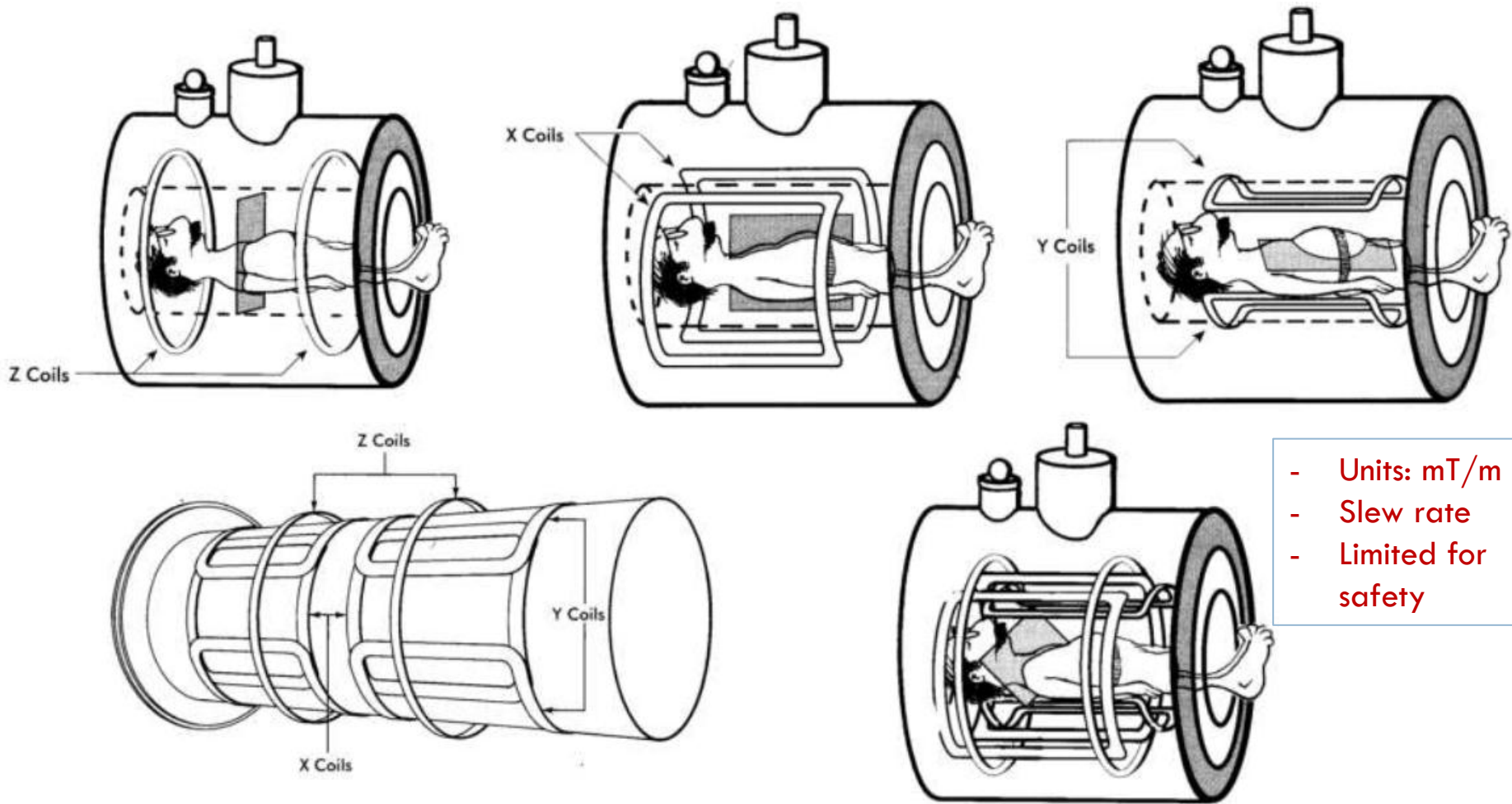
- Shim coils
 - ▣ Improves B_0 field uniformity to within a few **ppm scale**
- Gradient coils
 - ▣ Apply gradients in x , y , and z directions for slice selection, frequency and phase encoding.
- RF coils
 - ▣ Send RF pulses and receive signal from patient

Shim Coils

- Make small adjustments to make B_0 uniform throughout the volume
 - ▣ Inhomogeneity measured in ppm units
 - ▣ Example: for 1.0T magnet, a homogeneity of ± 1 ppm means that the field has a variation of up to $\pm 1 \mu\text{T}$

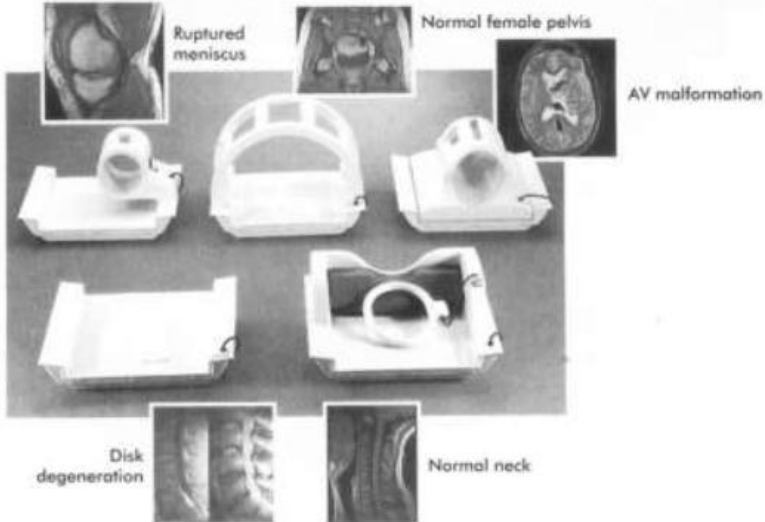
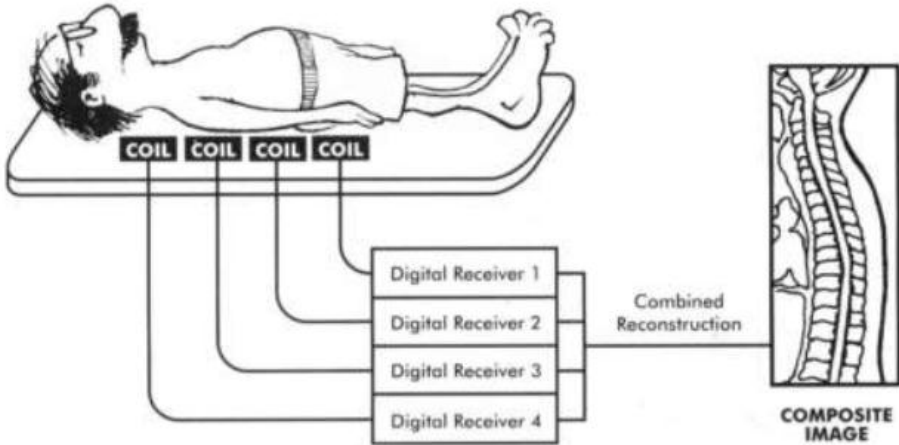
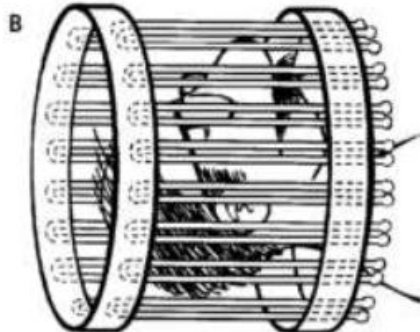
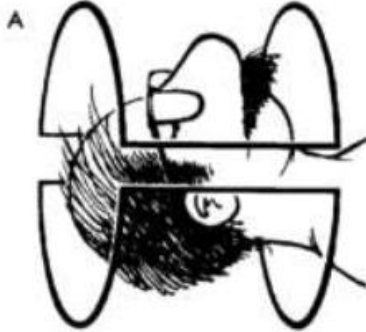
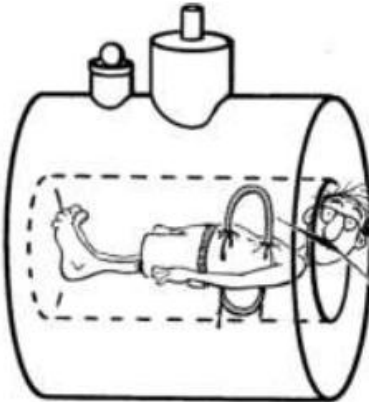
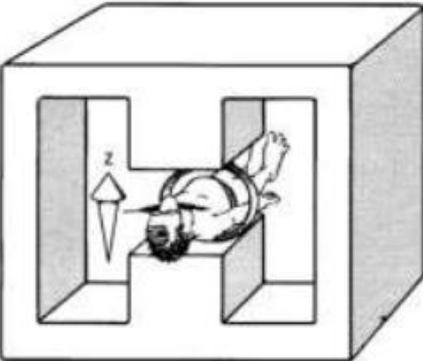


Gradient Coils



- Units: mT/m
- Slew rate
- Limited for safety

RF Coils

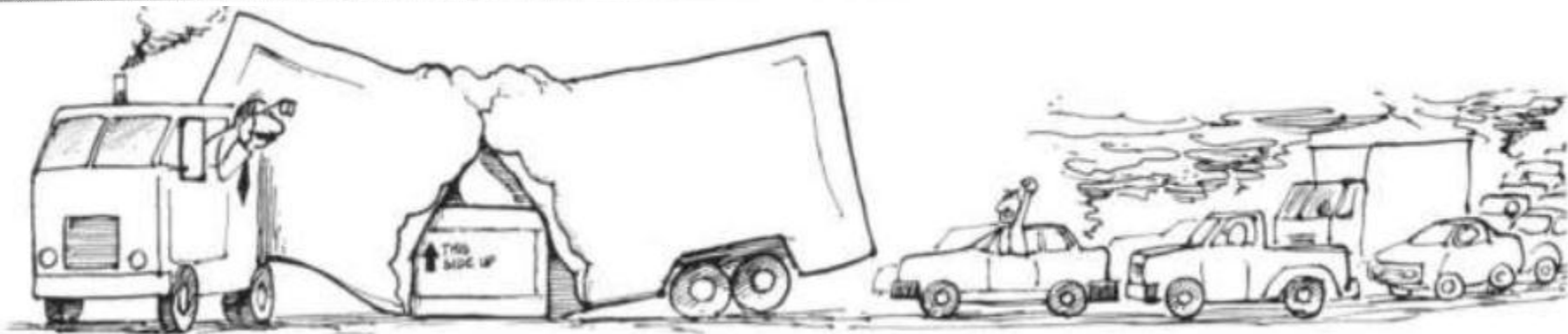


Choosing a Magnet Type

Table 13-1

Characteristics of magnetic resonance imagers

Characteristics	Permanent magnet	Resistive magnet	Superconducting magnet
Field strength (T)	0.1-0.3	0.15-0.4	0.5-4.0
Cost (\$ × 10 ⁶)	0.5-1.0	0.8-1.2	1.0-2.5
Approximate size (m)	1.5 × 2.0	2.1 × 2.3	2.3 × 3.0
Weight (kg × 1000)	4.5-30	5.5-9.0	4.5-8.1
Power requirements (kW)	20	80	25
Distance to 0.5 mT fringe field (m)	<1	0.5-2	3-10



Choosing a Magnet Type

Table 13-2

Advantages and disadvantages of magnetic resonance imagers

Advantages

Disadvantages

Permanent

Low capital cost
Low operating cost
Negligible fringe field

Limited field strength
Fixed field strength
Very heavy

Resistive Iron Core

Low capital cost
Easy coil maintenance
Negligible fringe field

High power consumption
Water cooling necessary
Potential field instability

Resistive air core

Low capital cost
Lightweight
Easy coil maintenance

High power consumption
Water cooling necessary
Significant fringe field

Superconductive

High field strength
High field homogeneity
Low power consumption

High capital cost
High cryogen cost
Intense fringe field

Site Selection for MRI

Table 13-3

Considerations for locating a magnetic resonance imager

Advantages

New construction

Easier to plan for fringe
magnetic field
Custom design

Existing building

Proximity to other services
Use of existing facilities

Temporary building

Short time to operation
Easier to plan for fringe
magnetic field

Mobile

Cost effective for low workload
Learning period for all

Disadvantages

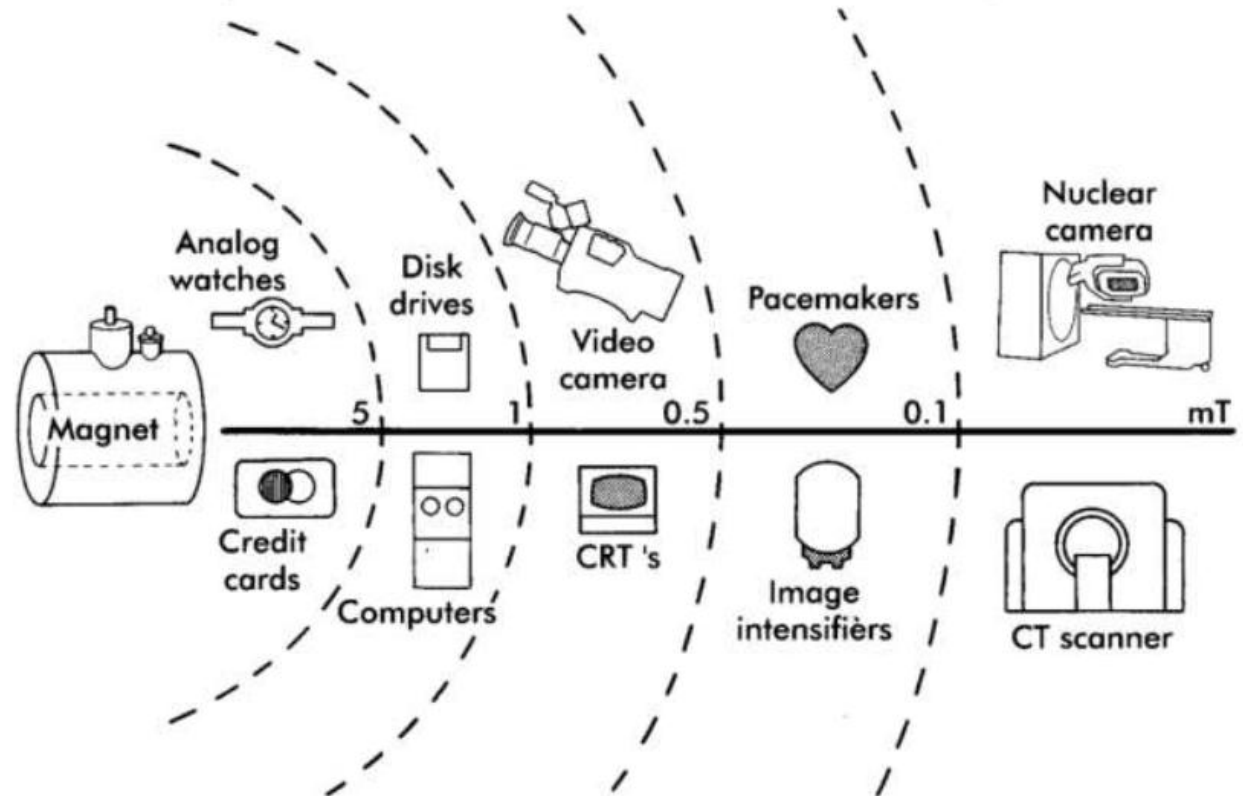
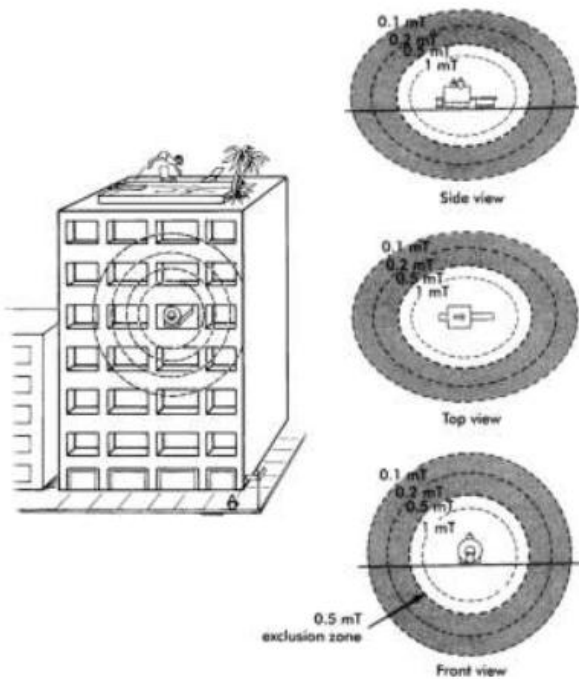
Cost
Possibly remote

Accommodation of fringe magnetic
field, higher renovation cost

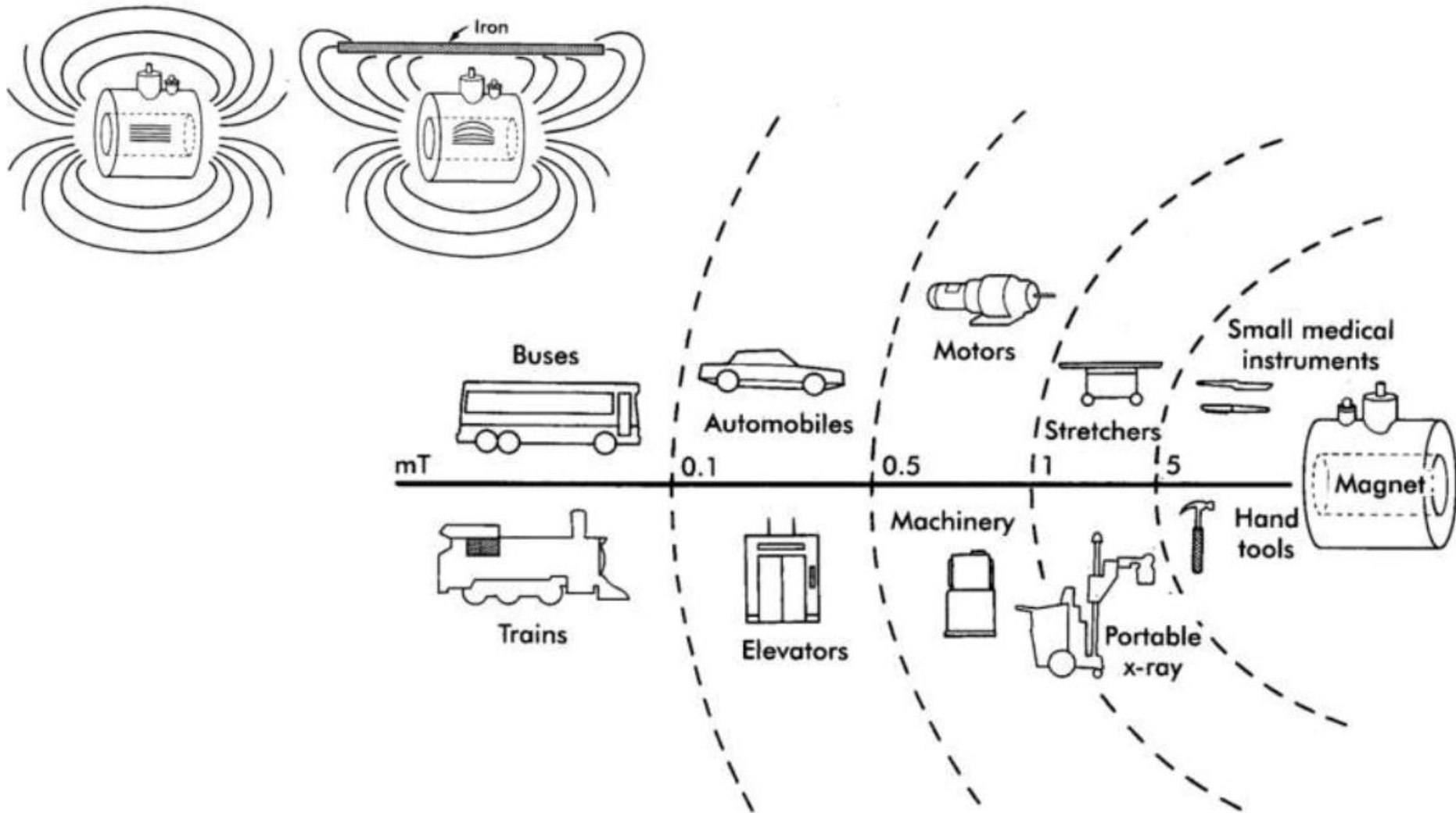
Possible compromised patient access
Unightly addition

Scheduling
Time required for setup

Effects of MRI on the Environment



Effects of the Environment on MRI



Covered Material

- Solve the problems at the end of Chapters 3, 4, 5, 6, 7, 8, 9, 10, 11, 13, 16 and 17.